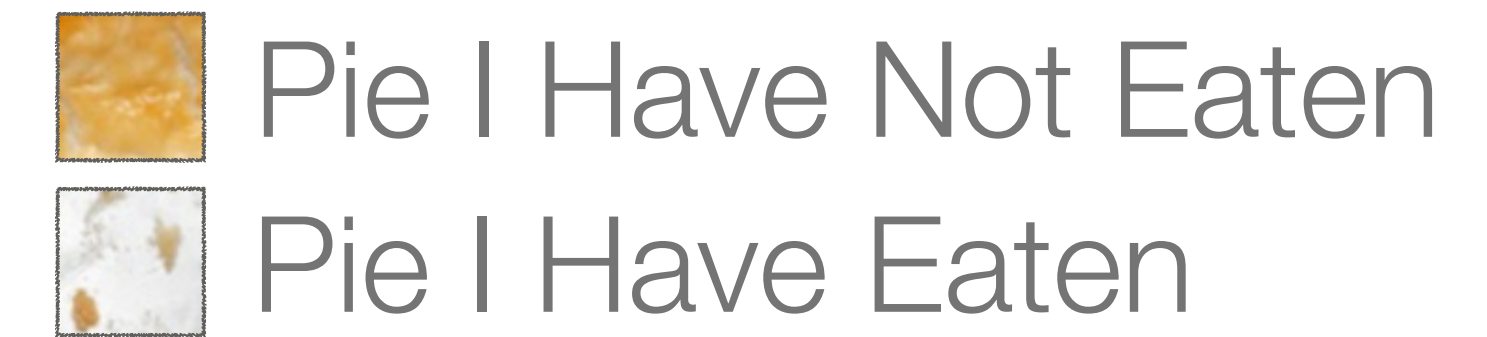




Visualization: Three Hows

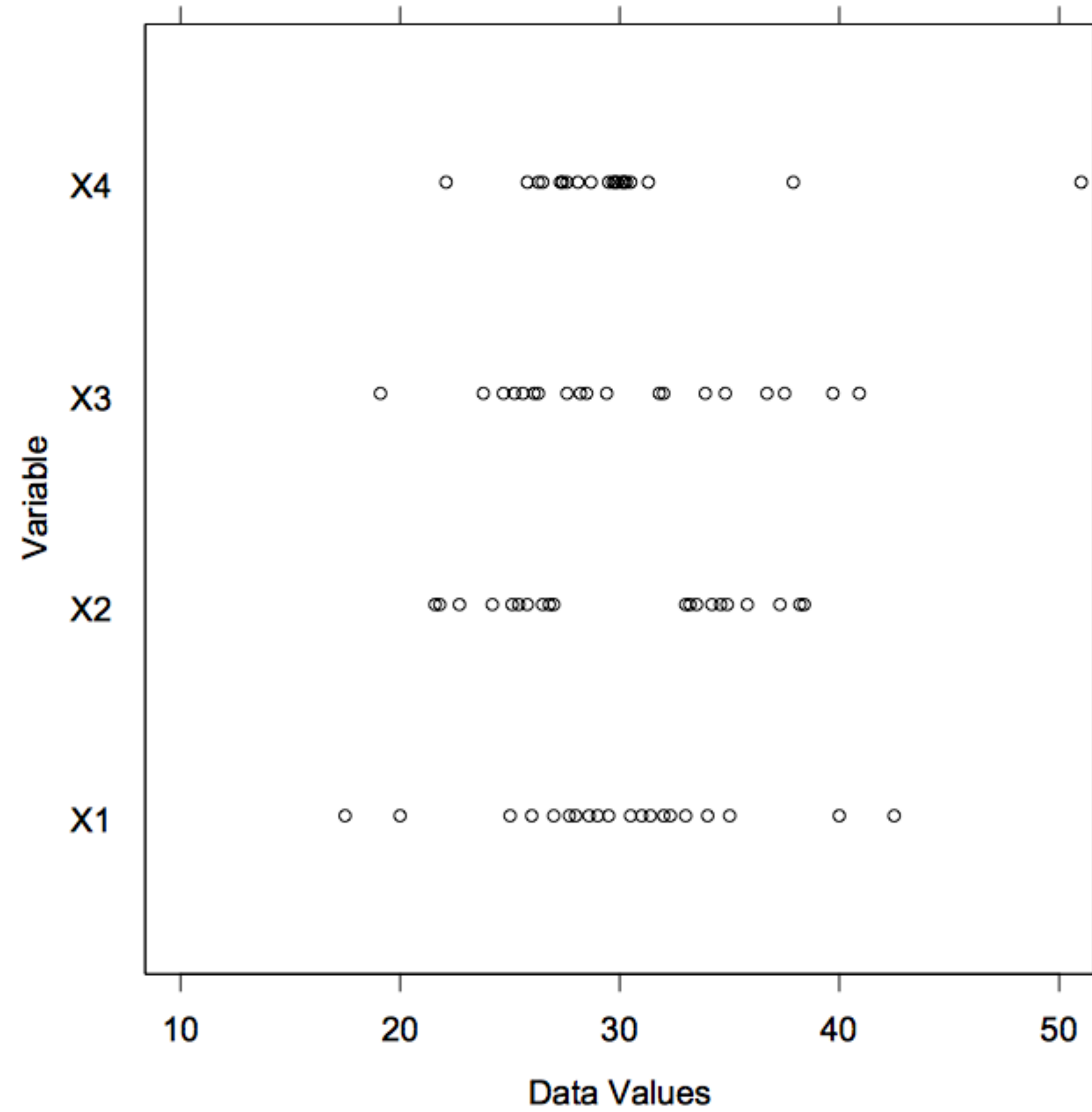
1. ***How*** humans ***perceive*** graphical information
2. ***How*** human perception means you should ***design*** your graphics
3. ***How***, practically, you ***draw*** your graphics with software

Visualization

- **Today: Graphics I: Univariate Graphics**
 - Conceptual: Theory of Graphics and Psychology of Perception
 - Practical: What kinds of graphics to use, when, and ideas

Why are graphics useful?

Observation:	X_1	X_2	X_3	X_4
1	32.3	33.2	24.7	29.7
2	28.0	34.2	29.4	30.2
3	31.4	27.0	28.5	28.7
4	29.5	33.0	25.6	27.3
5	40.0	35.8	27.6	31.3
6	20.0	34.6	32.0	29.5
7	26.0	24.2	28.2	26.3
8	28.6	34.9	40.9	29.9
9	27.7	25.1	37.5	29.8
10	27.0	37.3	26.3	30.1
11	17.5	22.7	33.9	37.9
12	31.0	25.4	36.7	27.6
13	32.0	25.8	25.2	30.3
14	30.5	38.2	23.8	22.1
15	34.0	26.5	26.1	28.1
16	42.5	38.4	28.2	26.5
17	35.0	26.8	31.8	30.5
18	29.0	21.6	39.7	27.4
19	25.0	33.5	19.1	51.0
20	33.0	21.8	34.8	25.8
Mean:	30.0	30.0	30.0	30.0
Standard Deviation:	5.8	5.8	5.8	5.8



The role of graphics

Tufte (2001)

- Show the data/results
- Induce the viewer to think about the *substance* of the data, rather than the technical process behind the data (or graphics) production
- Avoid distortion
- Present many numbers in a small space
- Make large data sets coherent

The role of graphics

Tufte (2001)

- Encourage visual comparison of many different pieces of data
- Reveal data at several levels of detail, from a broad overview to the fine structure
- Serve a clear purpose: description, exploration, tabulation, or decoration
- Be closely integrated with the statistical and verbal descriptions of a data set

Core Principle: The Data-Ink Ratio

- *Maximize* your data-ink ratio
 - Data-ink ratio = data ink/total ink use to print the graphic
- Erase non-data ink
- Erase redundant data-ink
- Revise and edit, revise and edit, revise and edit.

An egregious example



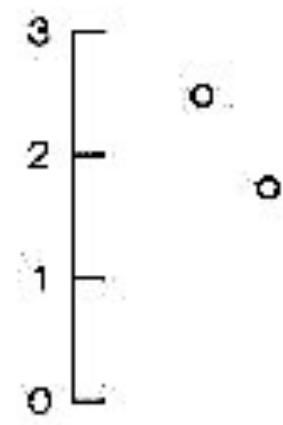
Cognition and graphics

- Not all graphs are created equal
- Humans perceive graphics with different levels of accuracy

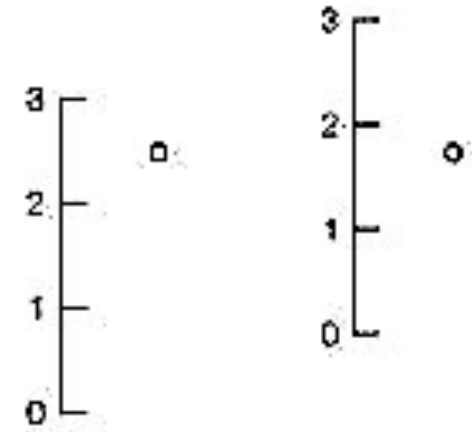
Graphical perception tasks

Ordered from Most Accurate to Least Accurate

A. Position Along a Common Scale



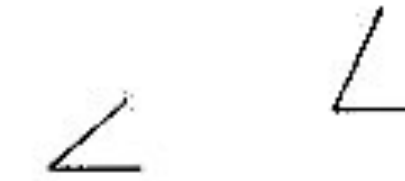
B. Position Along Common, Nonaligned Scales



C. Length



D. Angle*



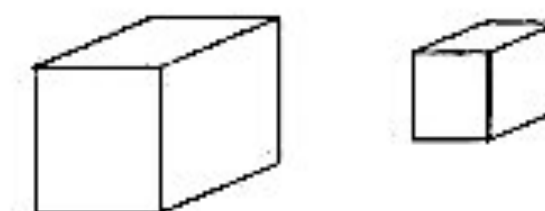
E. Slope, Direction*



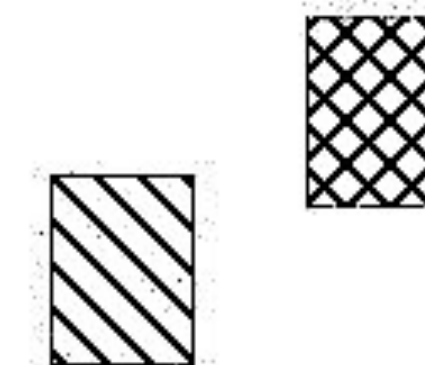
F. Area



G. Volume



H. Fill Density, Color Saturation



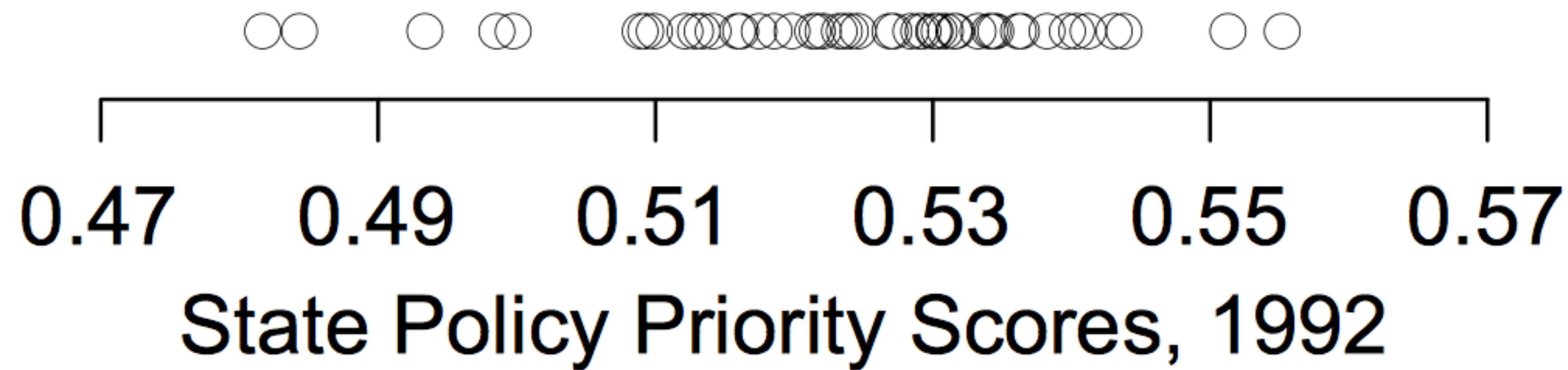
Univariate Graphs

Univariate graphics

- A univariate graph is a **model** of your data
 - Highlight salient points without distorting features or imposing assumptions
 - Avoid excessive detail on individual points, highlight overall structure of data
- Many different univariate graphs: univariate scatterplots, histograms, smoothed histograms, quantile plots, box and whisker plots, dot plots

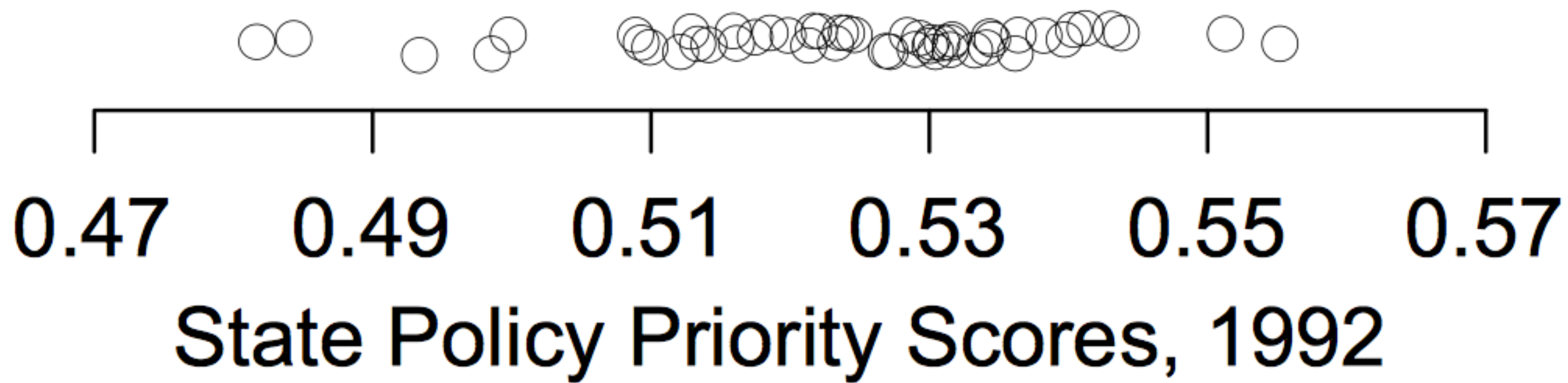
Univariate Scatterplots

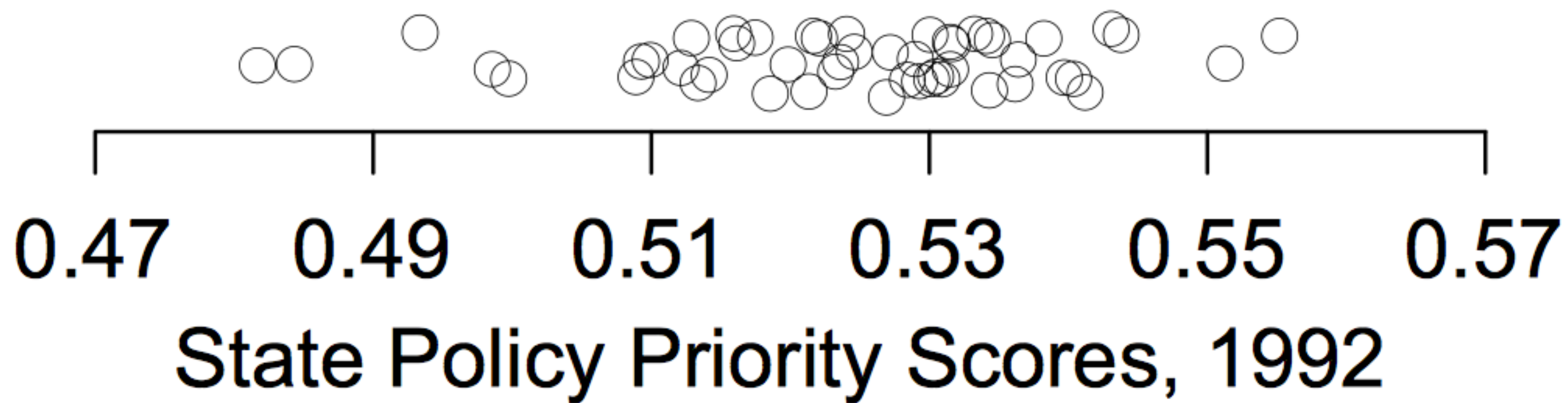
- Each observation plotted as a point along axis representing range of variable values

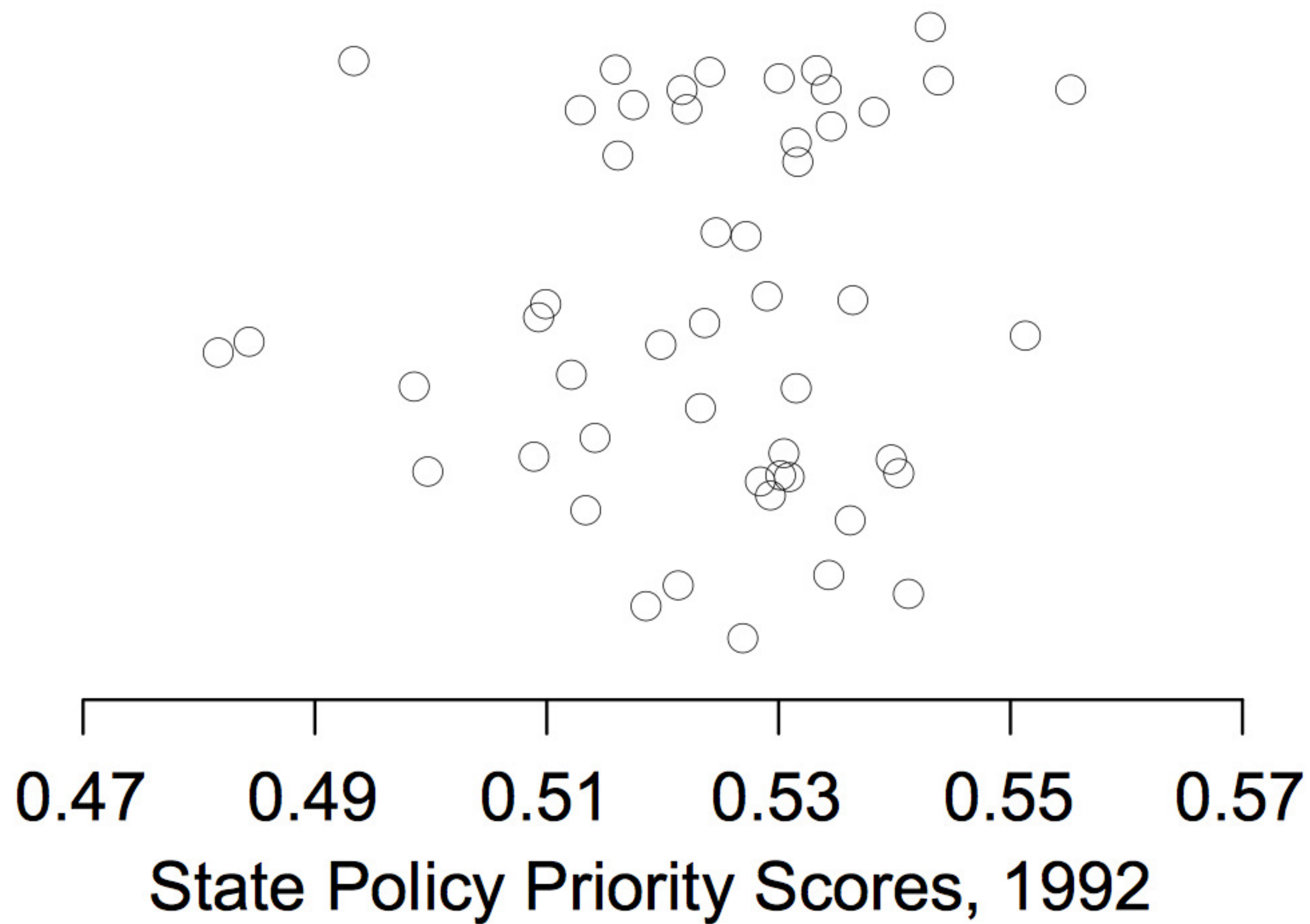


Univariate Scatterplots

- Each observation plotted as a point along axis representing range of variable values
- We have an over plotting problem that is not clear how to fix. Often fix by attempting to jitter.
 - But unclear how far one should go.

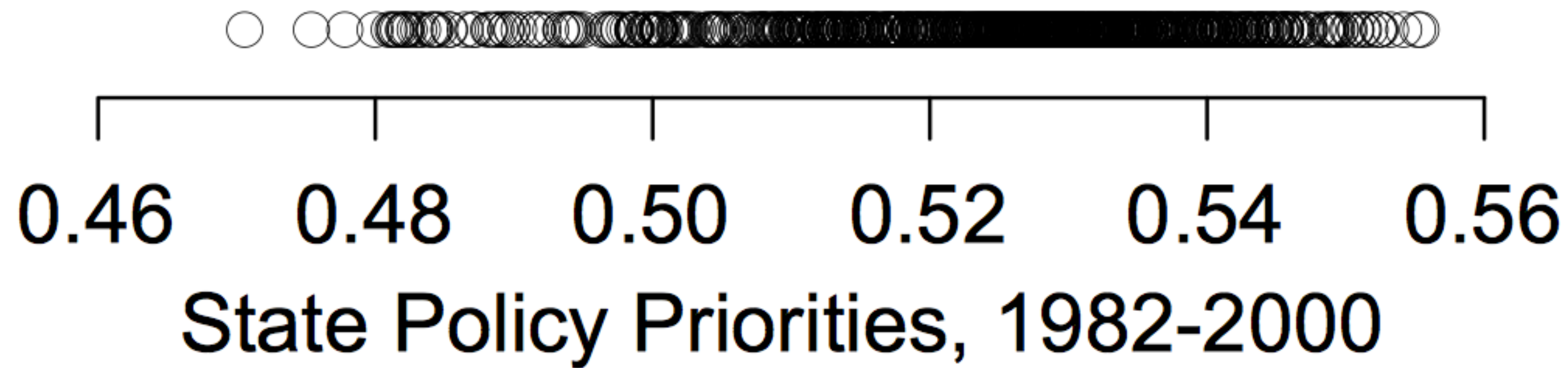


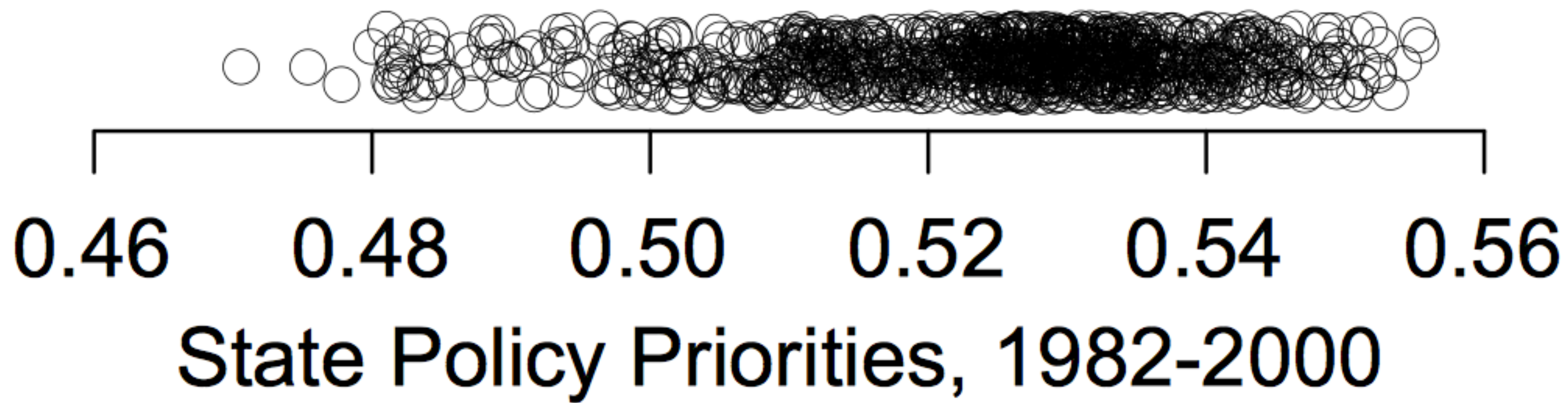




Univariate Scatterplots

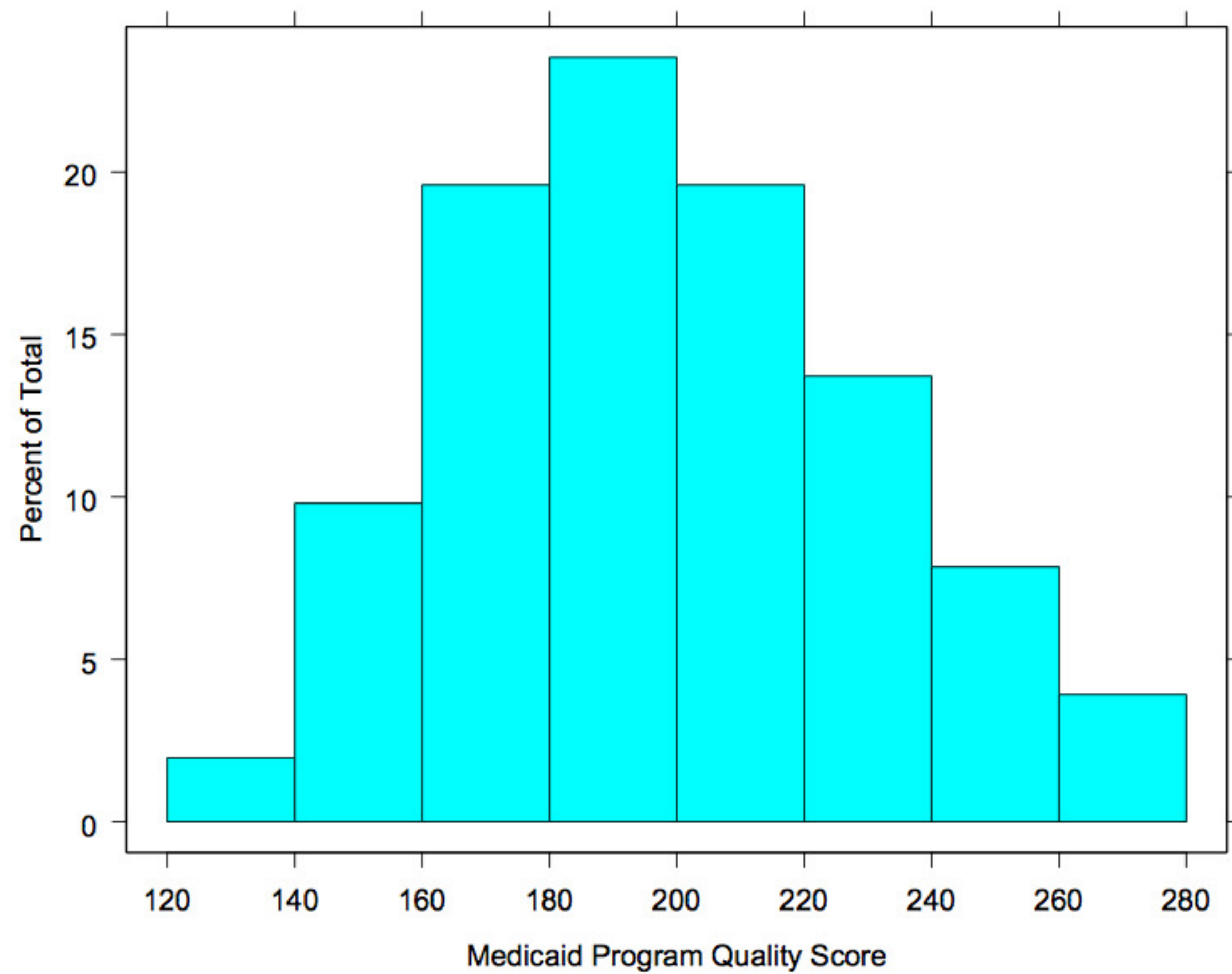
- Each observation plotted as a point along axis representing range of variable values
- Have an over plotting problem that is not clear how to fix. Often fix by attempting to jitter.
 - But unclear how far one should go.
 - Gets even worse with more data.



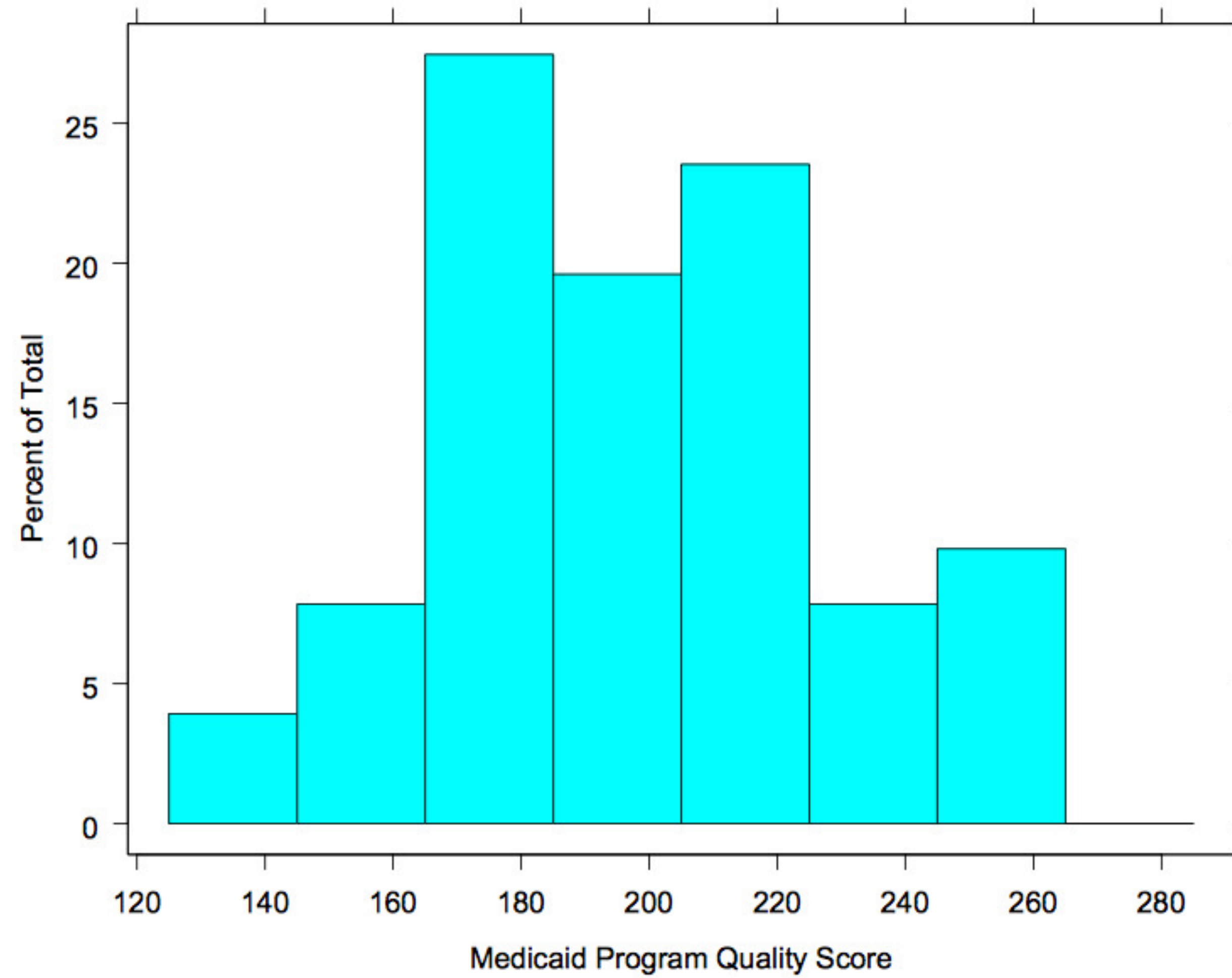


Histogram

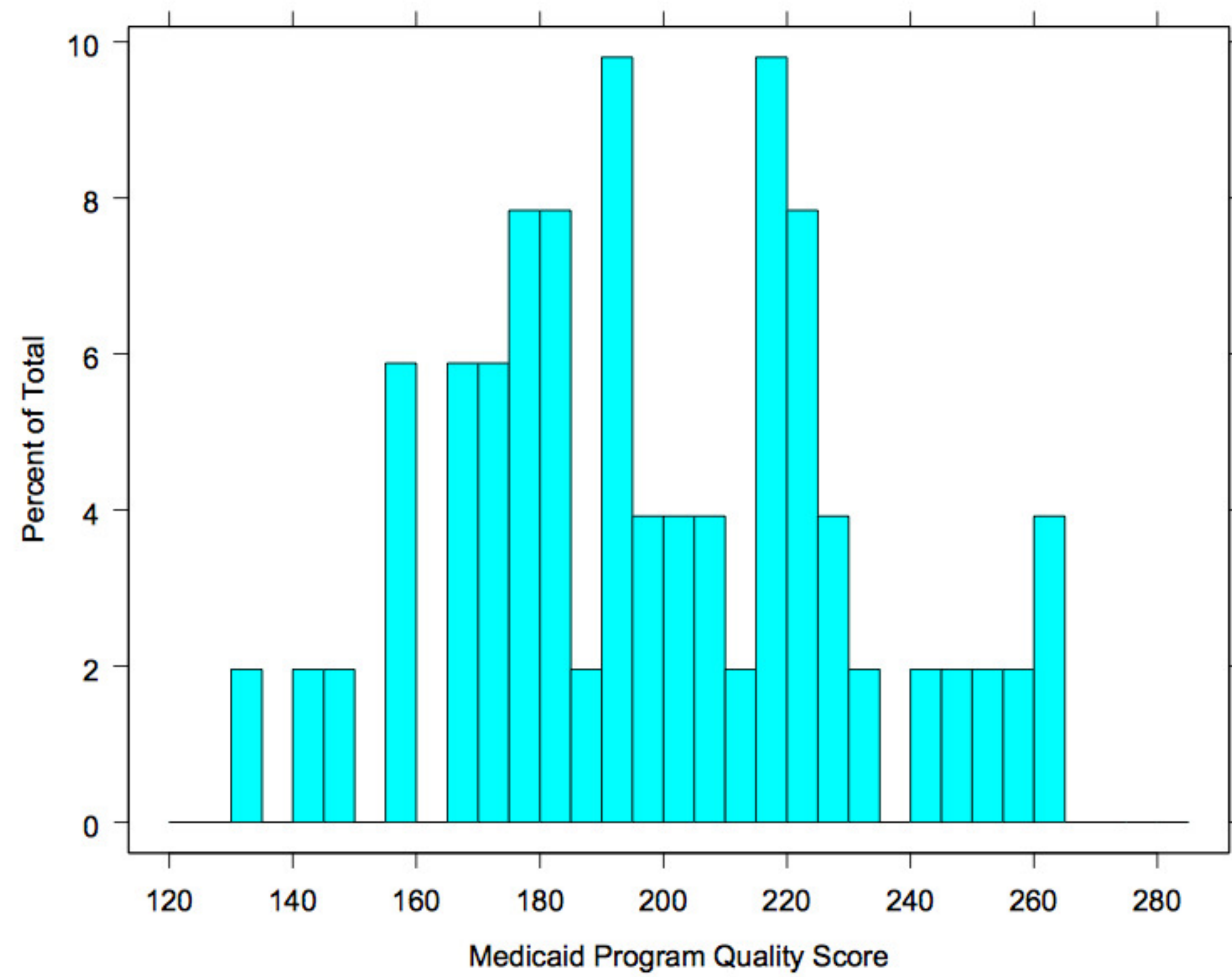
- A two-dimensional diagram, with one axis representing the range of the variable, and the other axis representing the data density at positions within the range
- Most common kind of univariate graph, provide a great deal of information about the distribution and data values
- If data are relatively continuous, observations are grouped into mutually exclusive and exhaustive categories, called “bins”
- Major issue with histograms: the binning process.



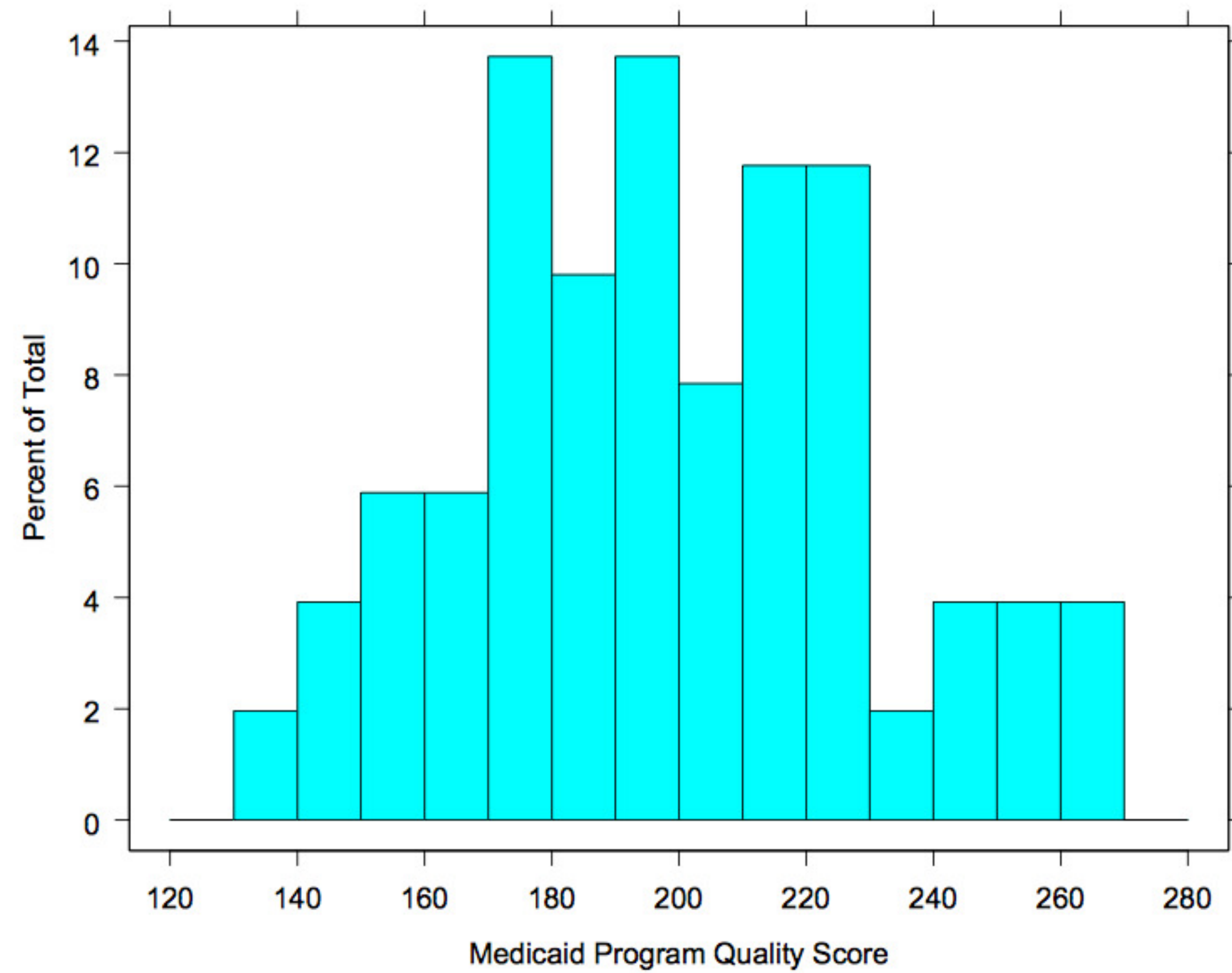
Note: Bin origin at 120, bin width is 20.



Note: Bin origin at 125, bin width is 20.



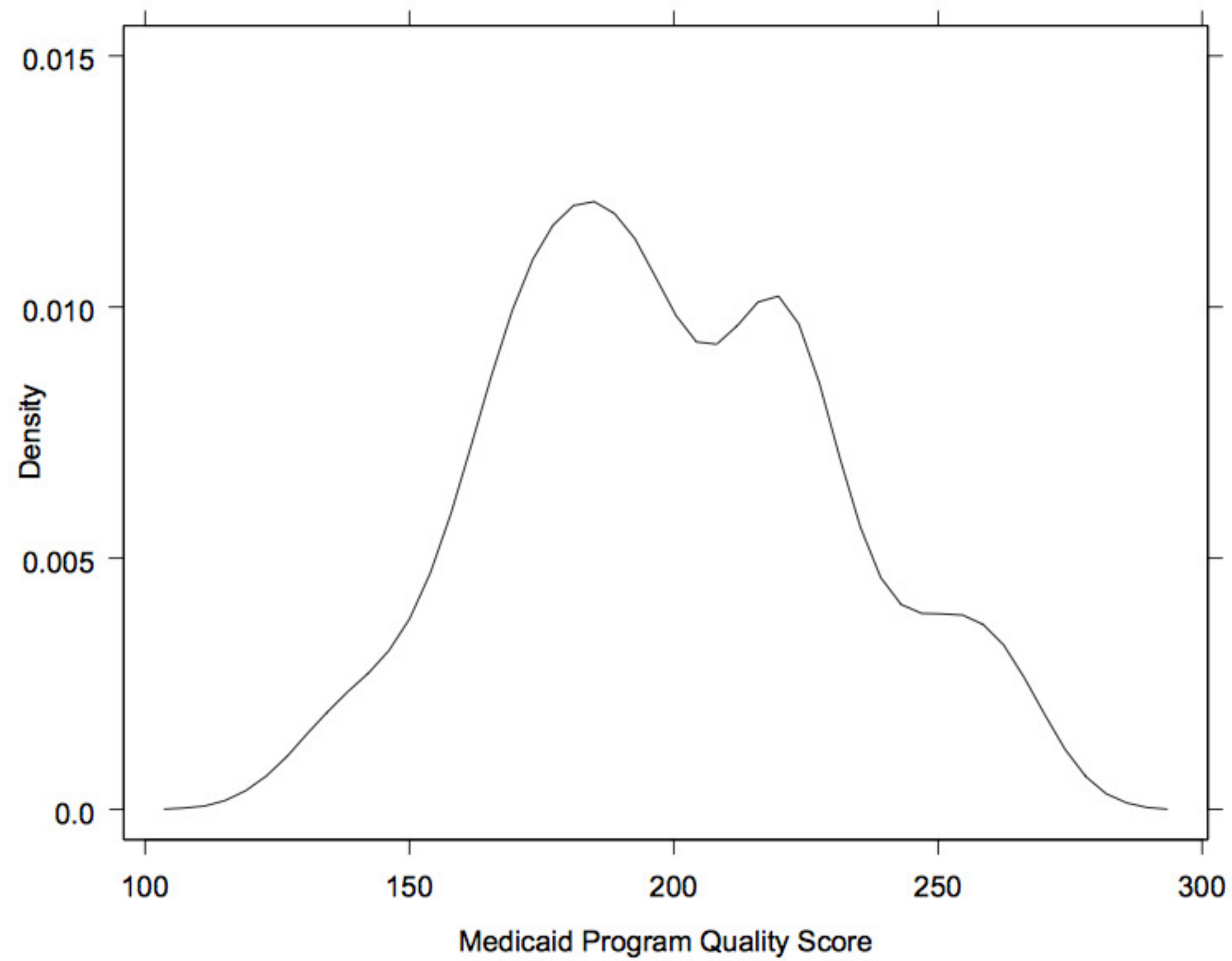
Note: Bin origin at 120, bin width is 5.



Note: Bin origin at 120, bin width is 10.

Smoothed histograms

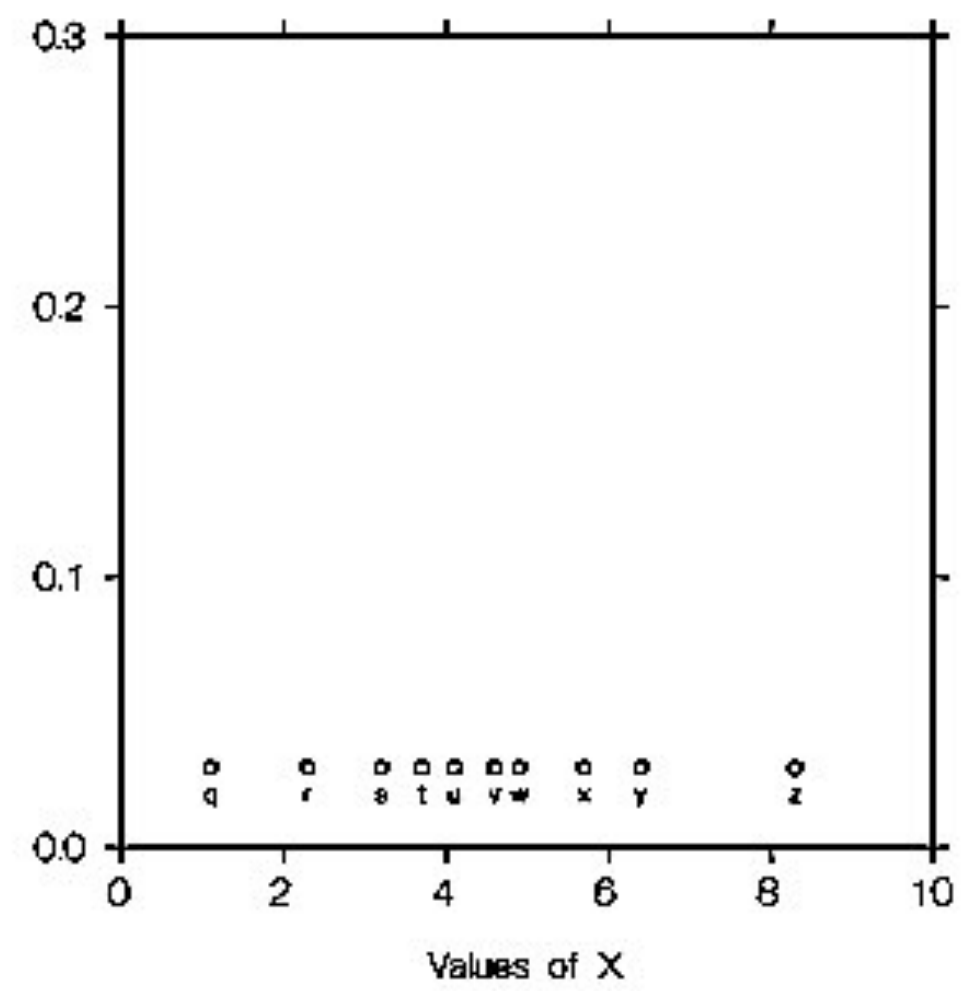
- Formally: ***kernel density plots***
- Shows local densities as a smooth, continuous function of the original data series



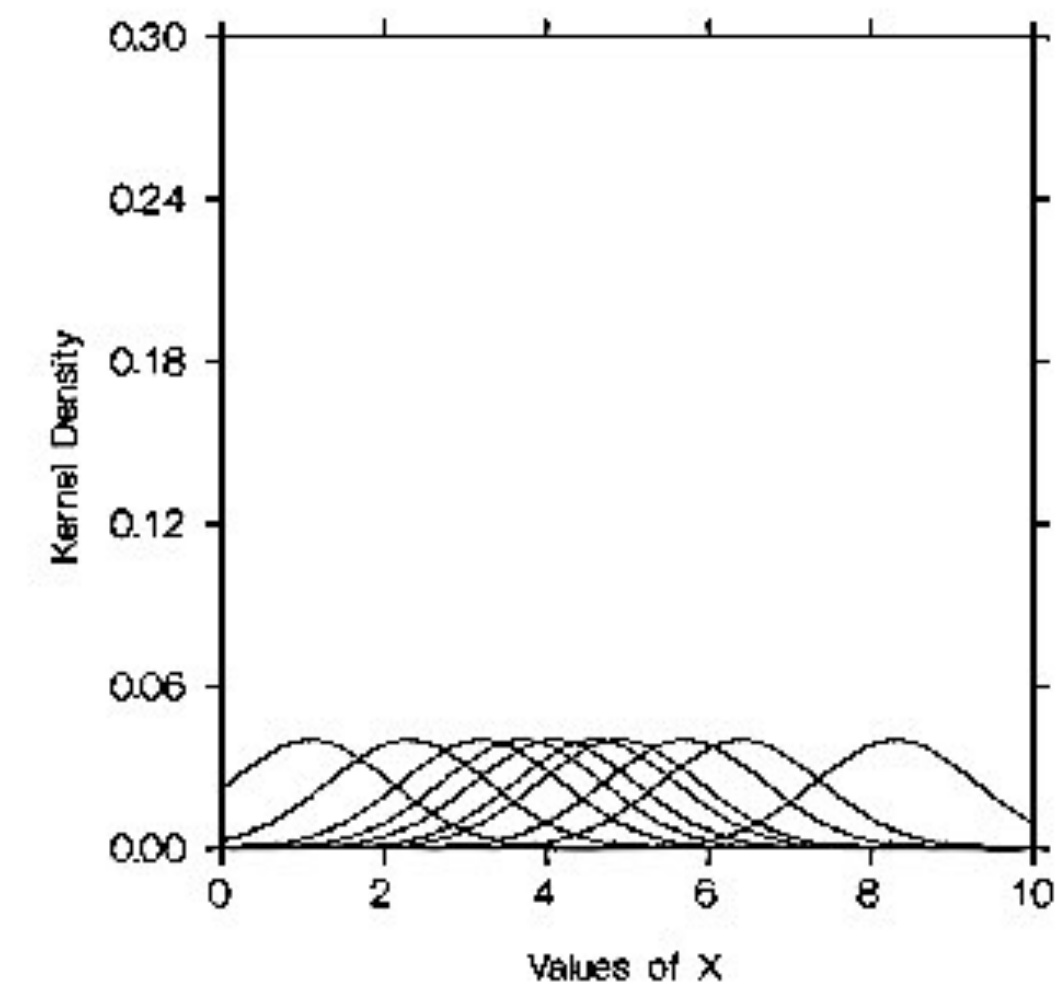
Smoothed Histograms

- Shows local densities as a smooth, continuous function of the original data series
- Looks better than a regular histogram, right?
- How do we make it?

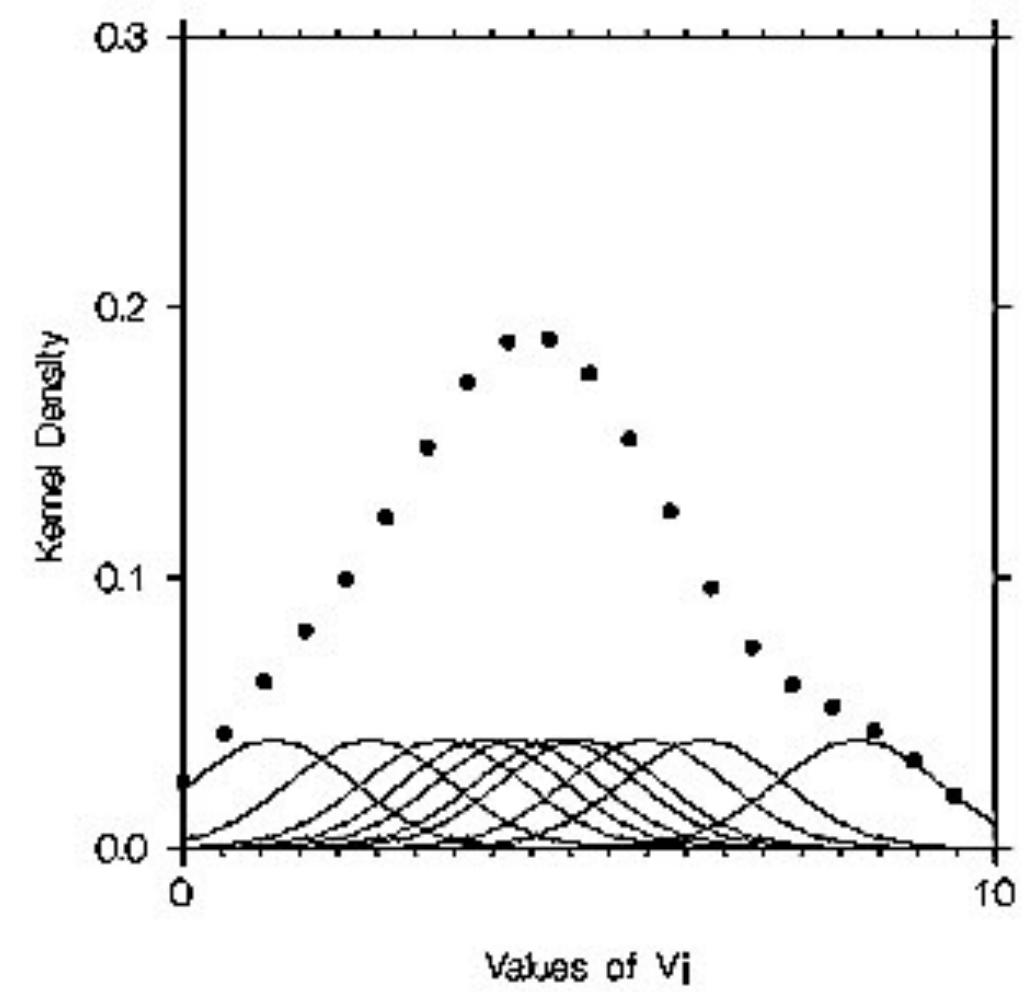
A. Univariate Scatterplot of 10 Data Points



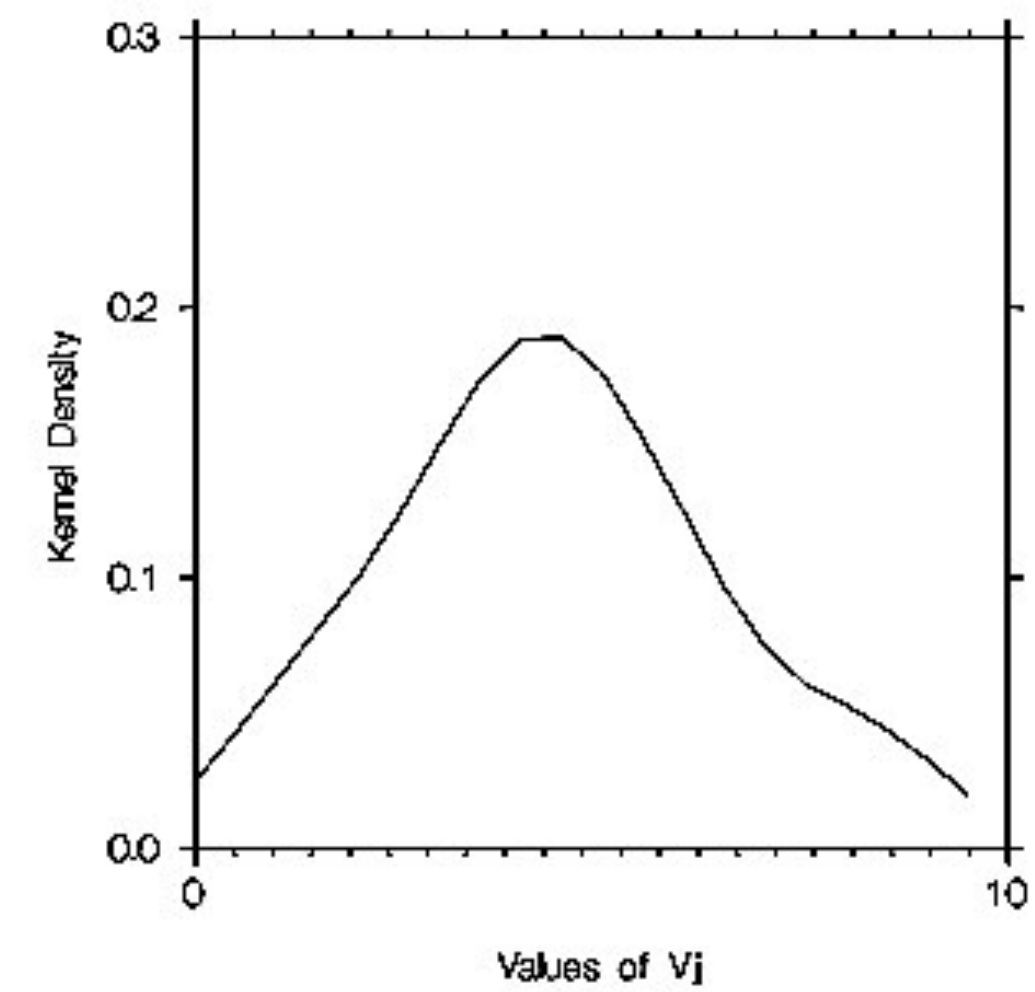
B. Data Shown as Kernel Densities



C. Summing Heights of Kernel Densities



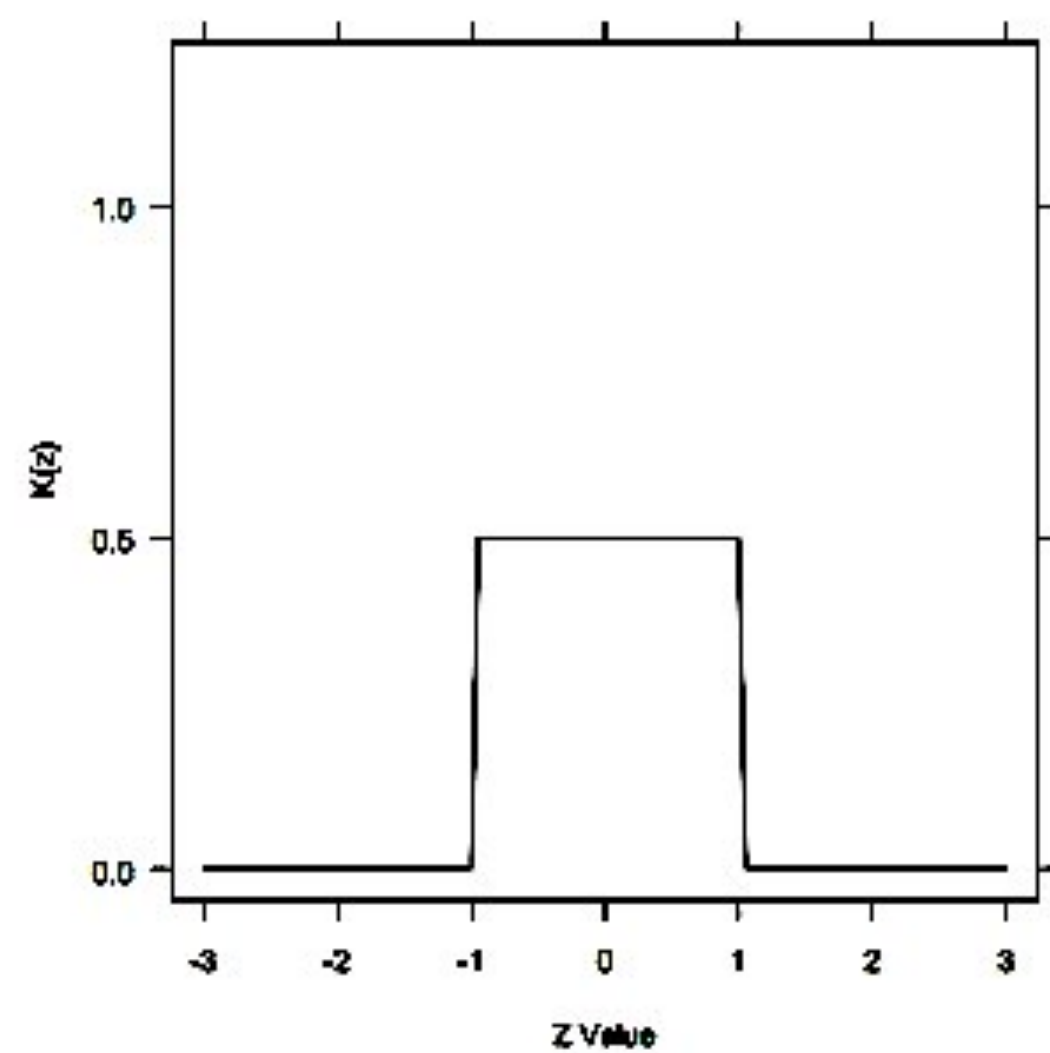
D. Smoothed Histogram



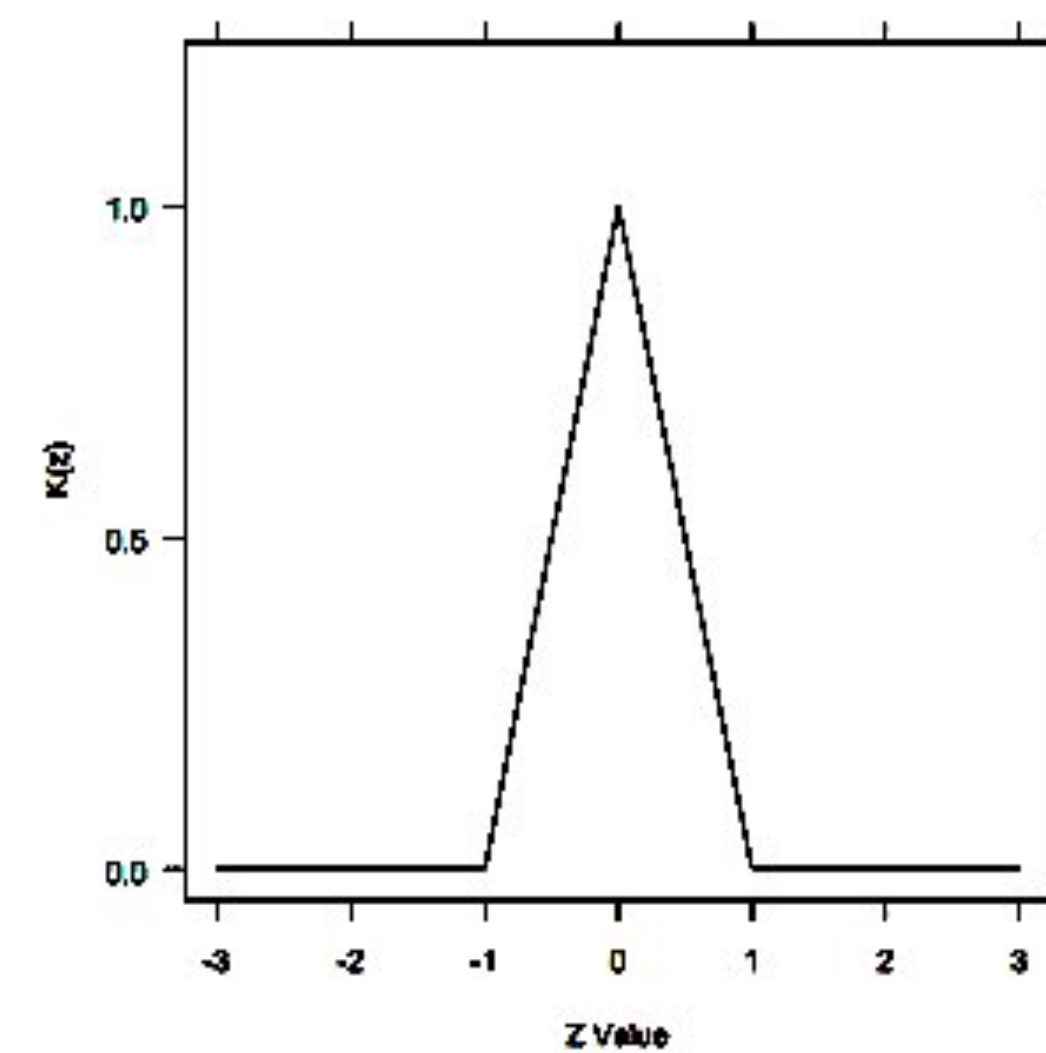
Smoothed Histograms

- Shows local densities as a smooth, continuous function of the original data series
- Woohoo! So we've fixed the problem! Yay creative statisticians!
 - Not so fast there, skipppy.
- There are many different kernel functions we can use to smooth the data.

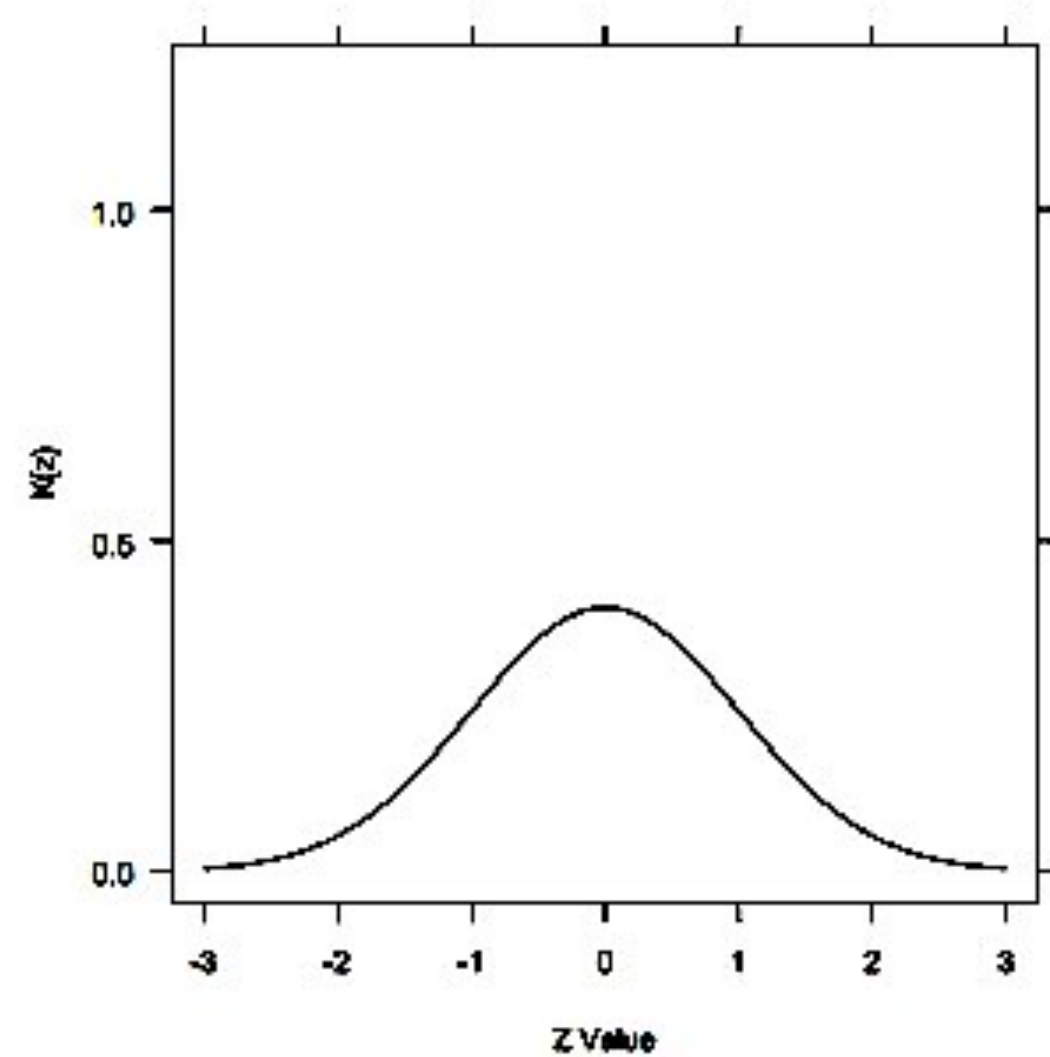
A. Rectangular Kernel



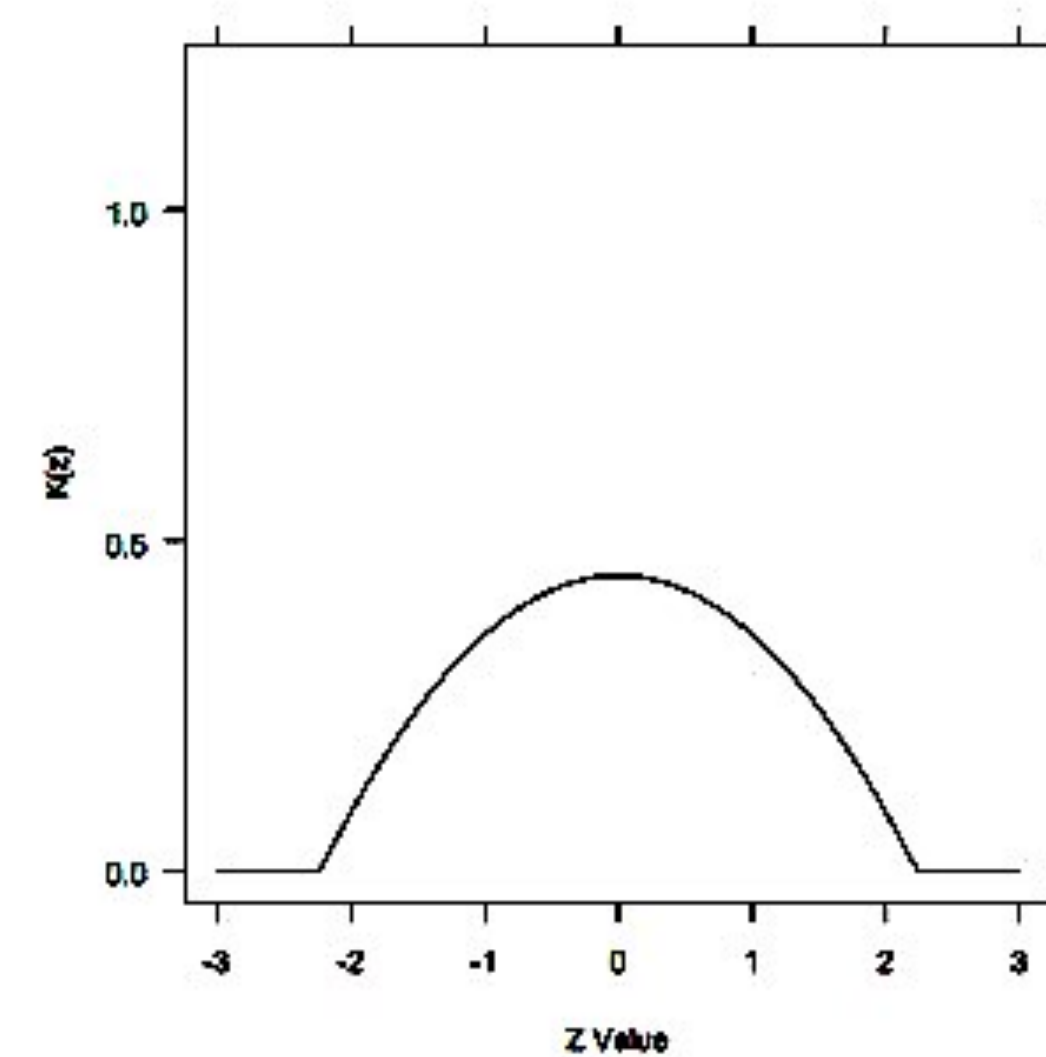
Triangular Kernel



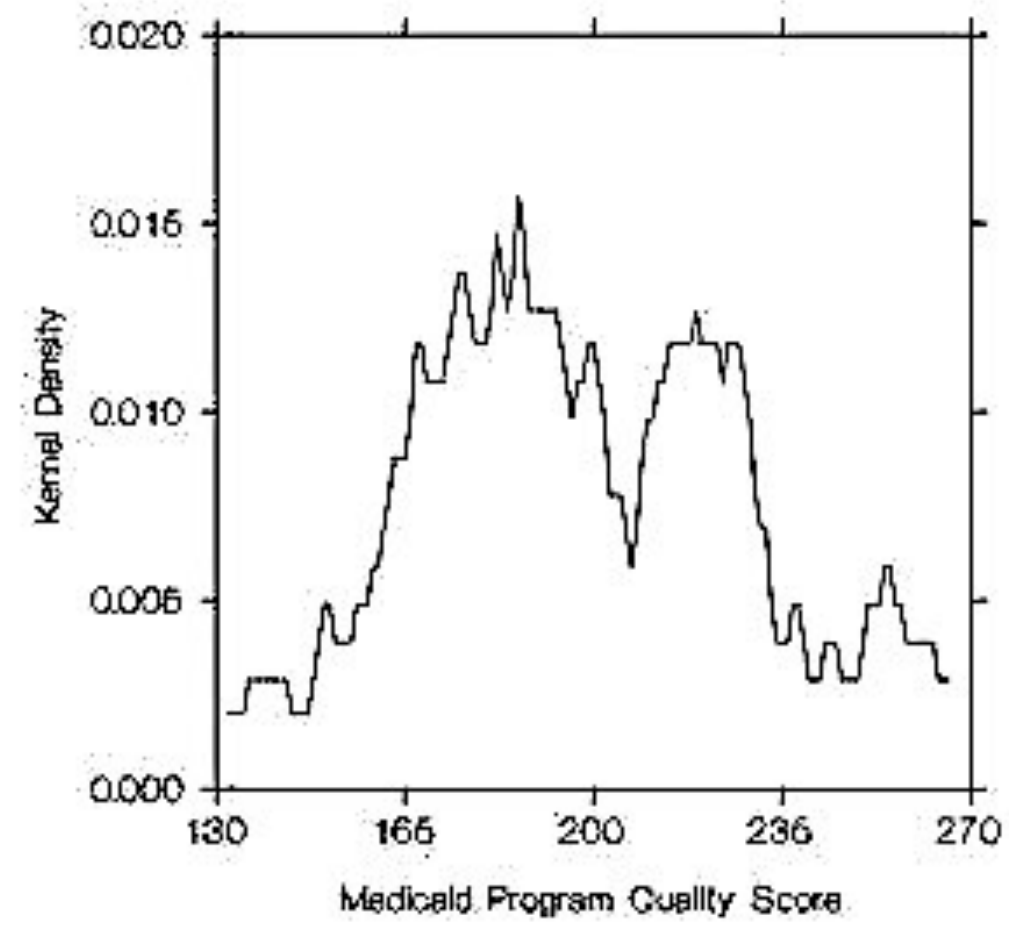
C. Gaussian Kernel



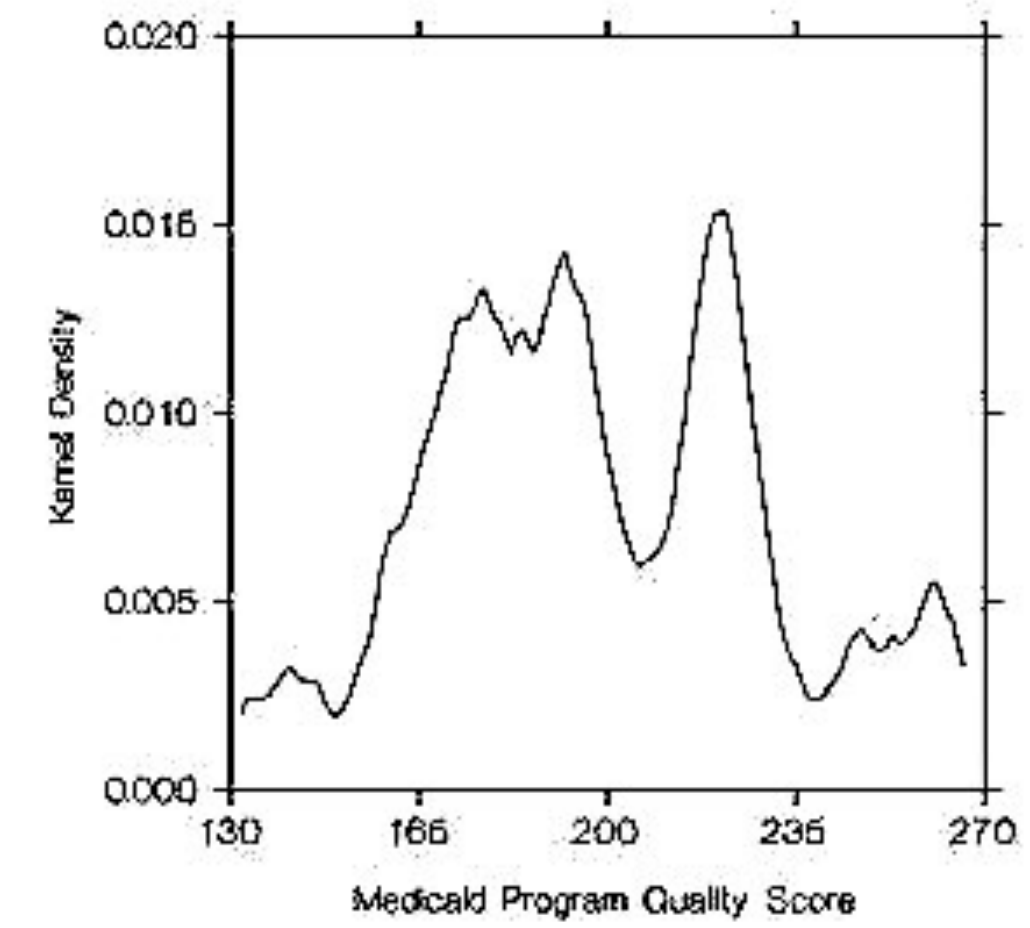
D. Epanechnikov Kernel



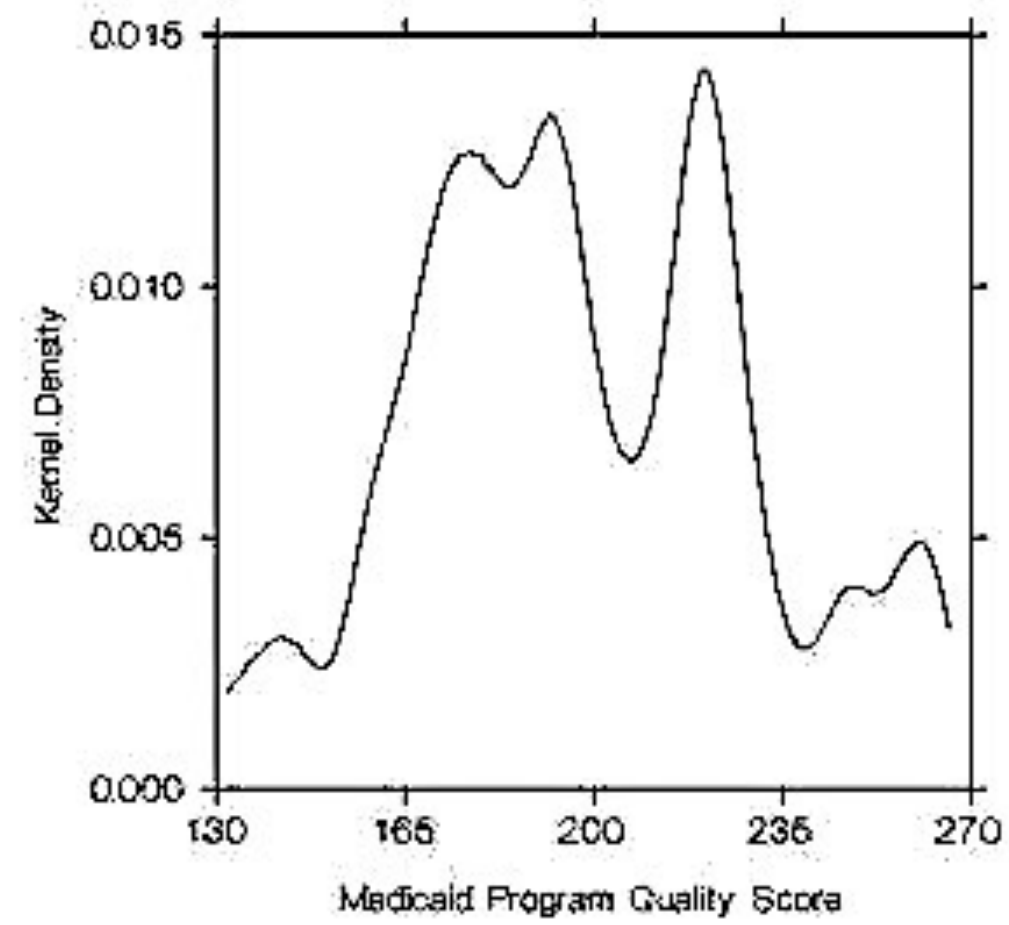
A. Rectangular Kernel



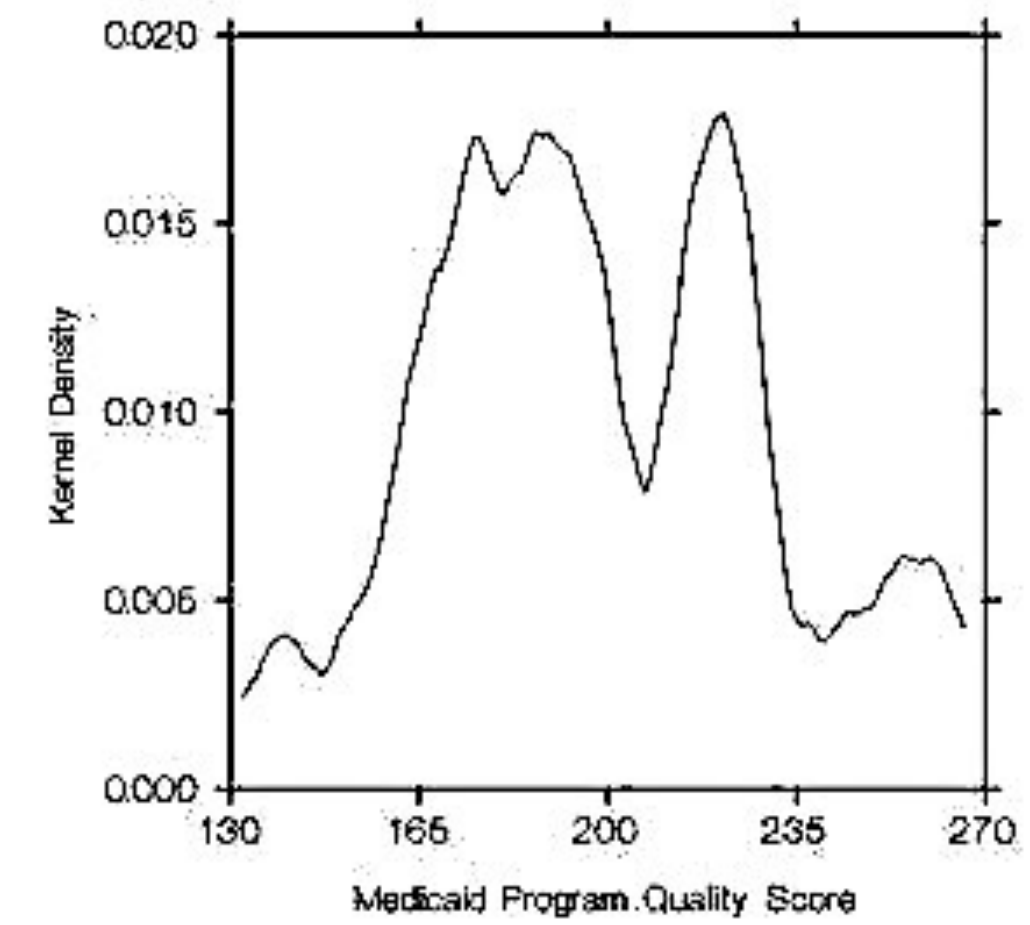
B. Triangular Kernel



C. Gaussian Kernel



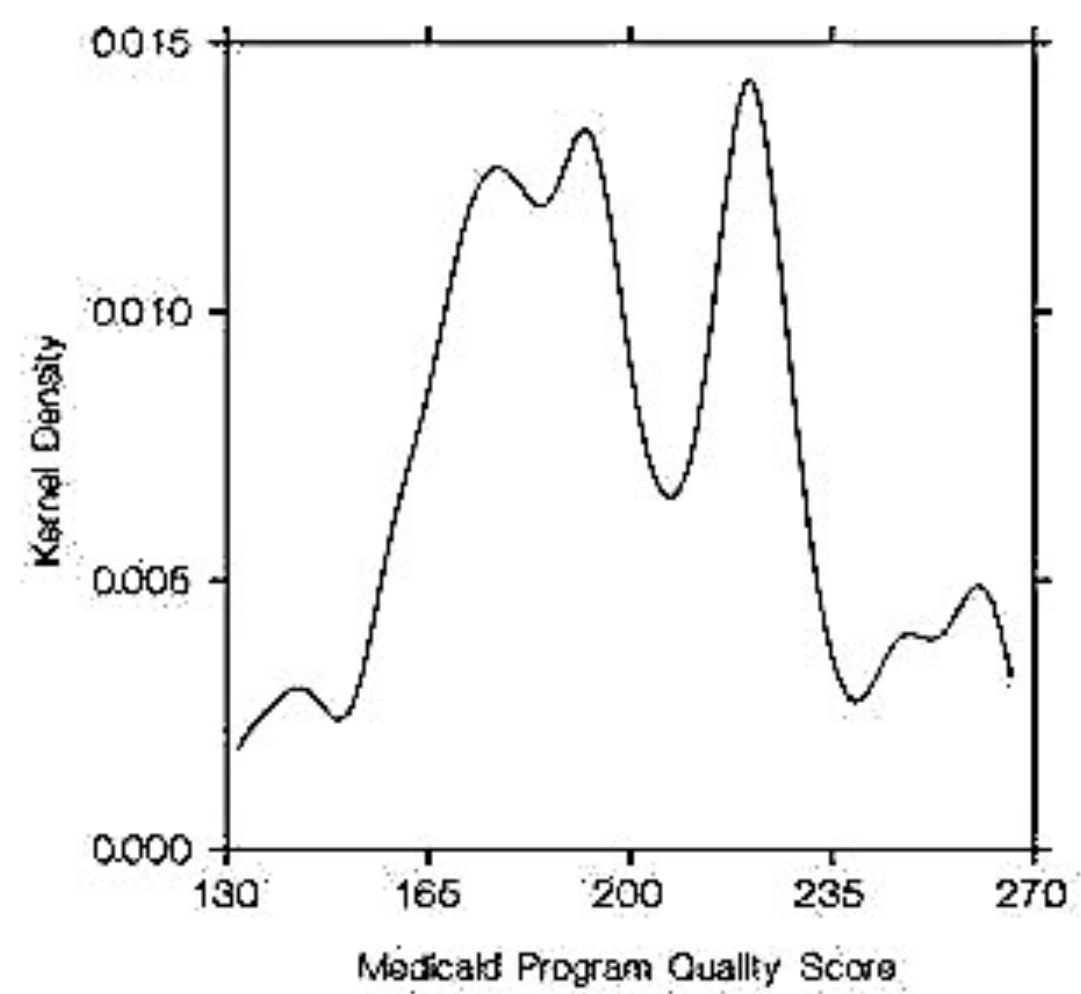
D. Epanechnikov Kernel



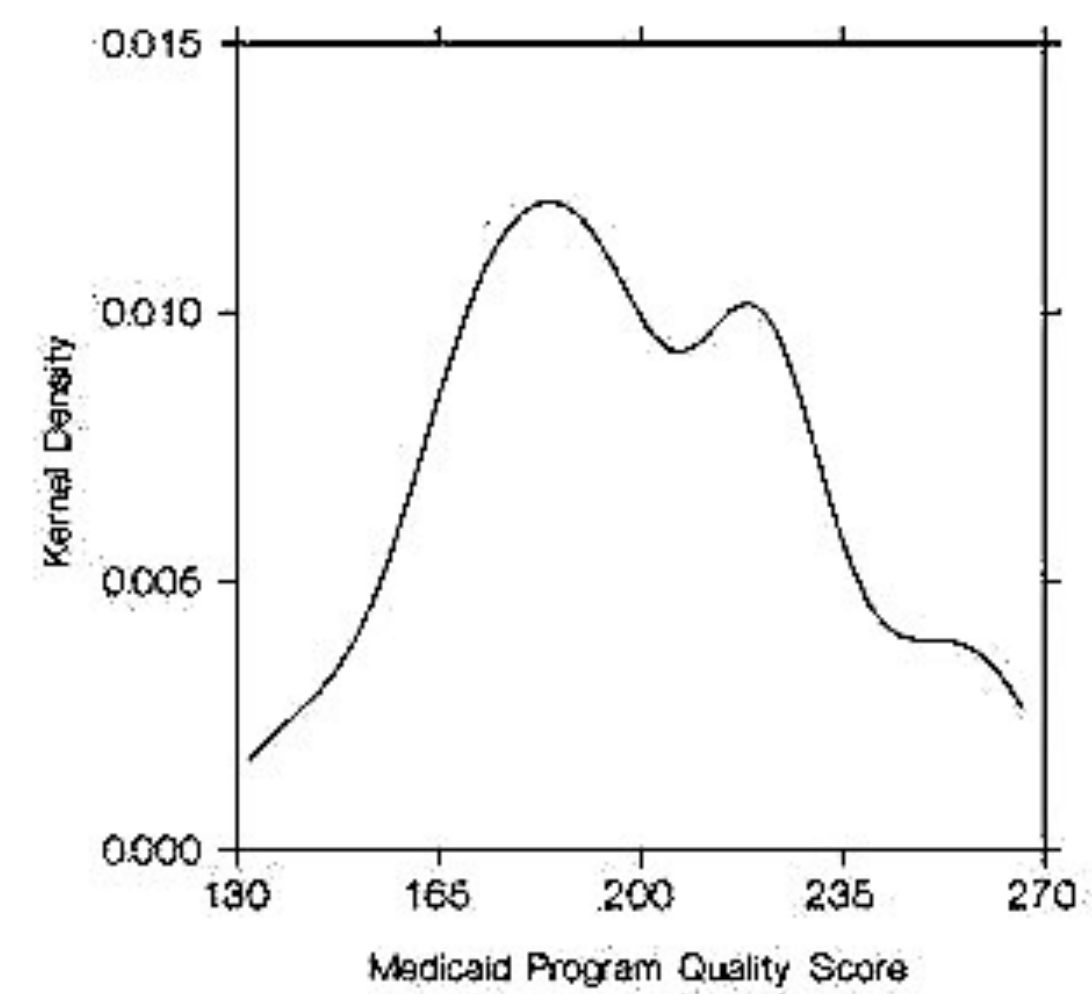
Smoothed Histograms

- Shows local densities as a smooth, continuous function of the original data series
- There are many different kernel functions we can use to smooth the data.
- We also have to decide how much data those kernels look at (the *bandwidth*) . . . which means we still, fundamentally, have a kind binning problem.

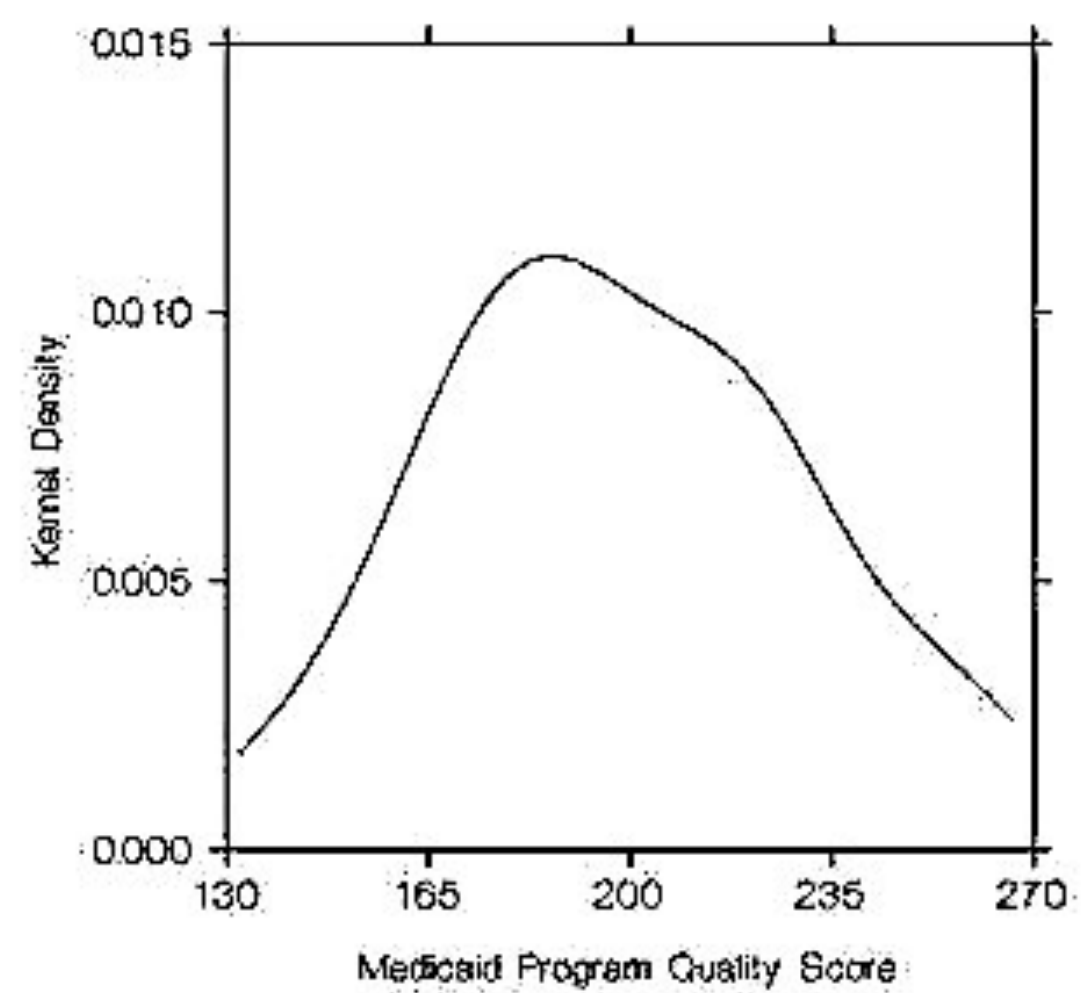
A. Bandwidth $h = 5$



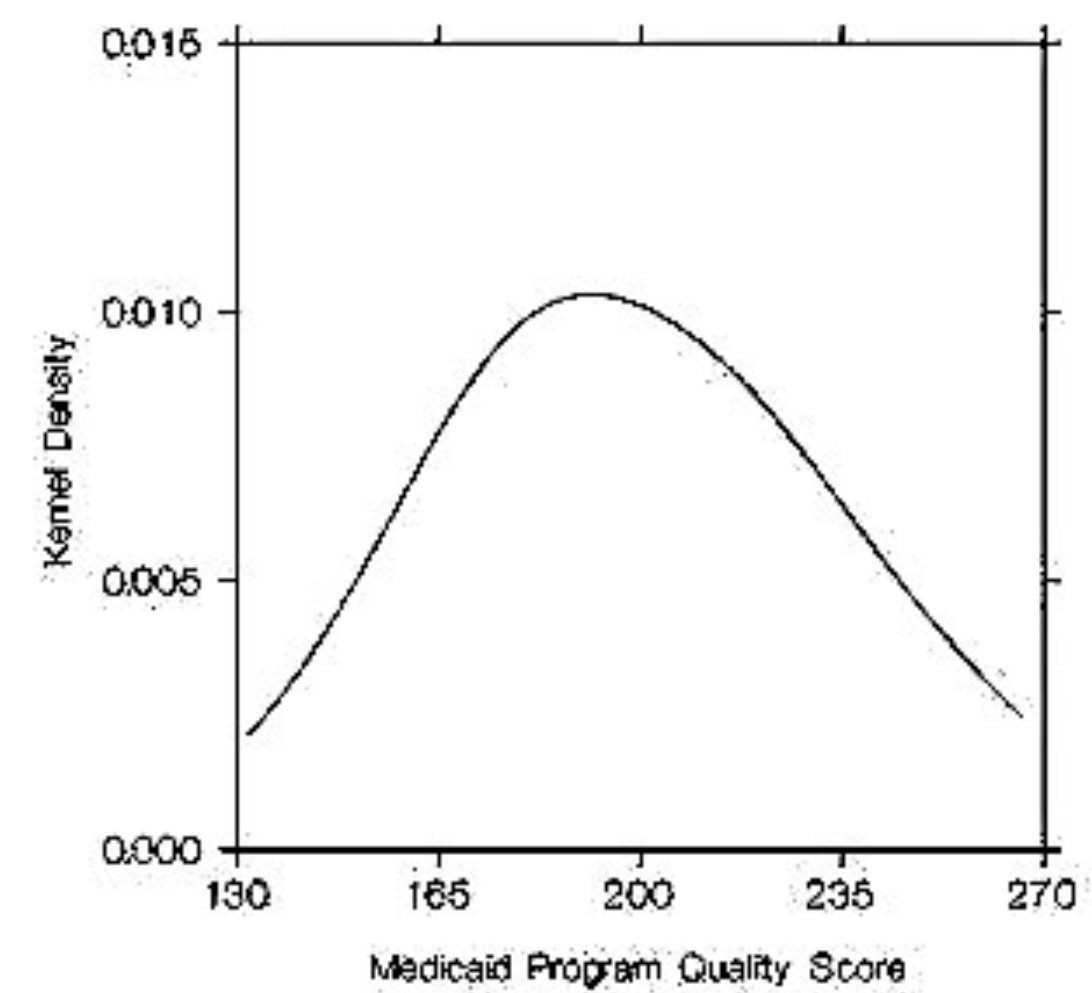
B. Bandwidth, $h = 10$



C. Bandwidth, $h = 15$



D. Bandwidth, $h = 20$



Smoothed Histograms

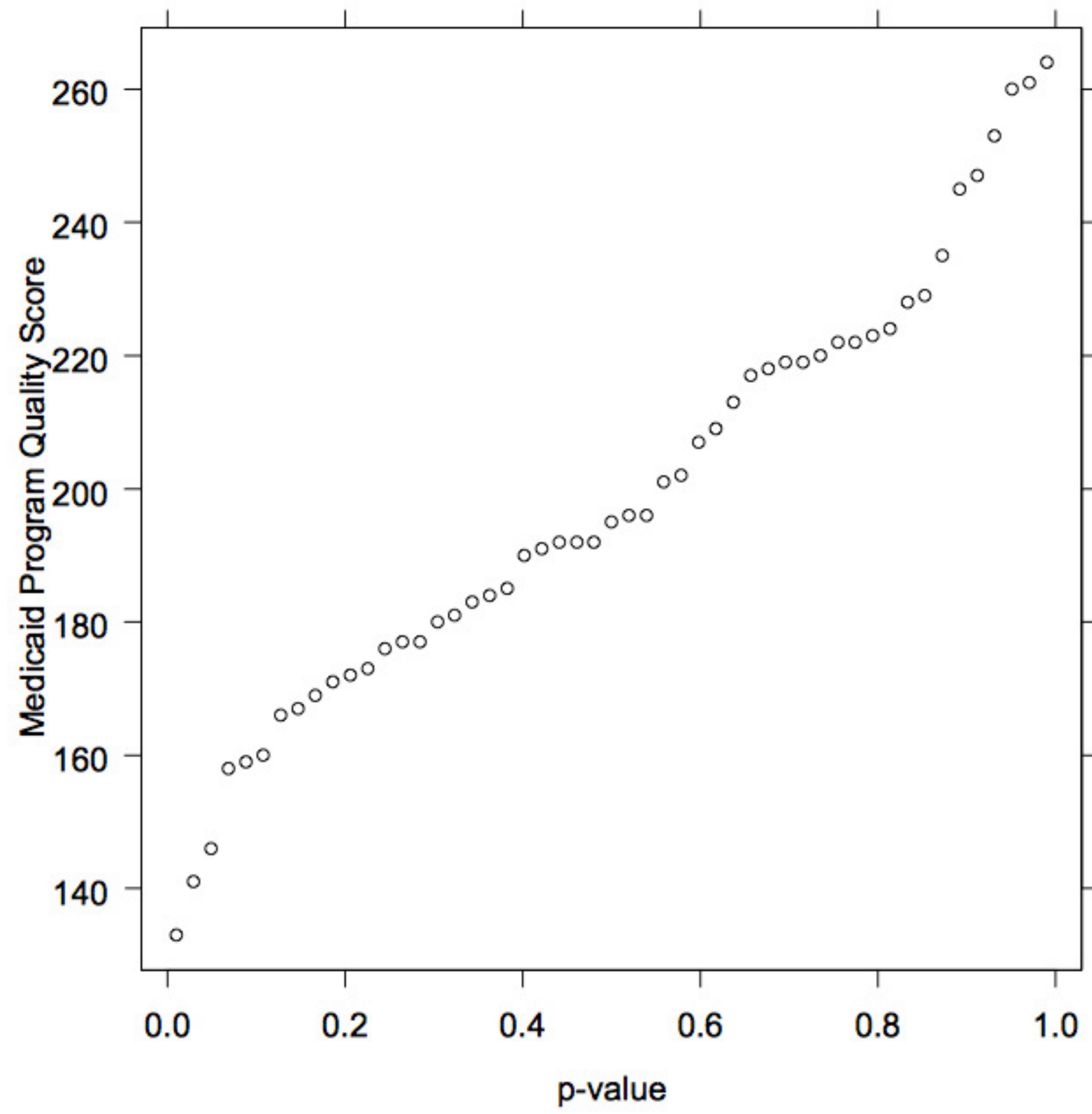
- Shows local densities as a smooth, continuous function of the original data series
- There are many different kernel functions we can use to smooth the data.
- We also have to decide how much data those kernels look at (the *bandwidth*) .
.. which means we still, fundamentally, have a kind binning problem.

Assumptions and Models in Graphics

- OK, I give up. I'll never make any graphs ever and never make any mistakes.
 - *No! Don't do that!*
- Creation of graphics, like creation of OLS models, is always problematic. There are always assumptions floating around you can violate.
- Purpose is to make sure to *understand* what trade-offs you're making, and what the strengths and weaknesses of your graph are.
- Nice parallel to actual statistics.

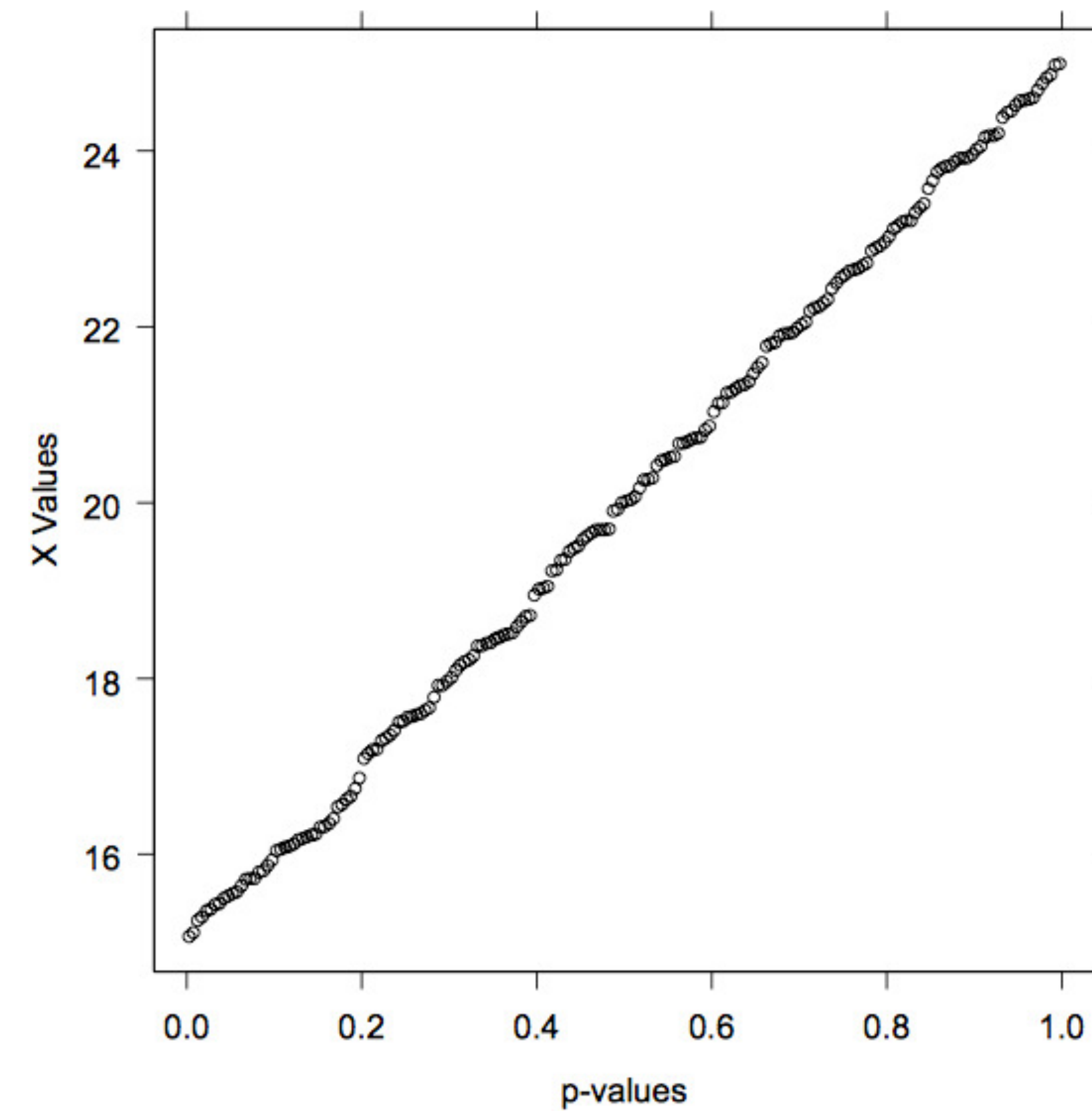
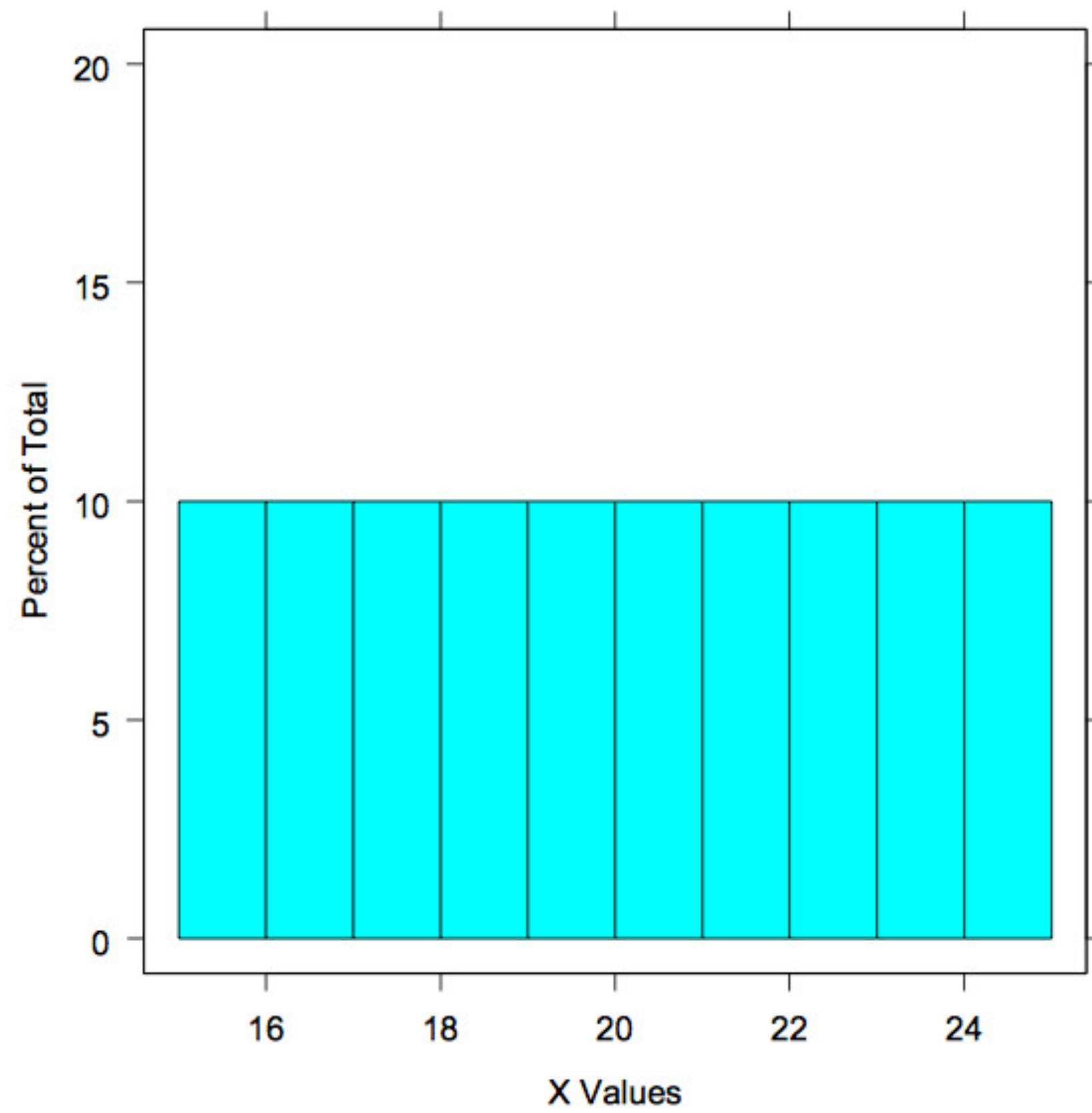
Quantile Plots

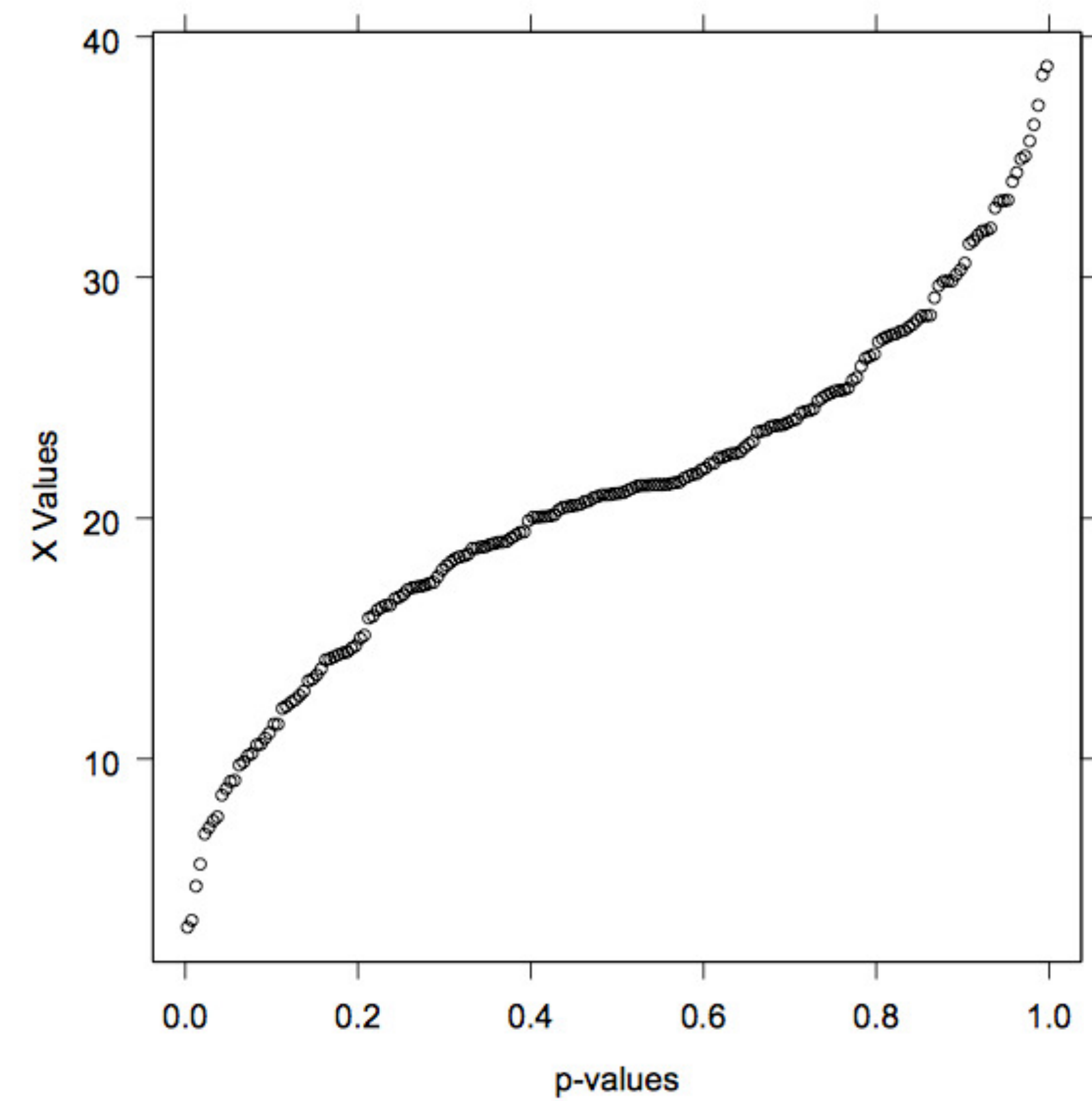
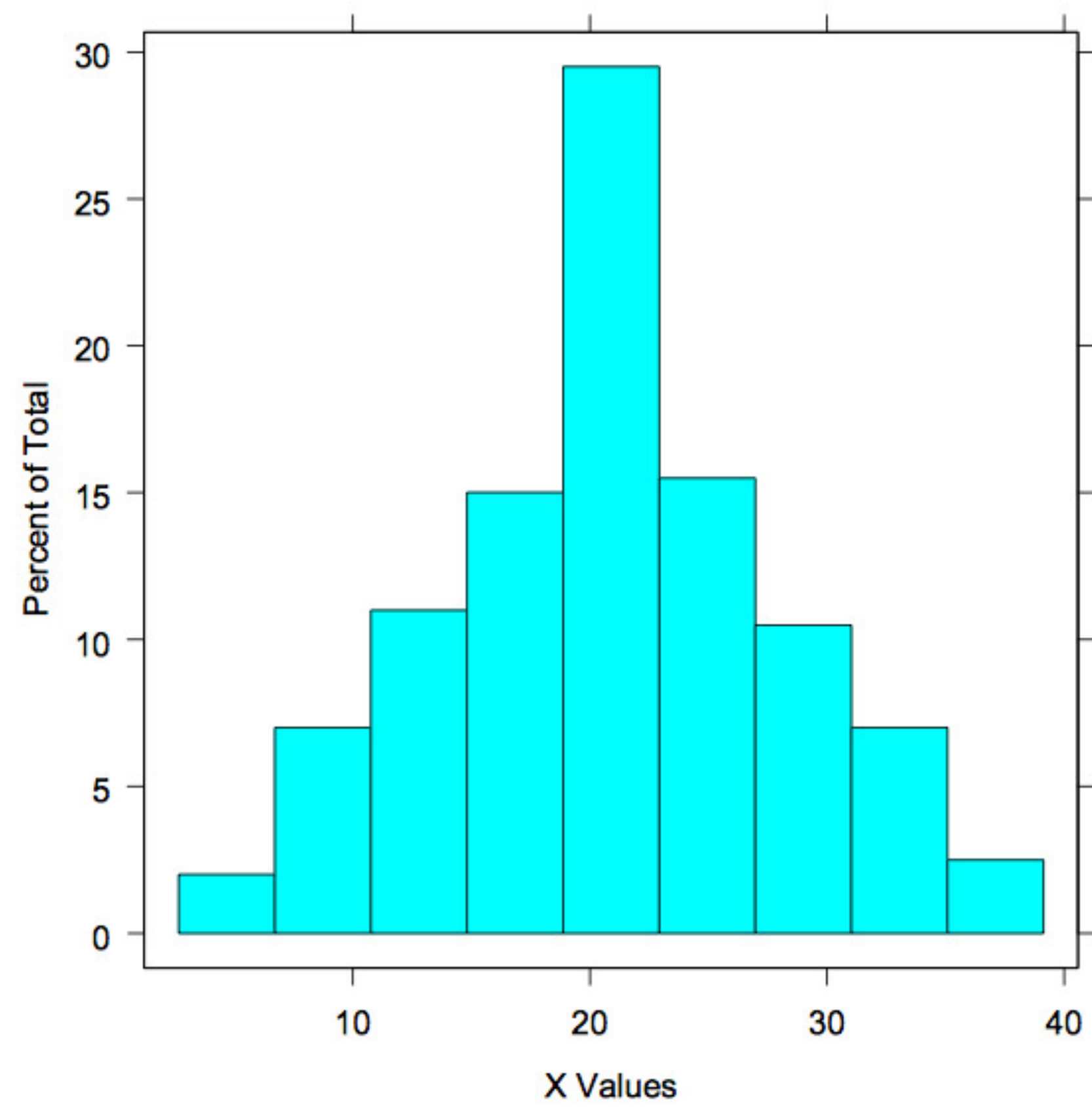
- Quantiles are the order statistics for a data distribution
- A quantile plot is a two-dimensional display - a scatterplot of data values versus their position within the ordered distribution

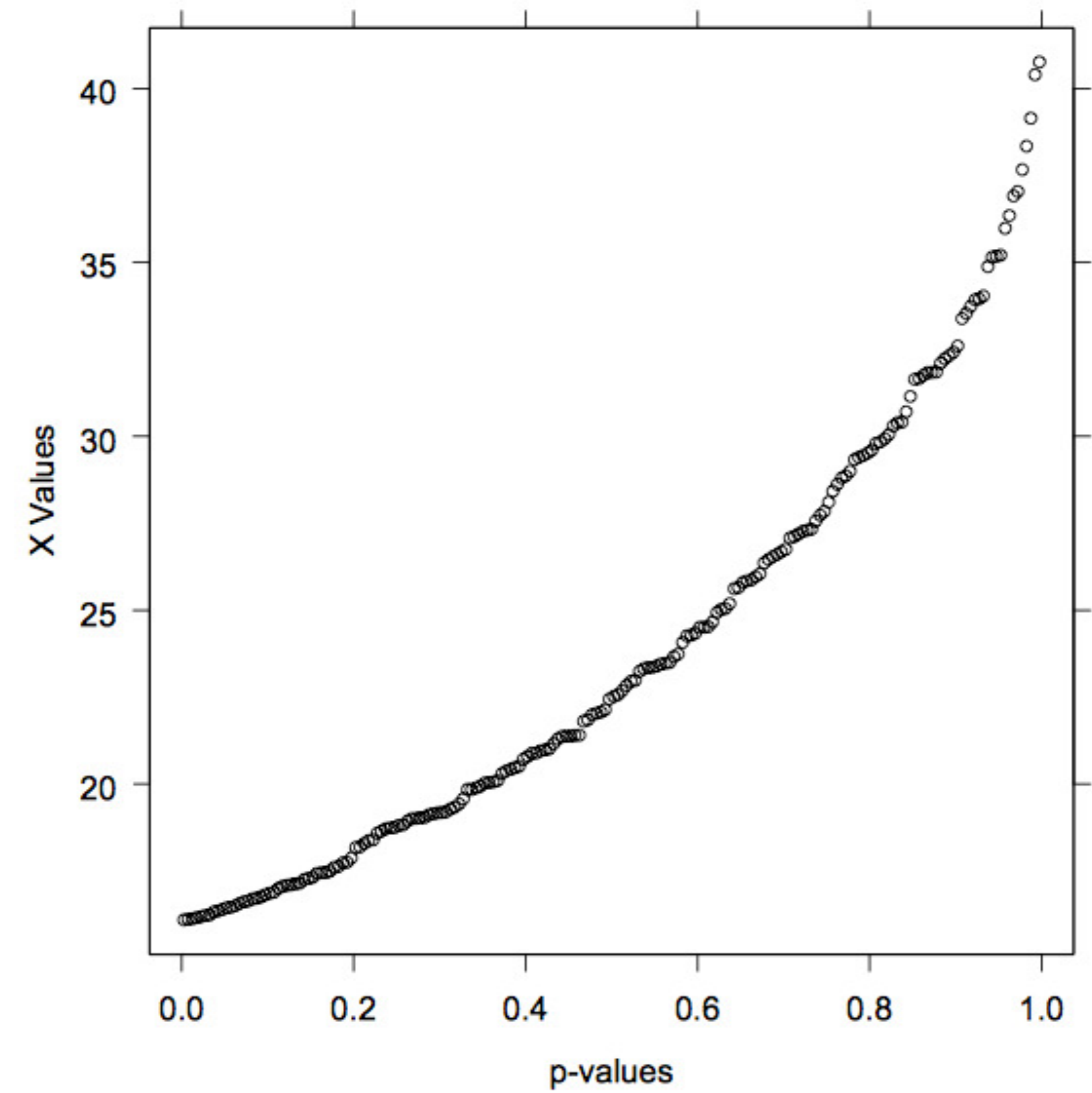
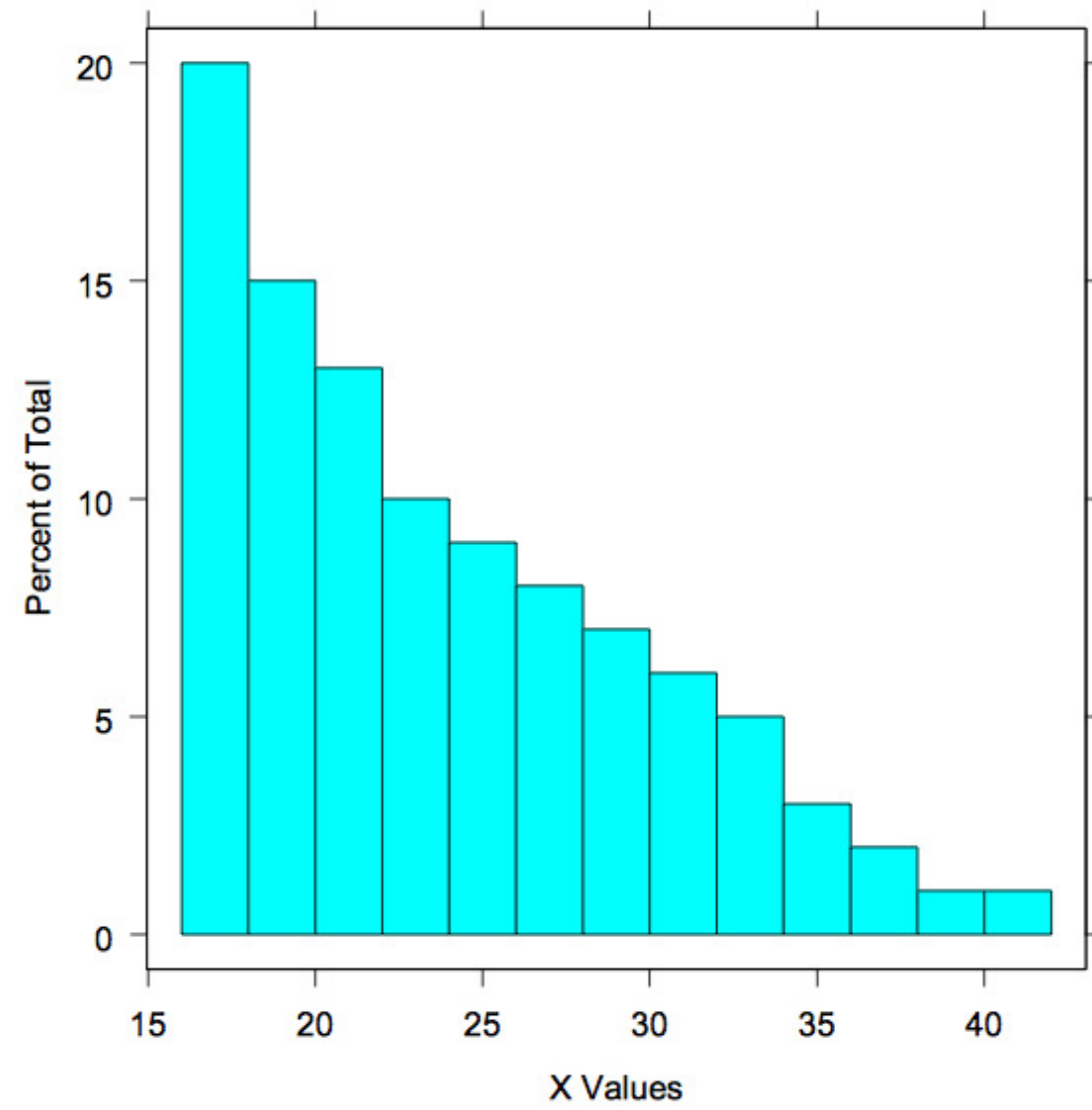


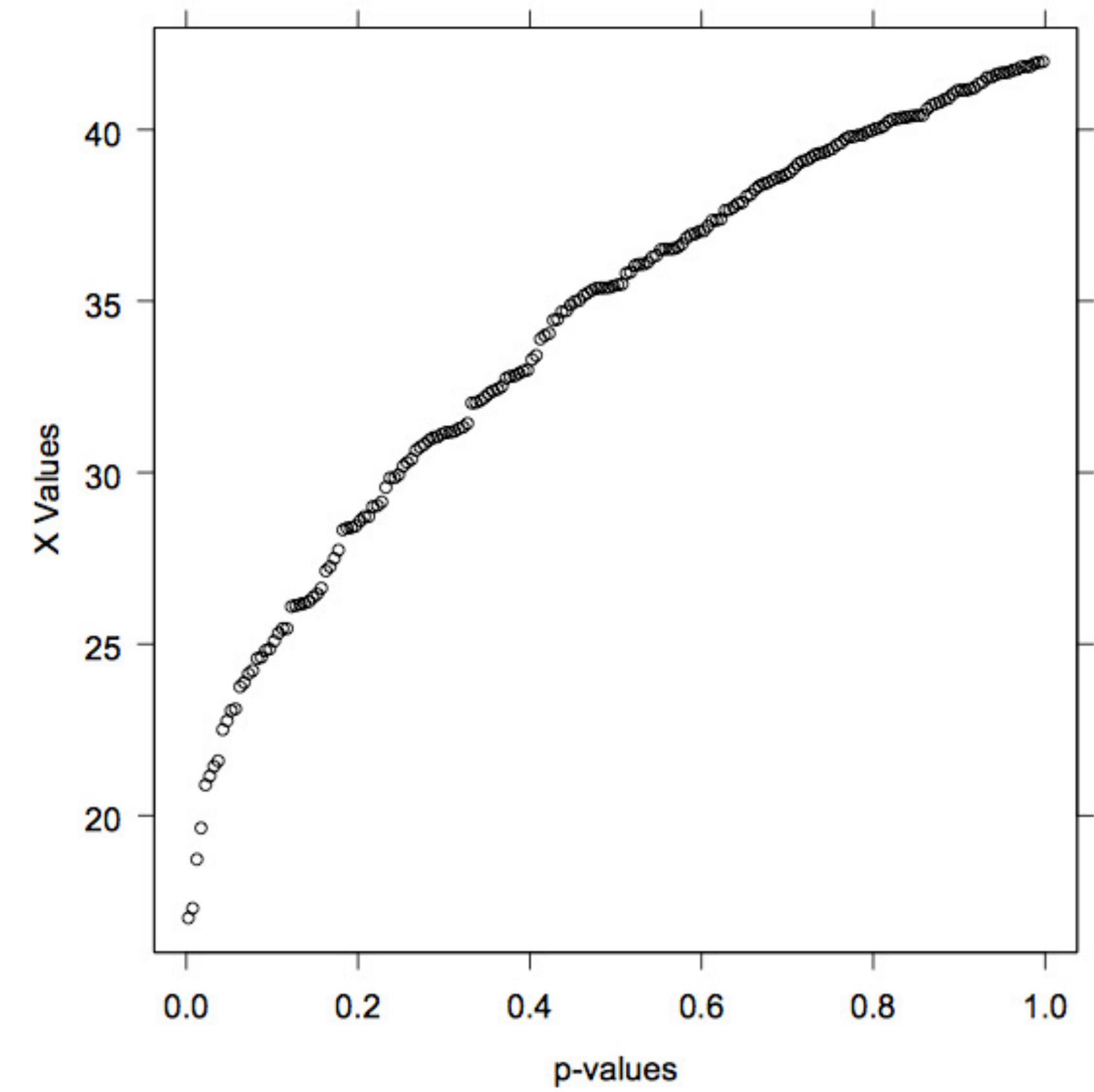
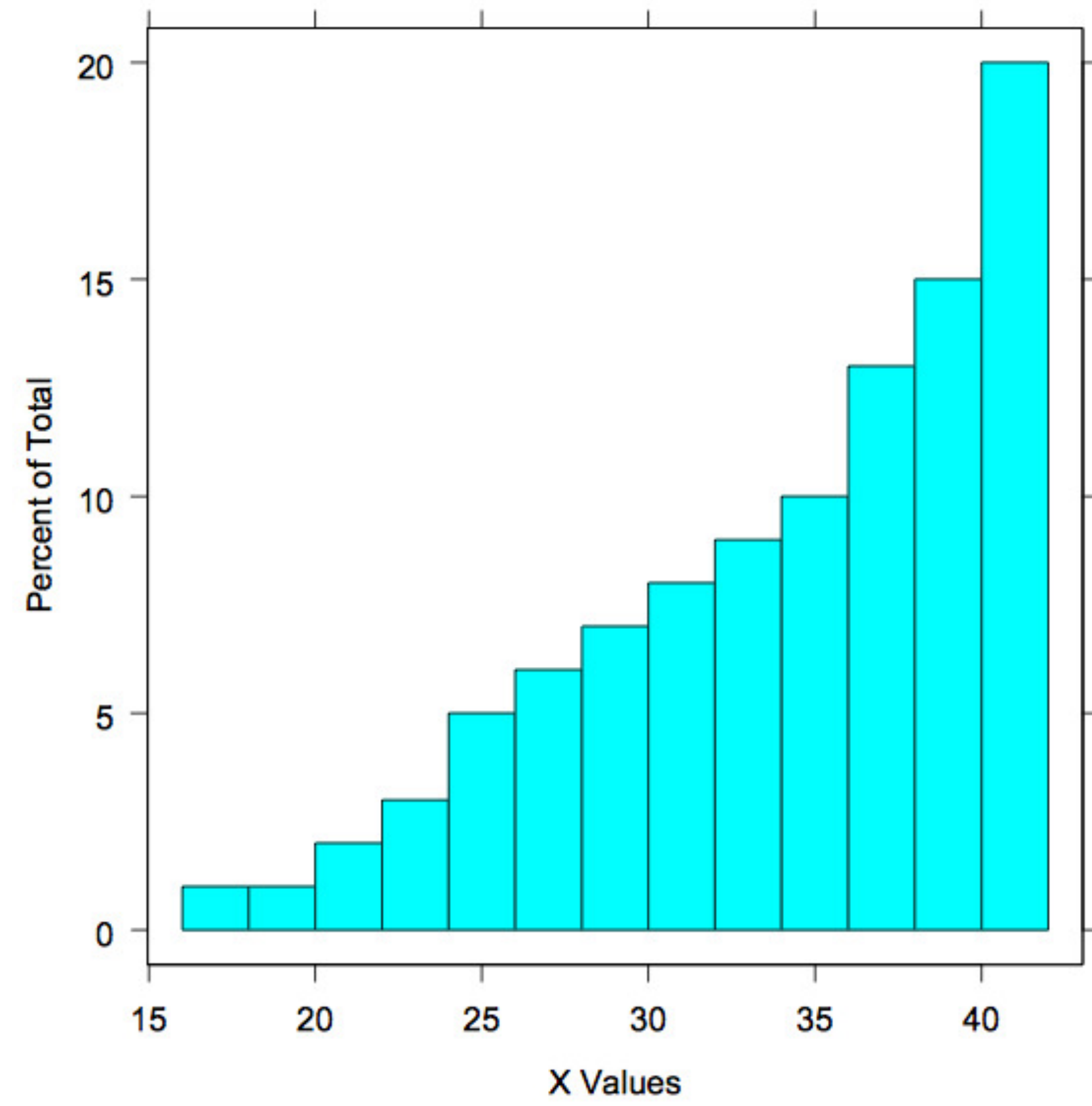
Quantile Plots

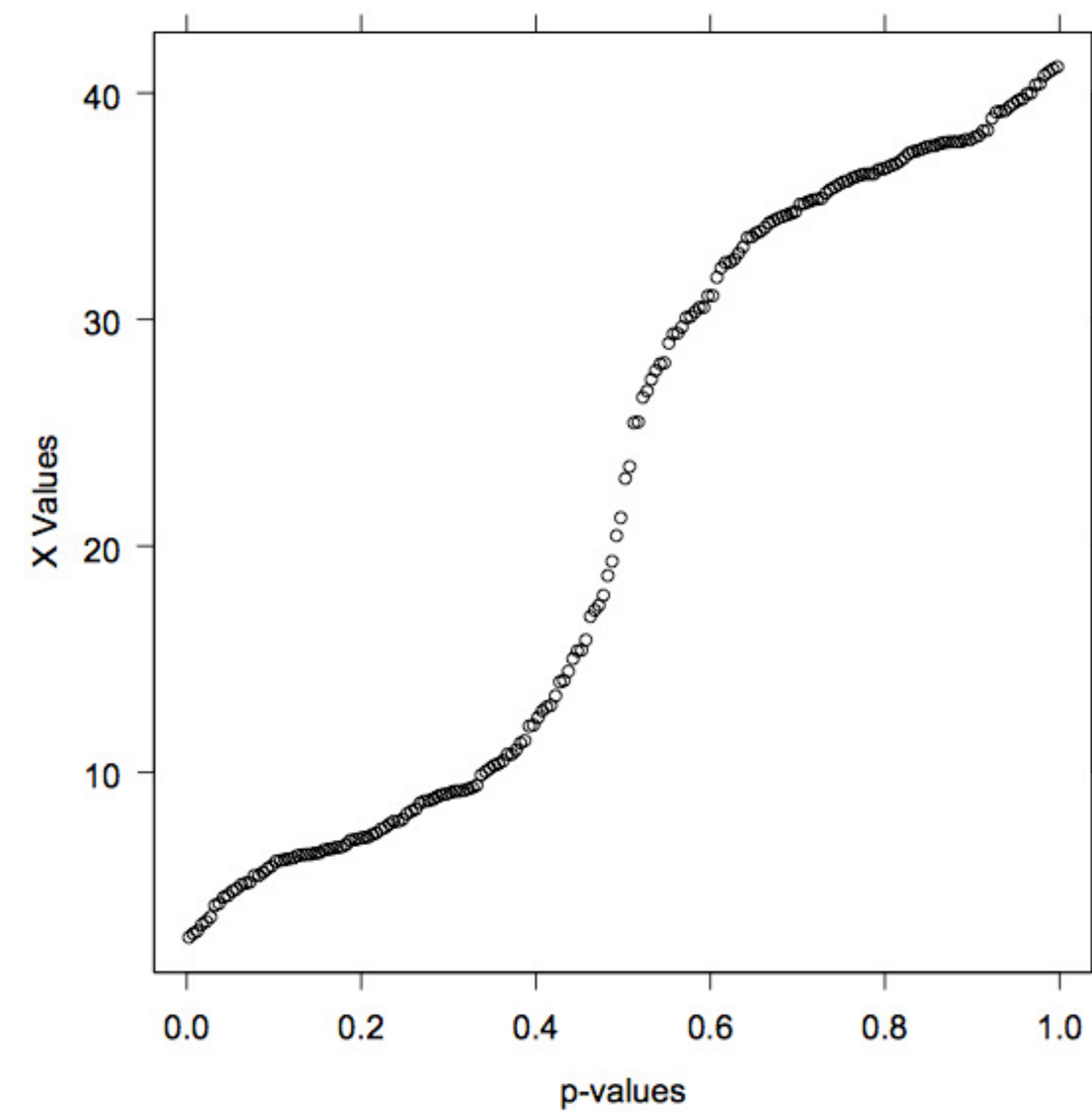
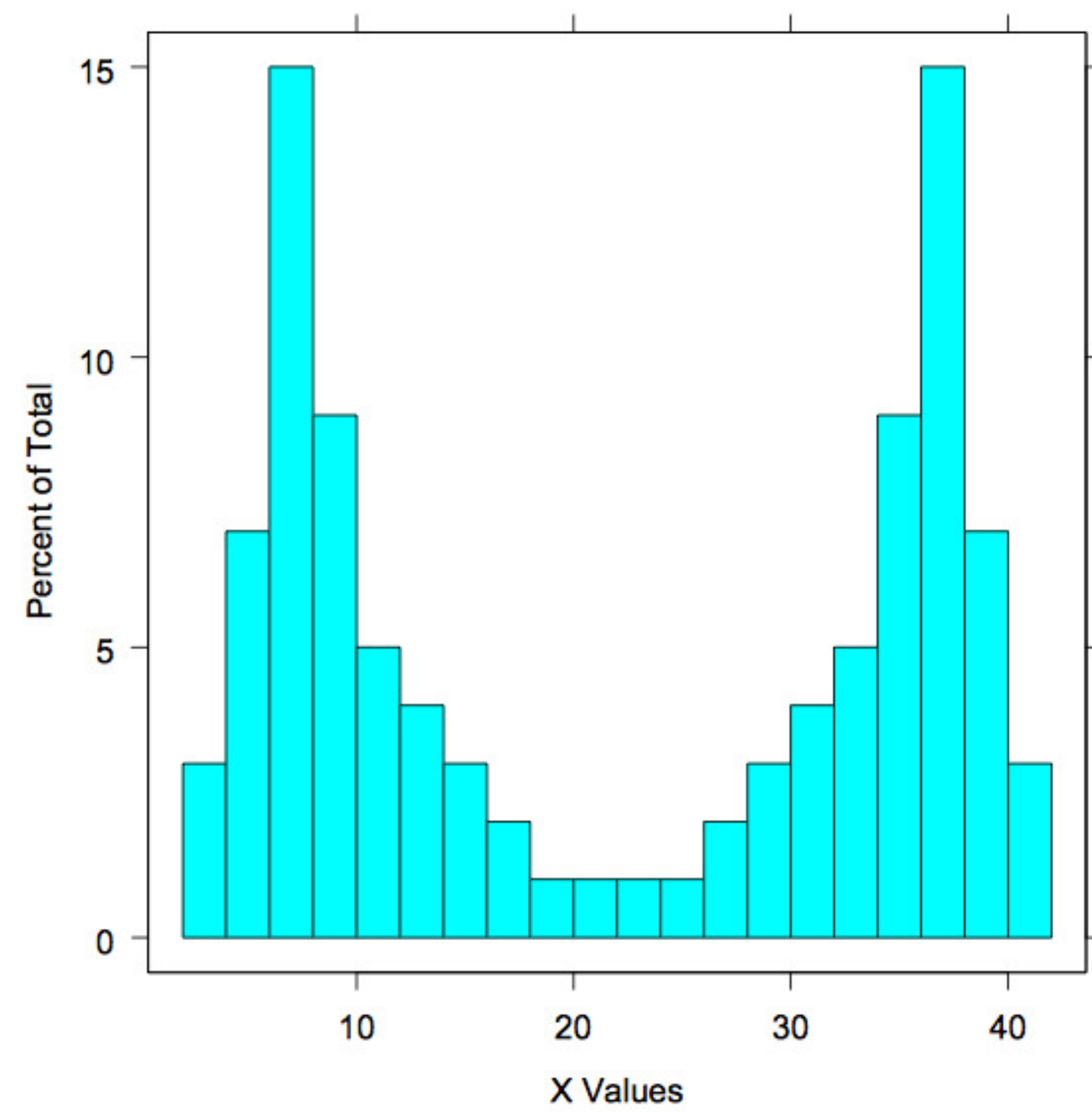
- Quantiles are the order statistics for a data distribution
 - A quantile plot is a two-dimensional display - a scatterplot of data values versus their position within the ordered distribution
- Quantile plots can solve many of the mathematical issues we have with histograms.
 - However, quantile plots are kind of tricky to interpret; we're not used to them. Compare to the following histograms:





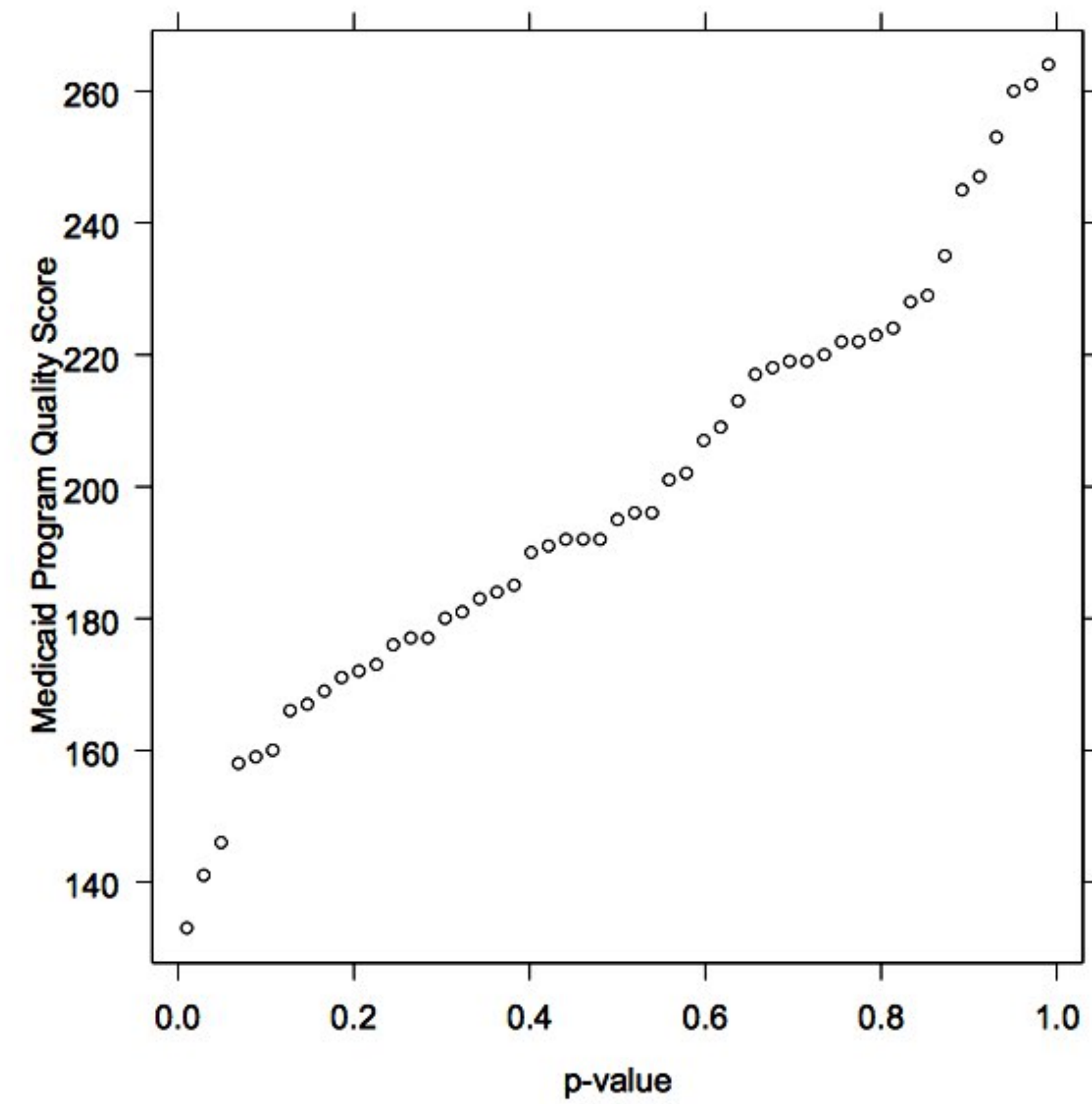
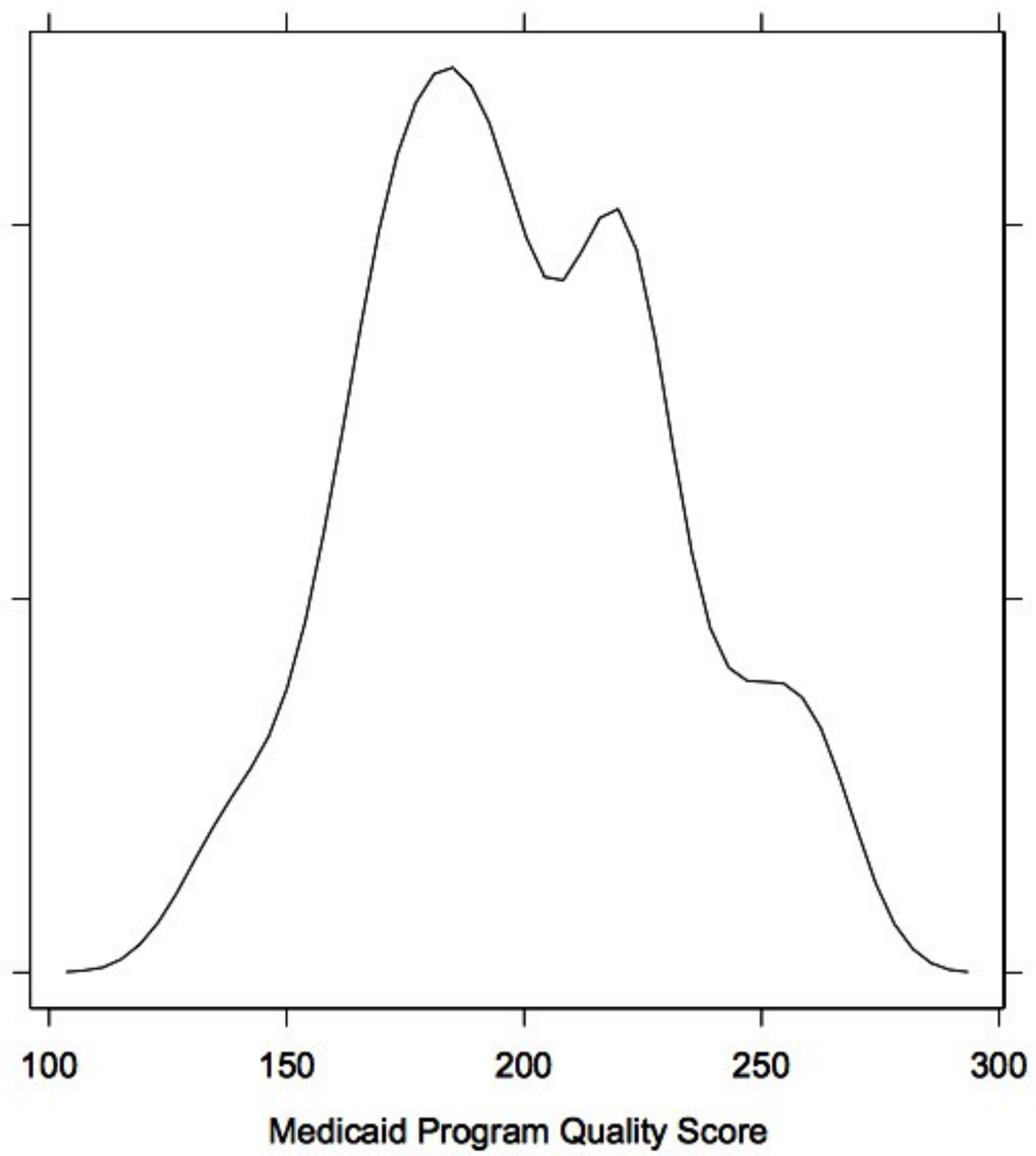


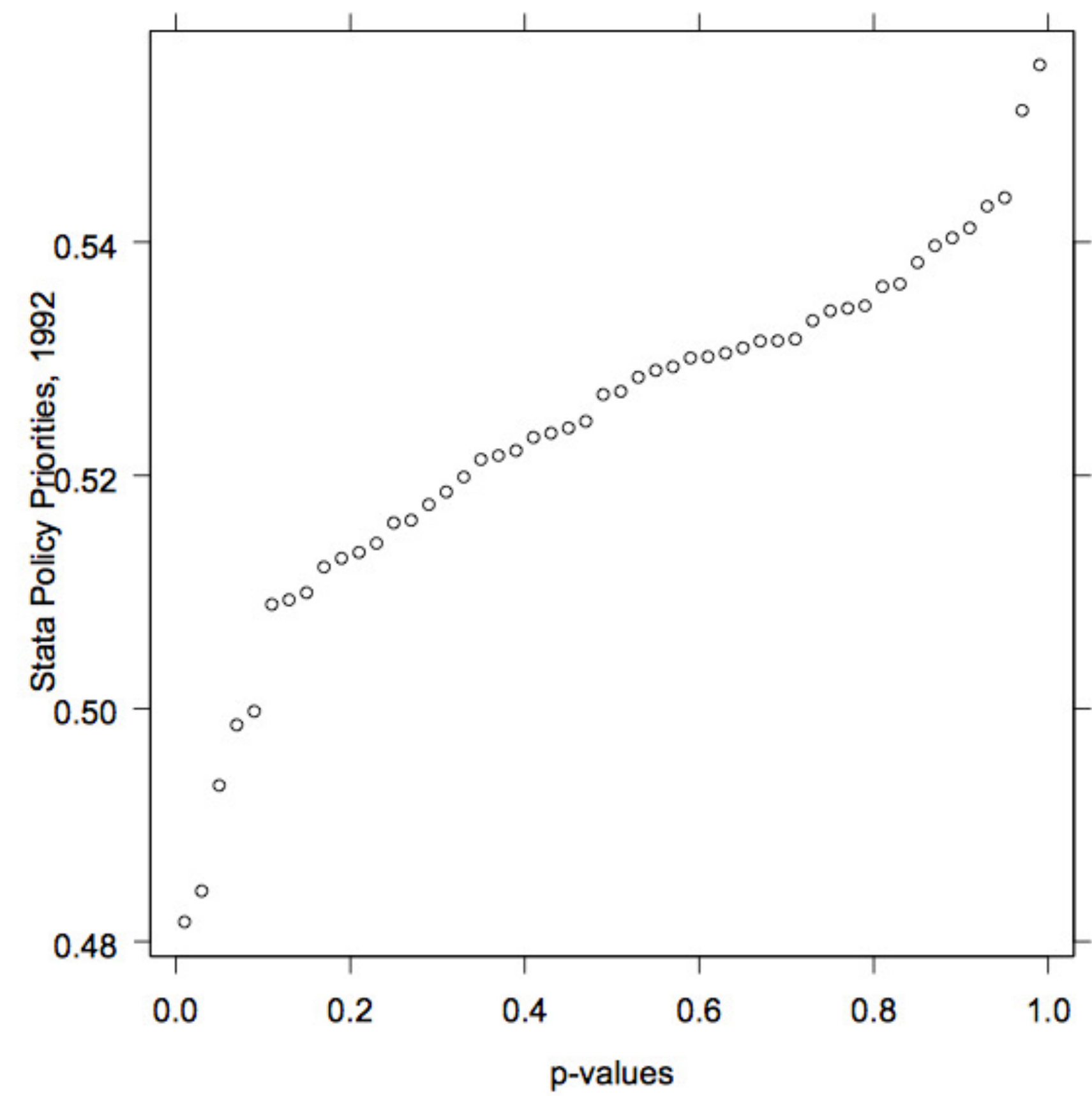
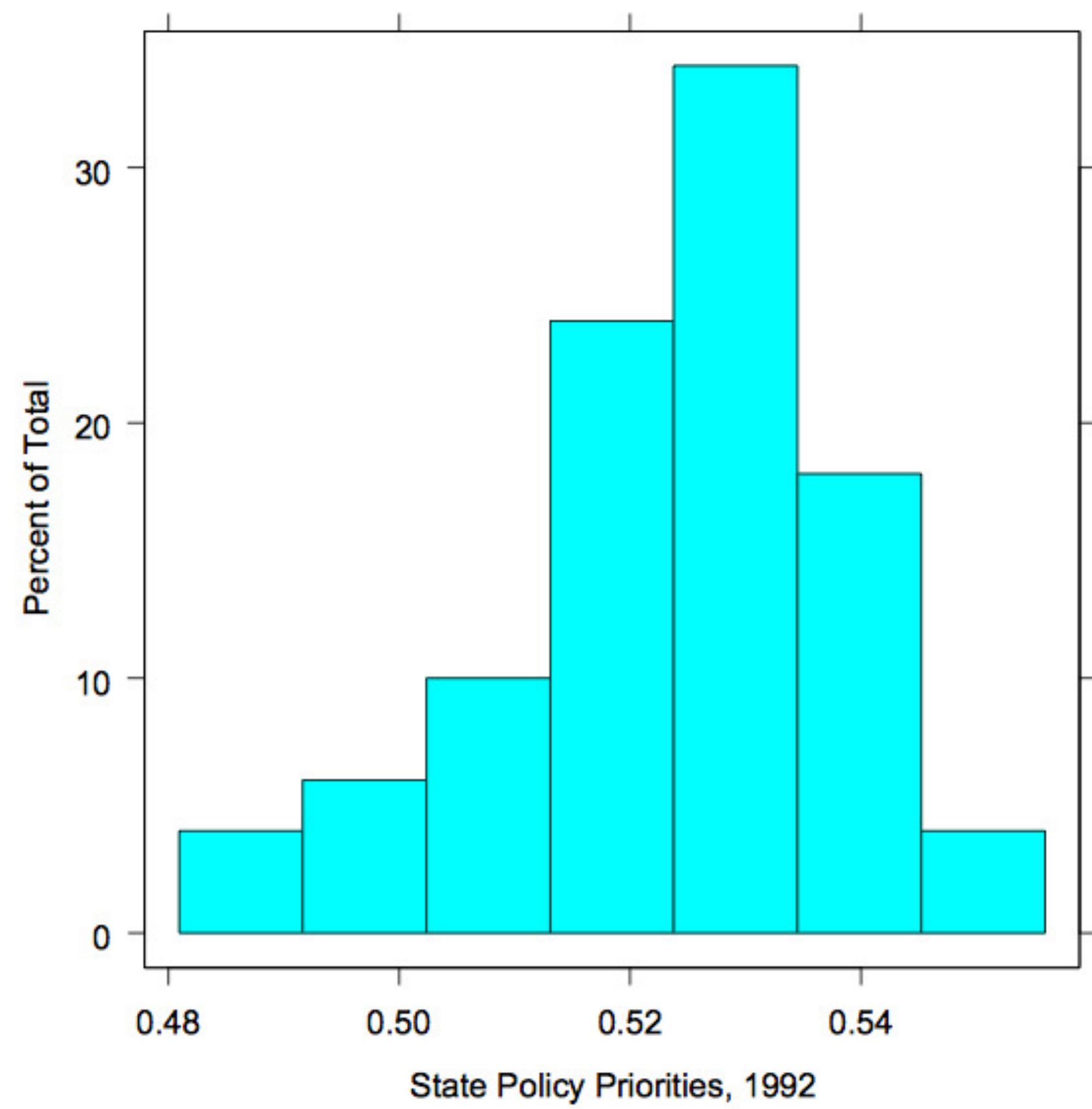


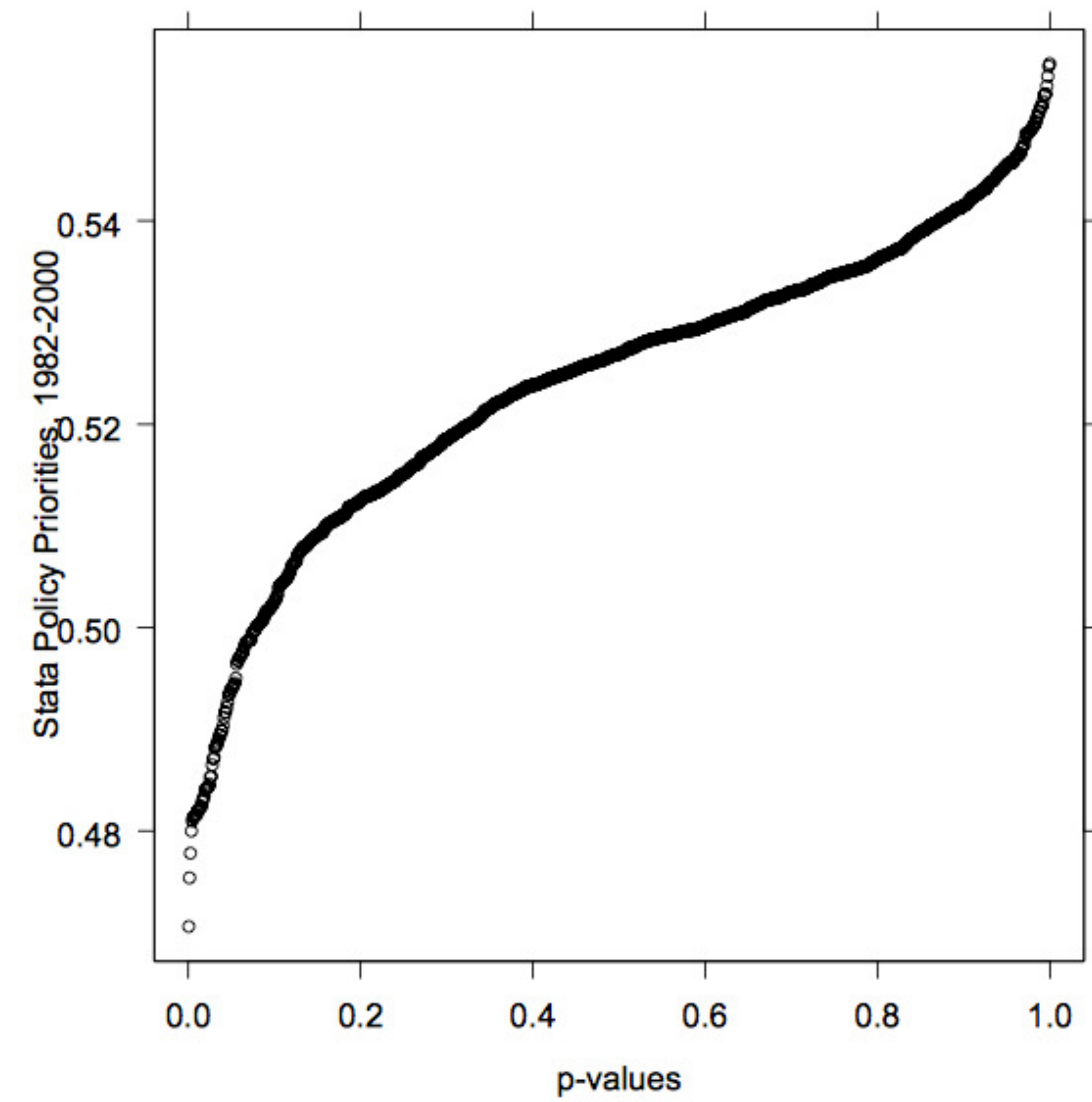
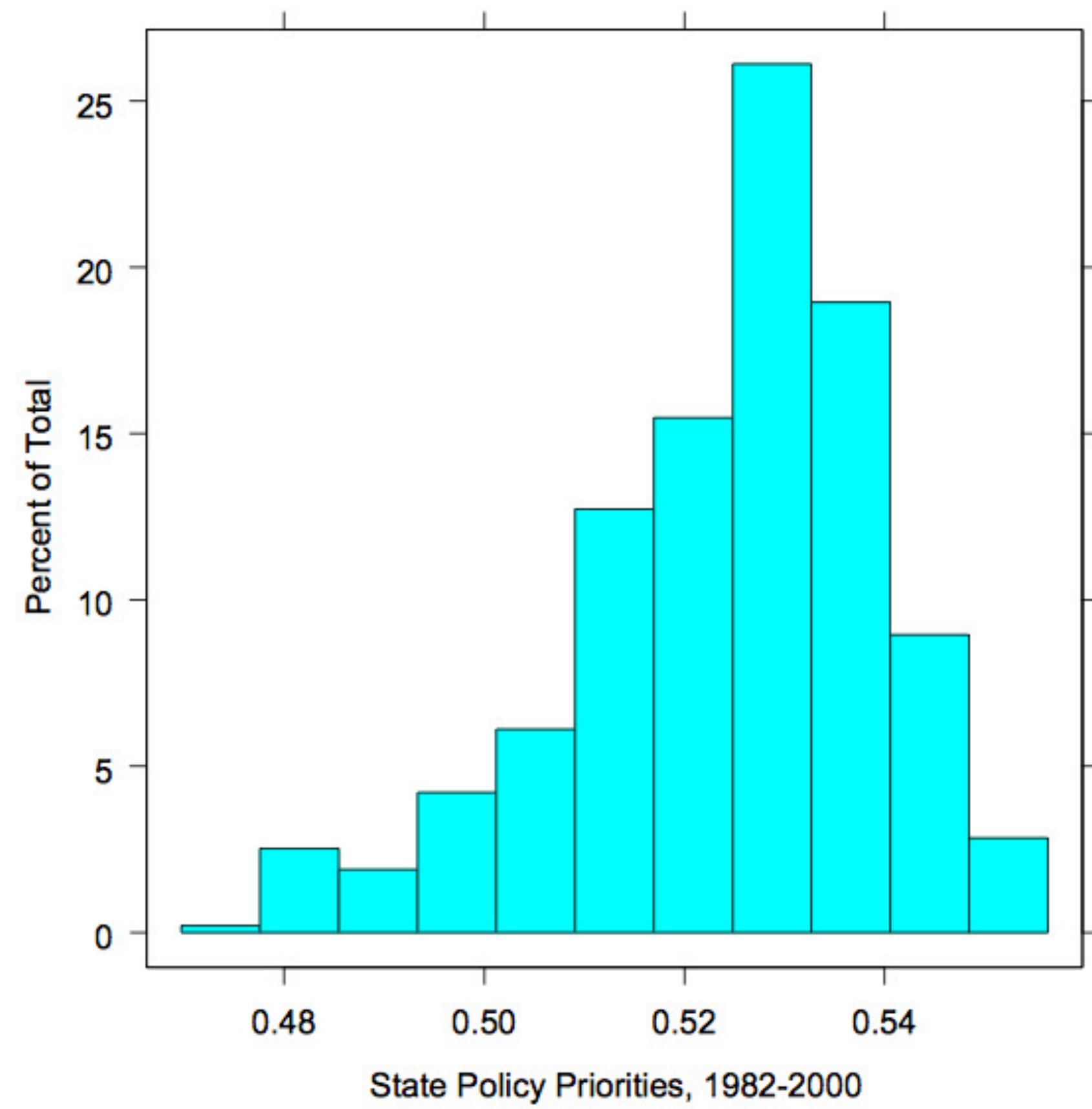


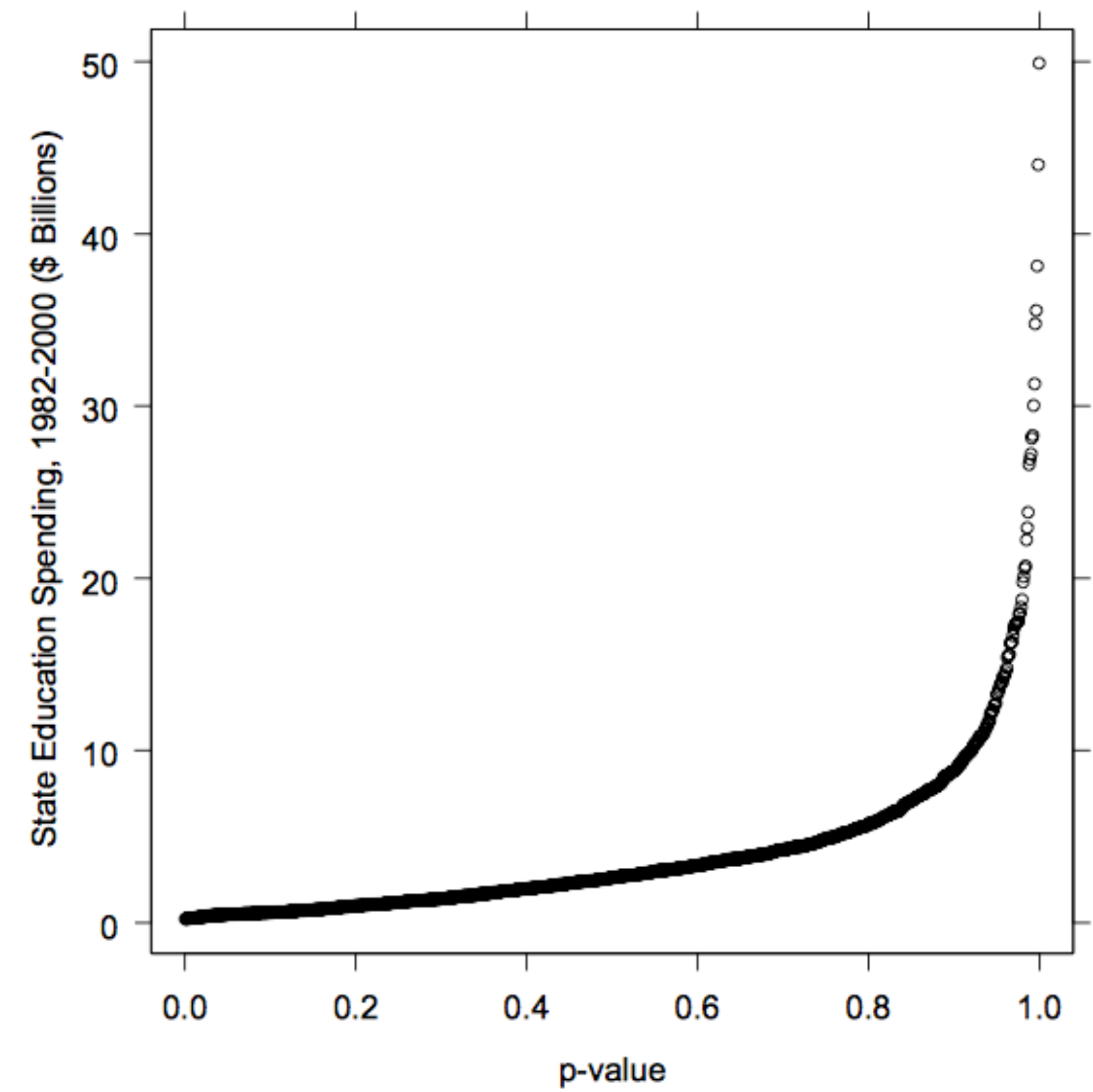
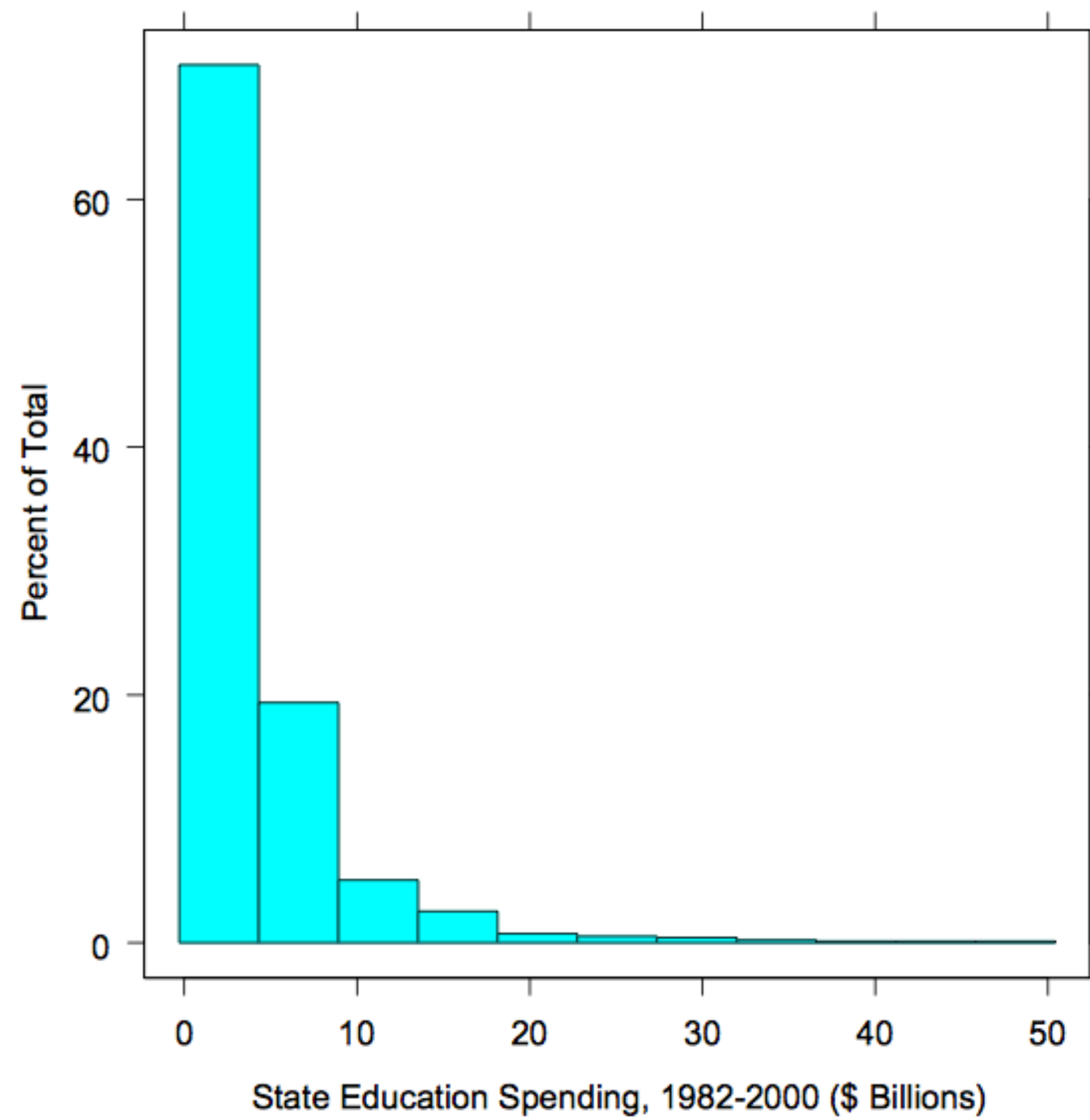
Quantile Plots

- Quantiles are the order statistics for a data distribution
 - A quantile plot is a two-dimensional display - a scatterplot of data values versus their position within the ordered distribution
- We're so used to using *area* or *height* to interpret numbers, that interpretation of quantile plots can be downright baffling and can hide variation other plots make obvious.
 - One can lose the forest through the trees.
 - (This is the purist's version of univariate statistics)



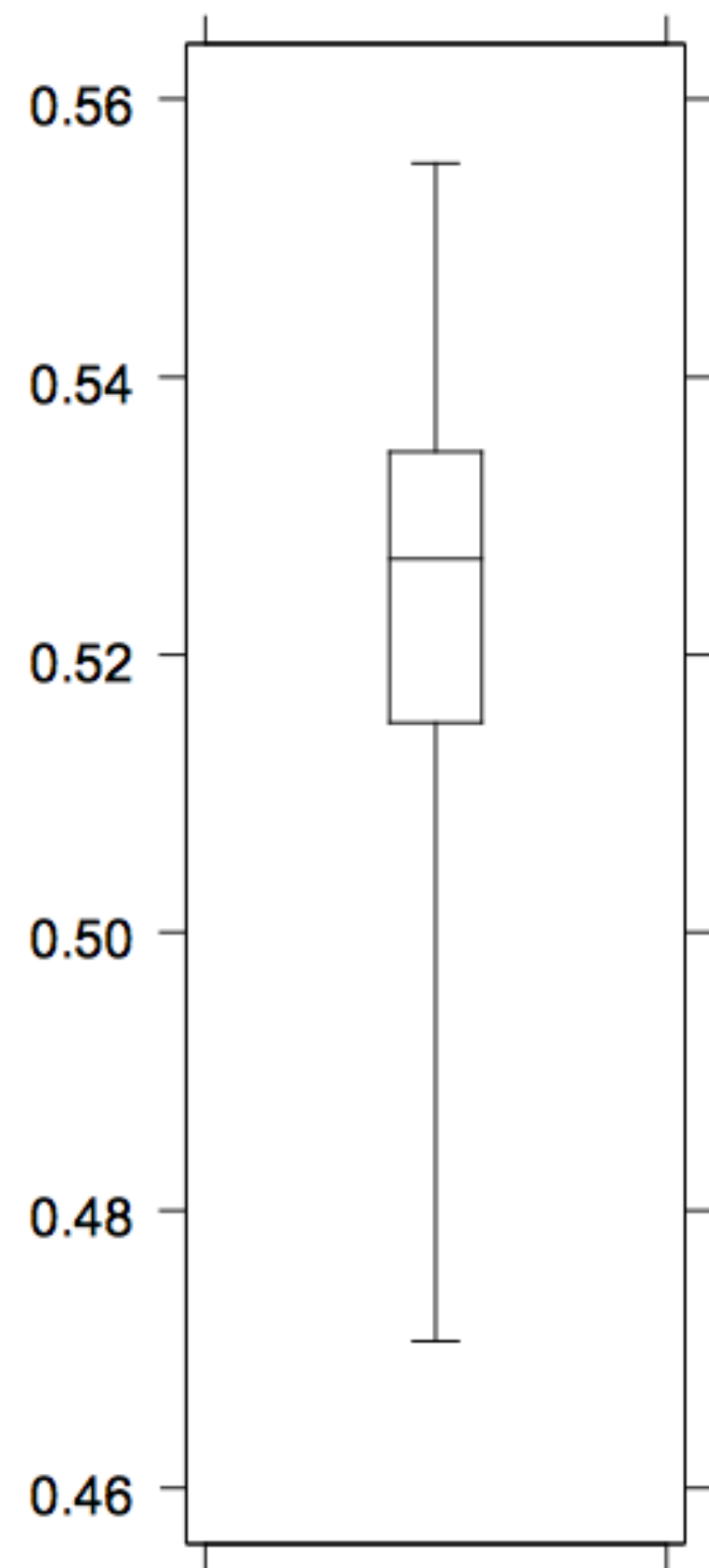
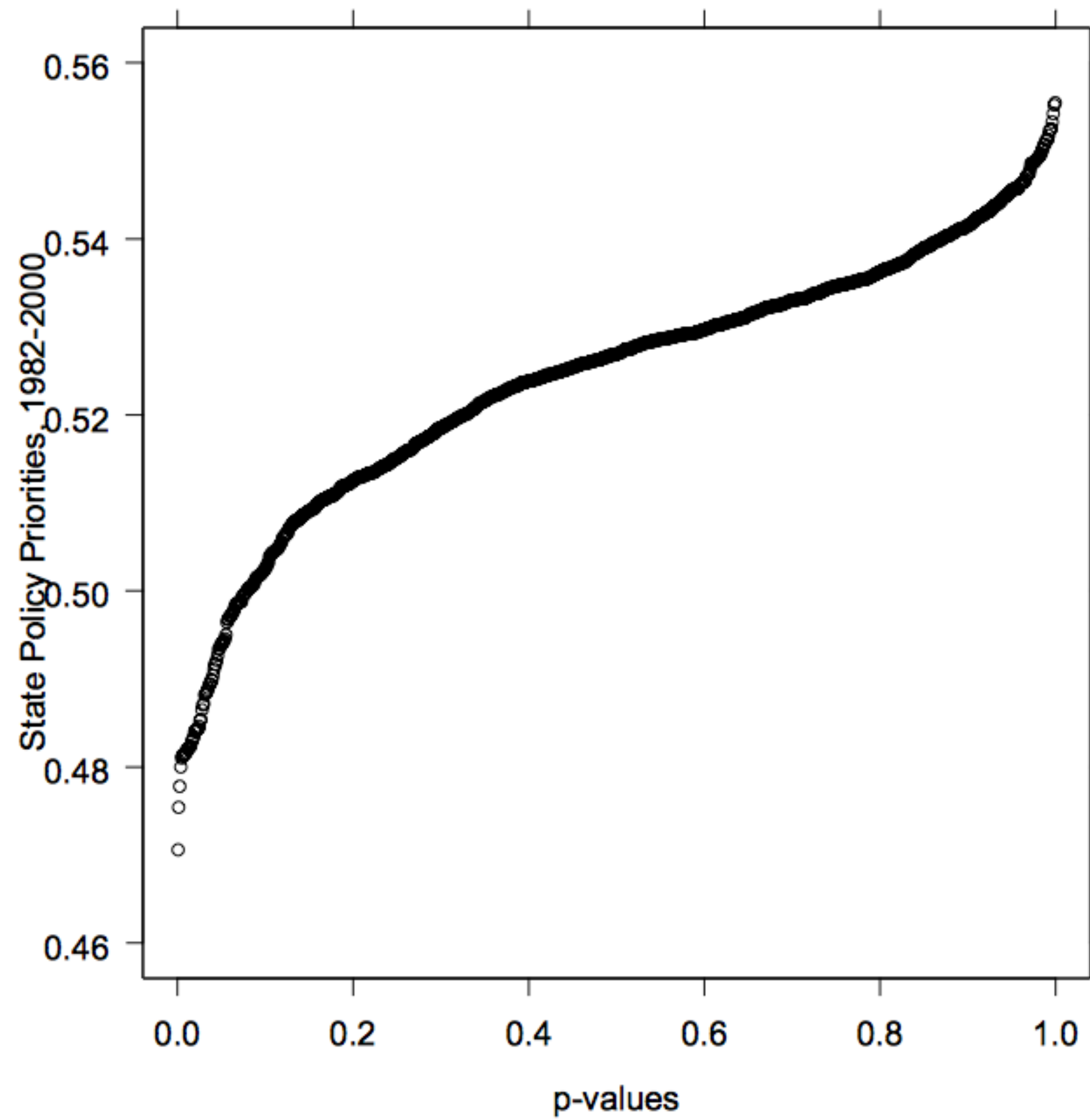






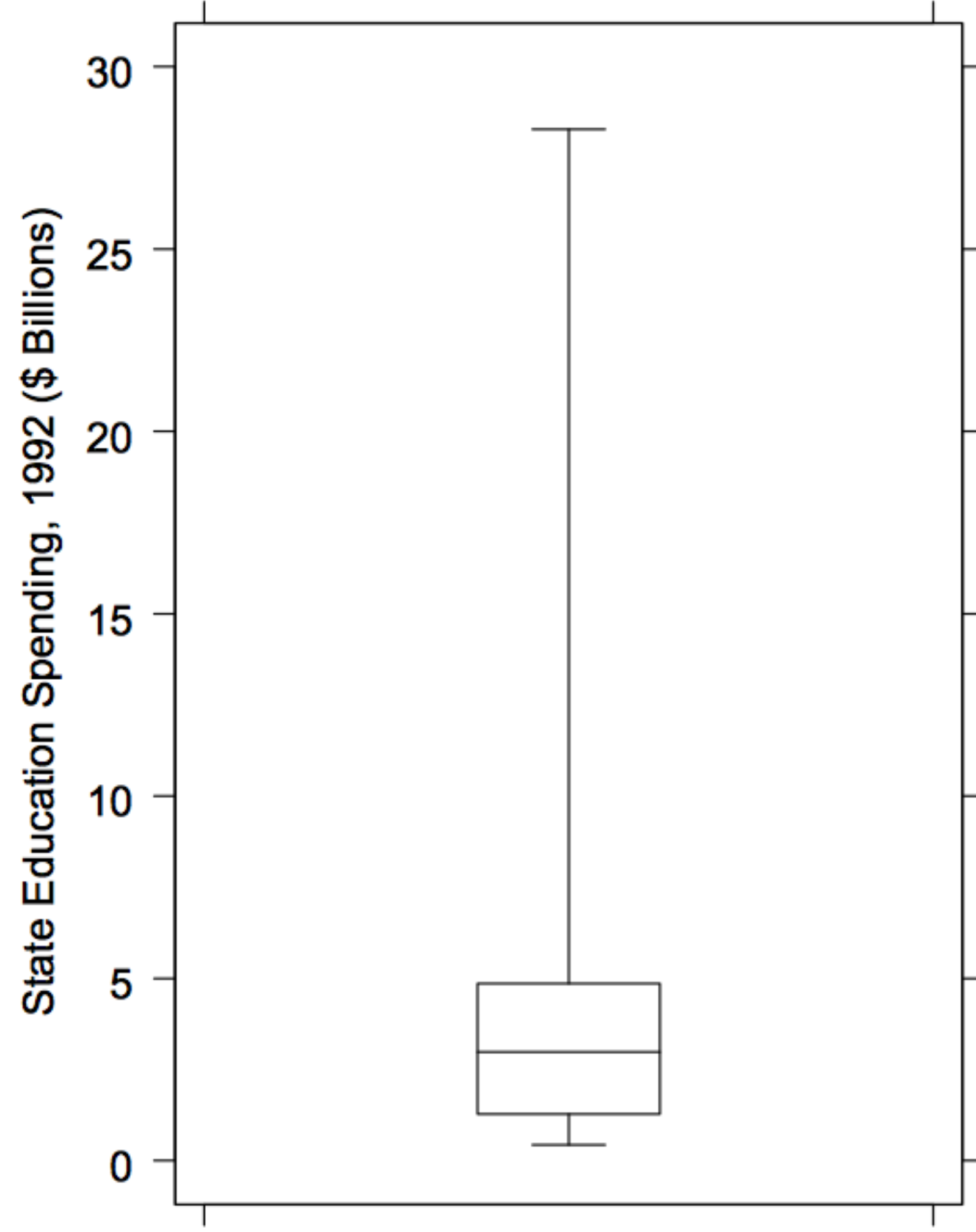
Box Plots (Box and Whisker Plots)

- Focuses on important quartiles.
 - Shows a box around 25%-75%, lines to 0% and 100%

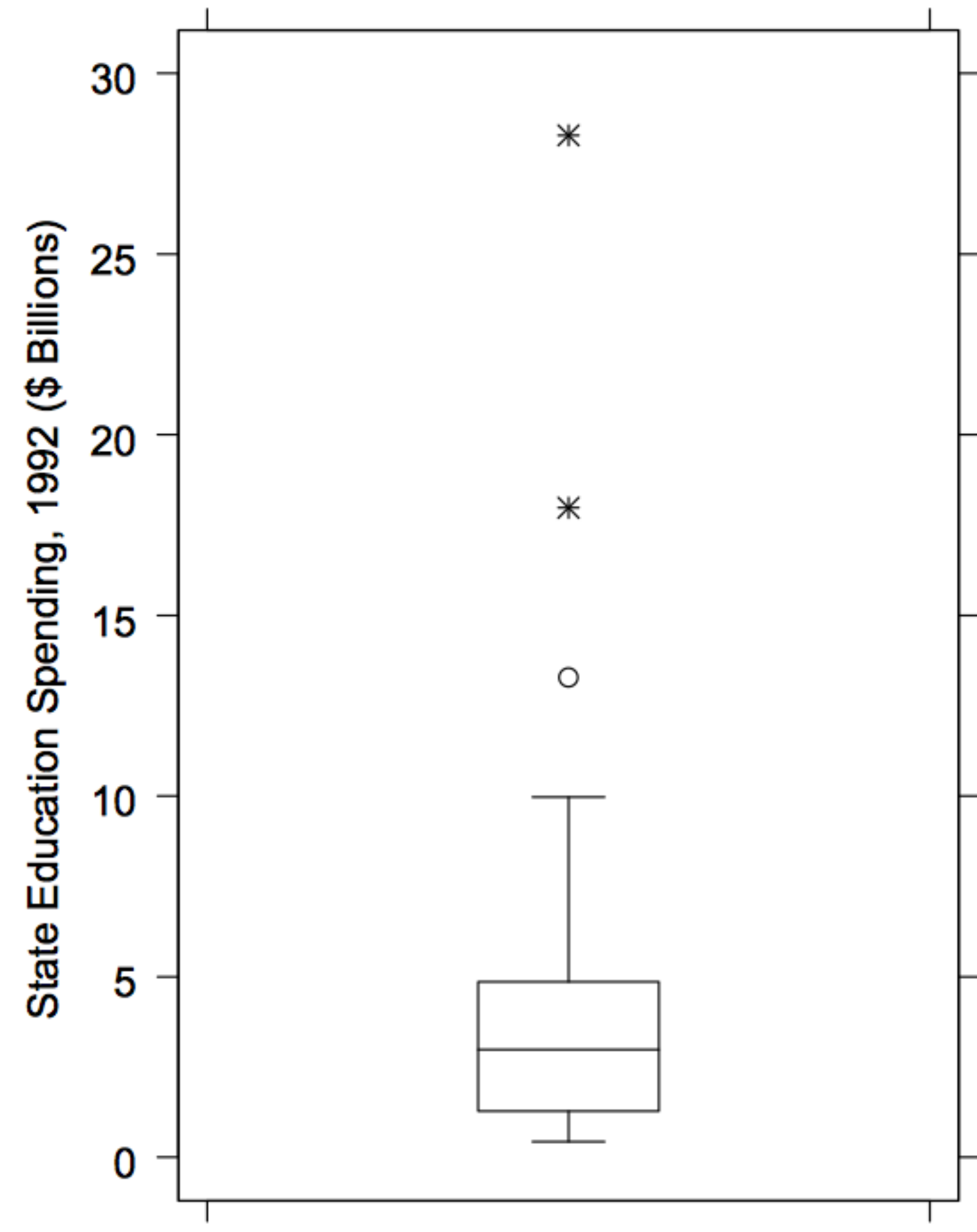
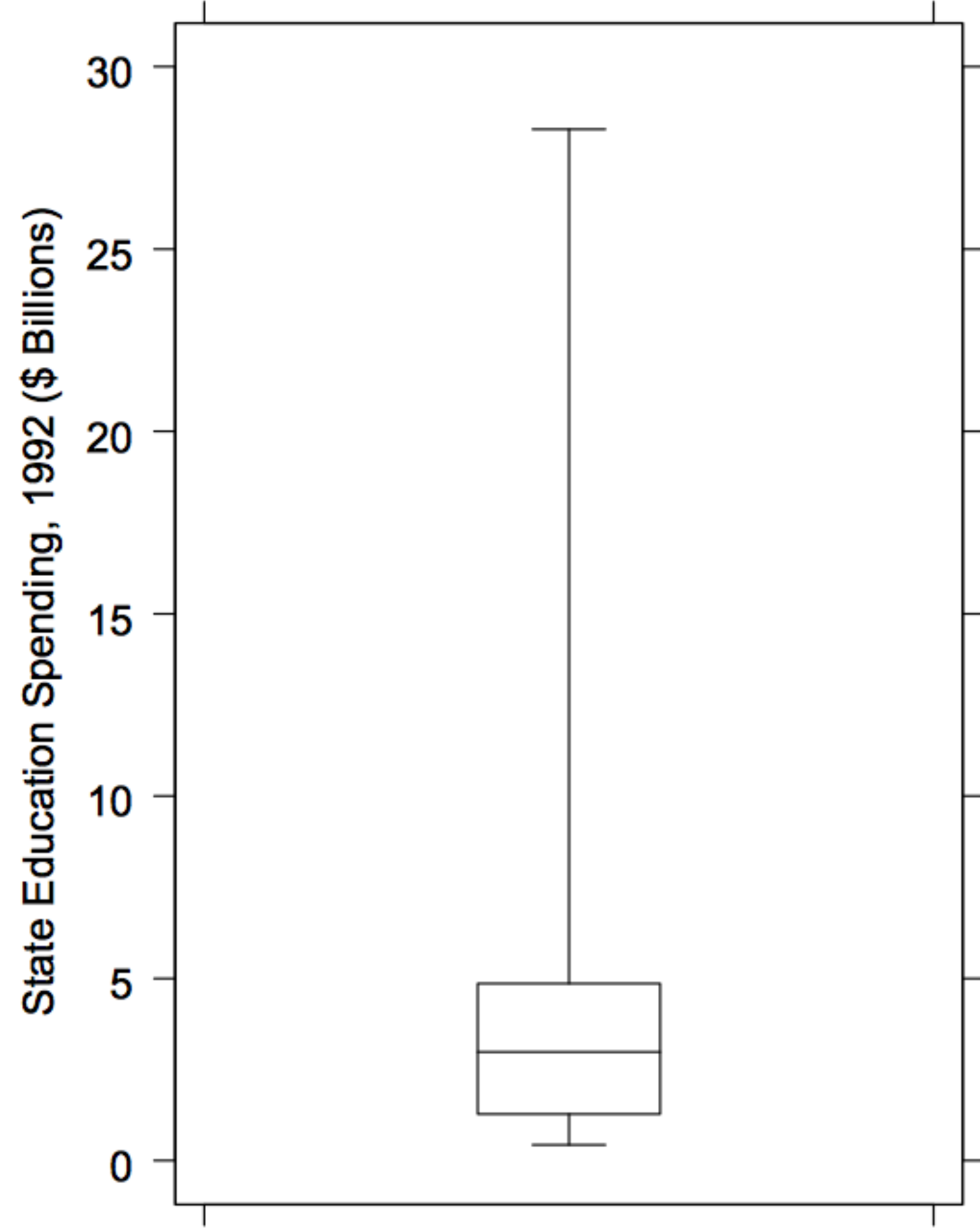


Box Plots (Box and Whisker Plots)

- Focuses on important quartiles.
 - Shows a box around 25%-75%, lines to 0% and 100%
- Whew. That's a relief.
 - Box plots, however, have an outlier problem.

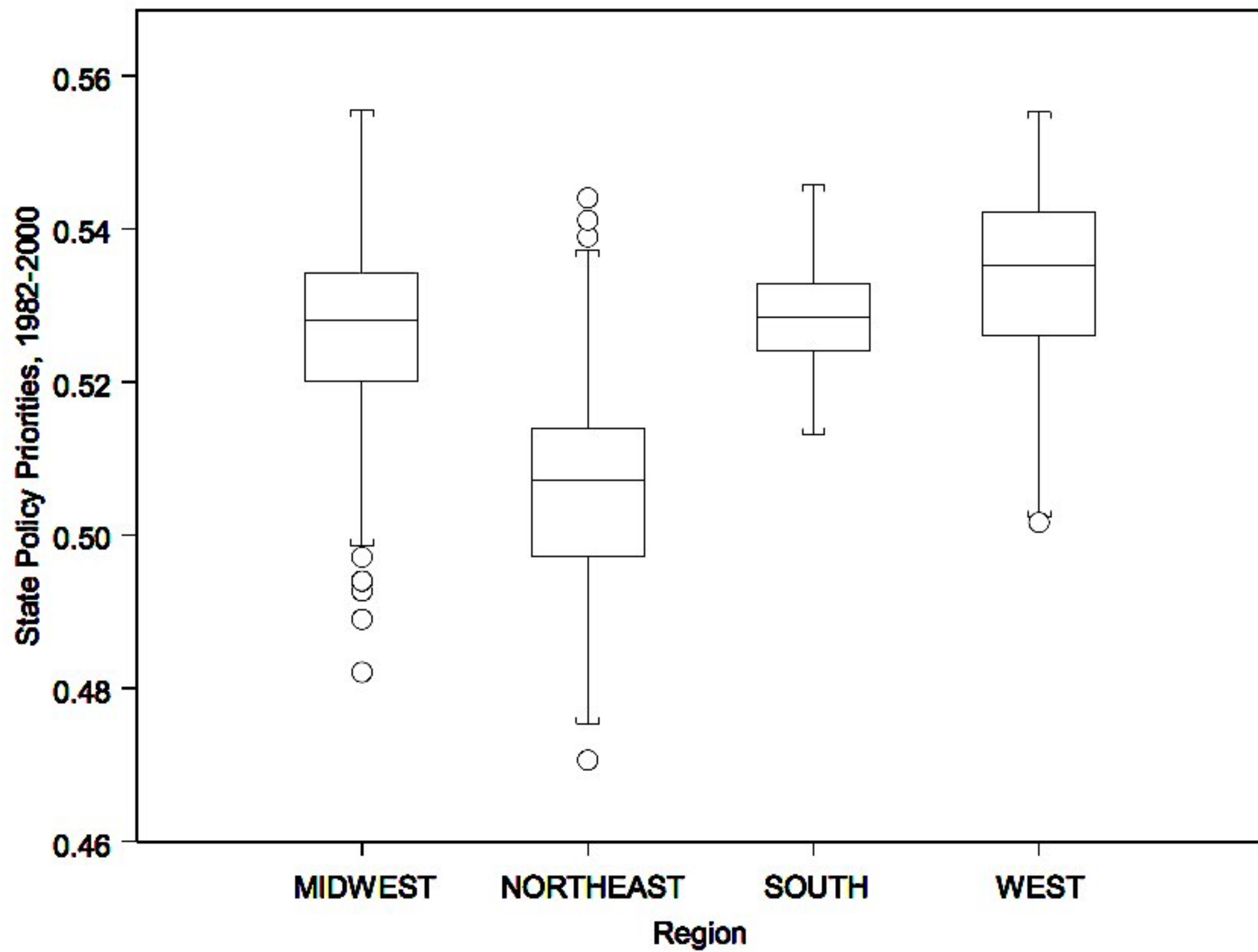


?



Box Plots (Box and Whisker Plots)

- Focuses on important quartiles.
 - Shows a box around 25%-75%, lines to 0% and 100%
- Box plots, however, have an outlier problem.
 - They also lose individual data points and the “shape” of data.
- However, they lead to some very nice graphics, especially comparing different batches of data.

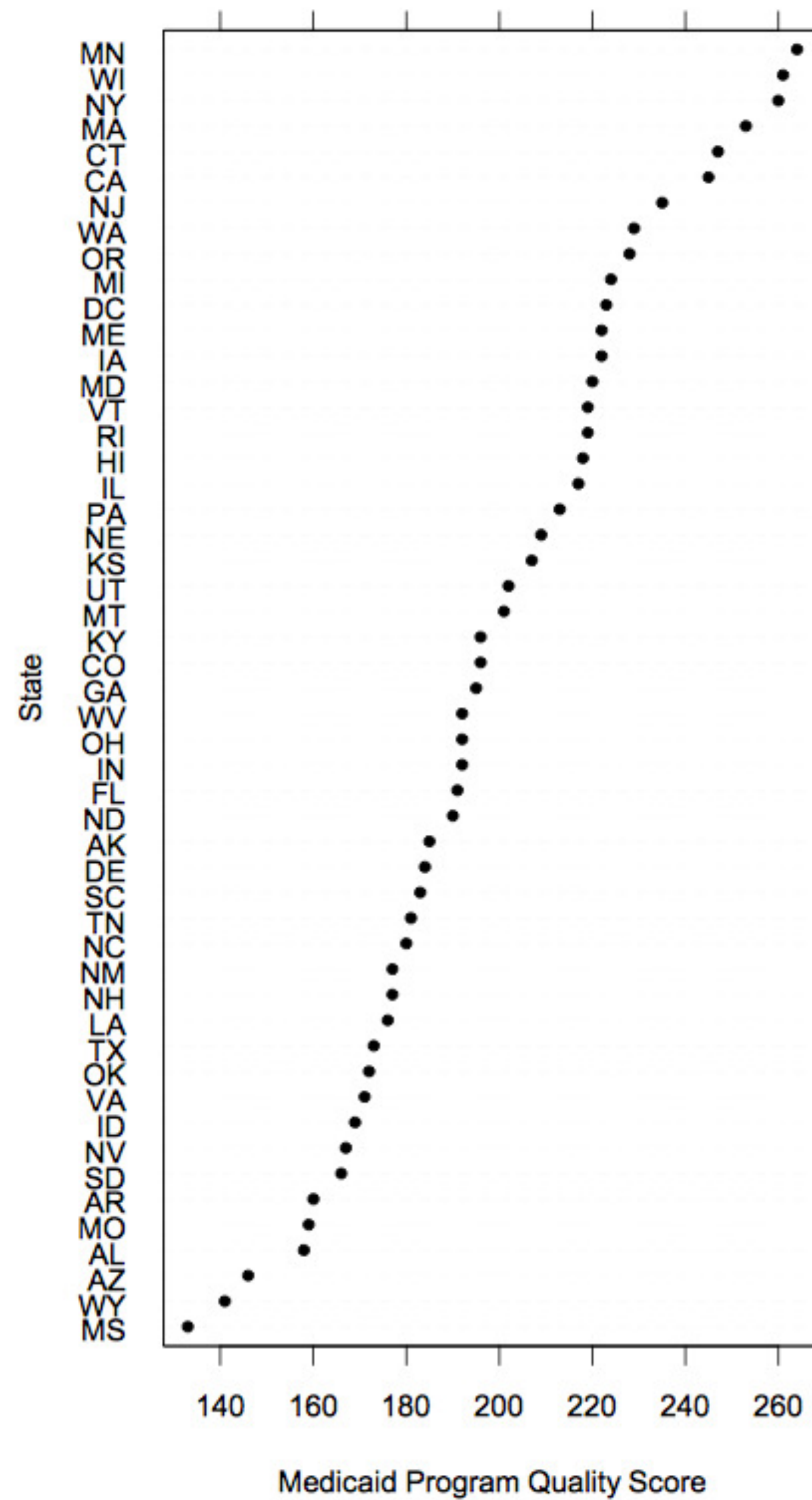


Box Plots (Box and Whisker Plots)

- Focuses on important quartiles.
 - Shows a box around 25%-75%, lines to 0% and 100%
- Box plots, however, have an outlier problem.
 - They also lose individual data points and the “shape” of data.
- Lead to some very nice graphics, especially comparing different batches of data.
 - But what do we do if we have lots of batches of data?

Dot Plots

- Two-dimensional plot of data labels versus data values
 - Useful display when data values are associated with identifying information, such as a label or index number.
- Present a lot of information and are easy to interpret.

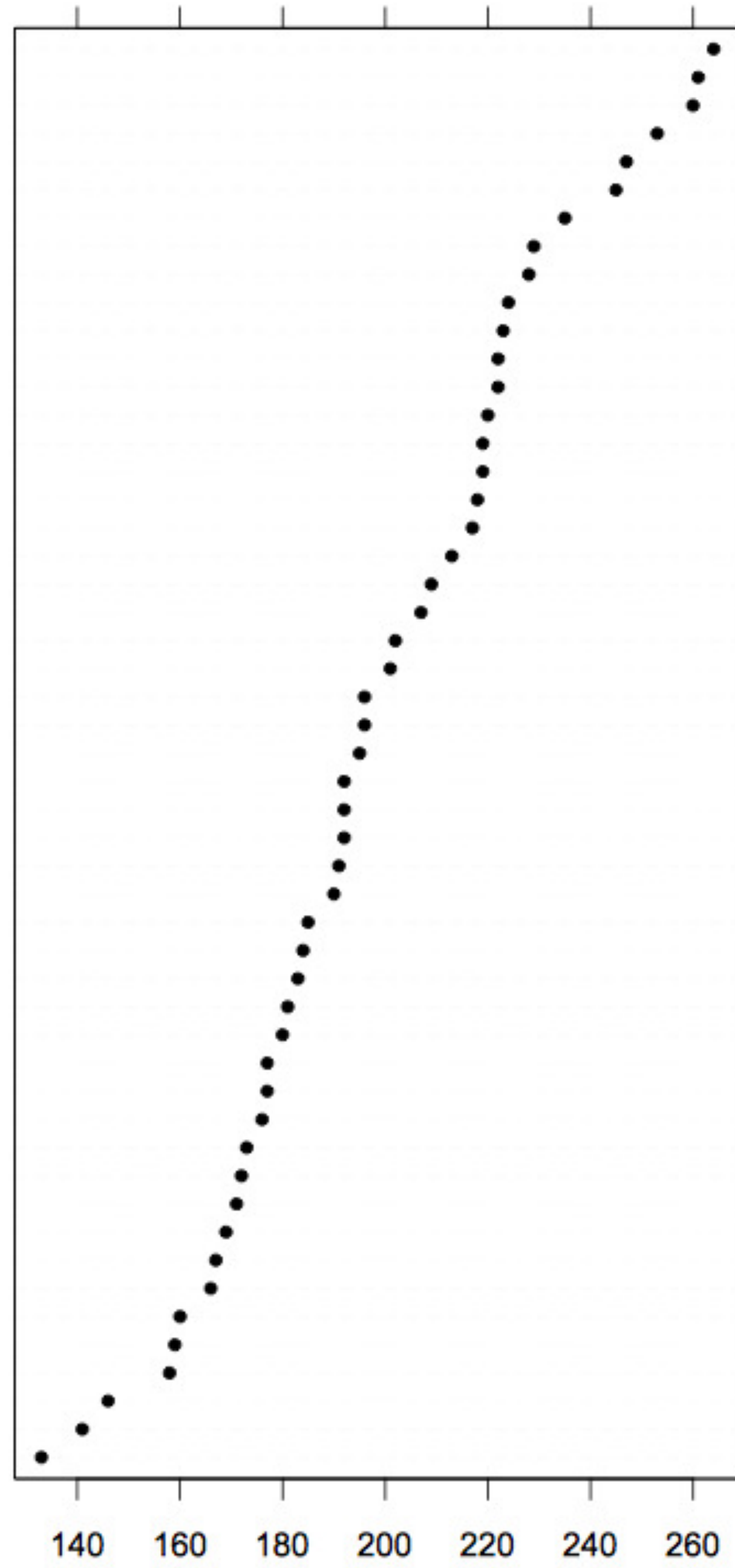


Dot Plots

- Two-dimensional plot of data labels versus data values
 - Useful display when data values are associated with identifying information, such as a label or index number.
- Present a lot of information and are easy to interpret.
 - Note the ranking along the Y axis, which makes it very easy to compare.

State

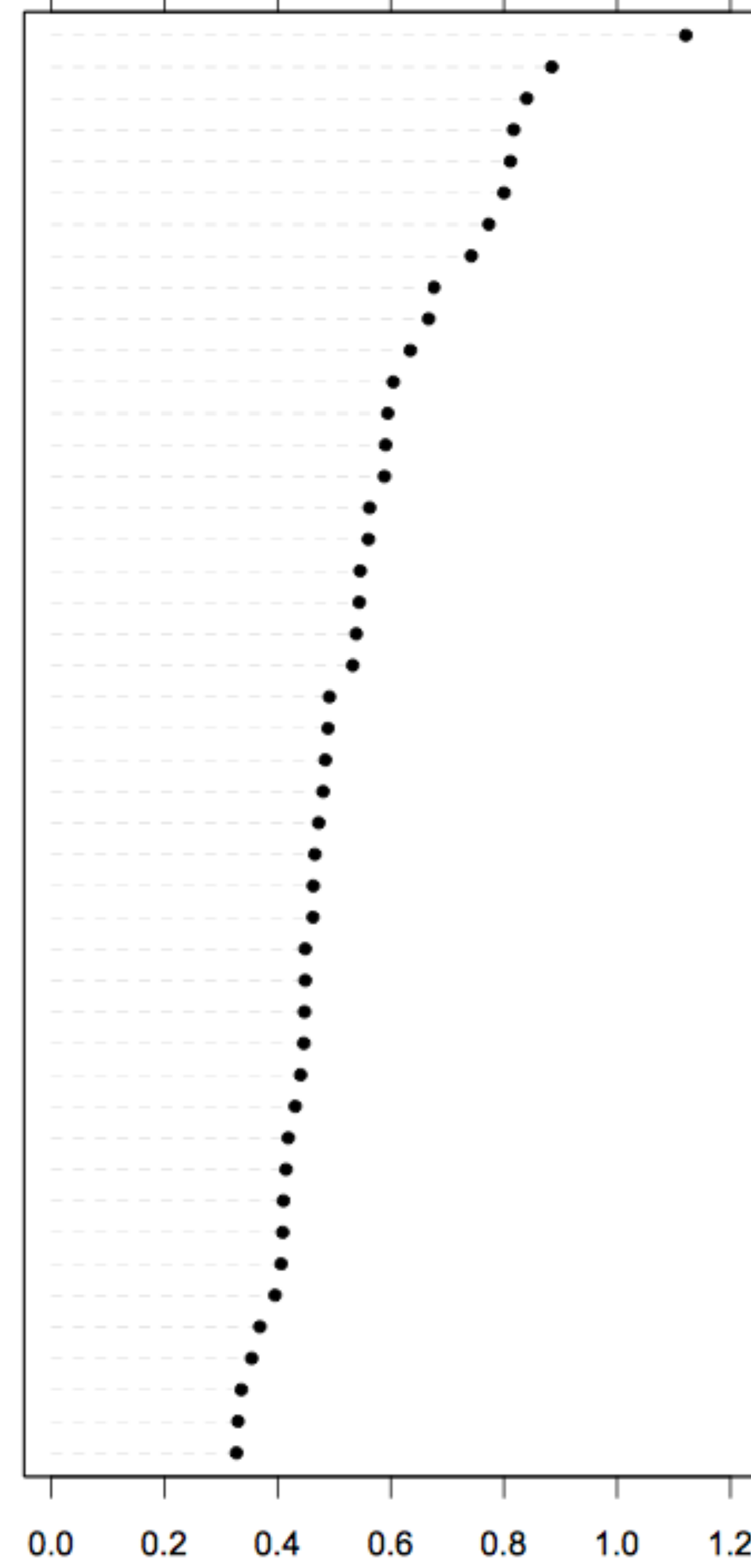
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AL
AZ
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MS



Medicaid Program Quality Score

State

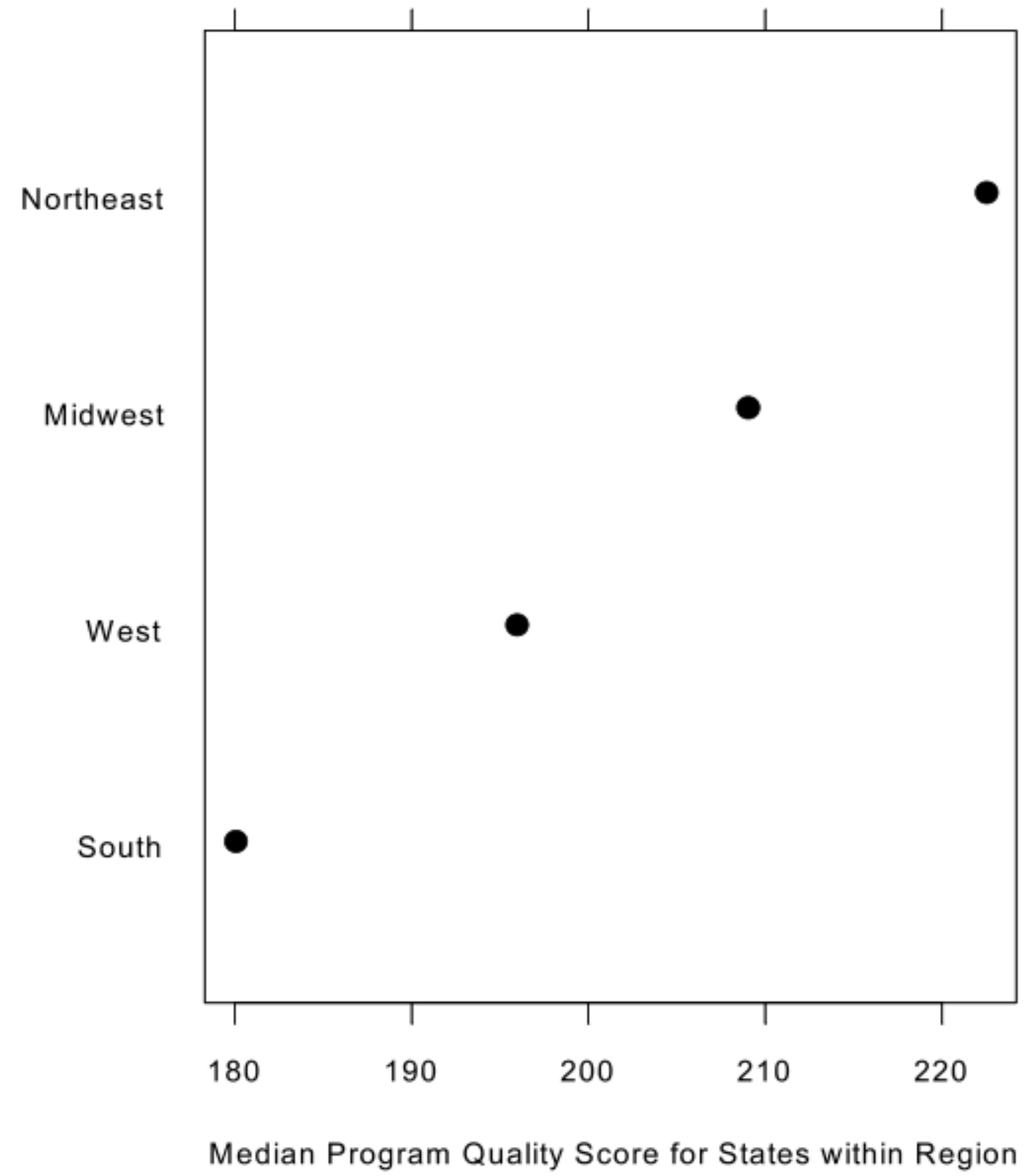
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MI
OH
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ND
AR
GA
MO
OK
AZ
IA
IN
MS
SC
NM
AL
OR
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NC
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CO
WY
SD
MT
FL
UT
KS
NV
ID
VA



1992 State Welfare Spending (Dollars per Capita)

Dot Plots

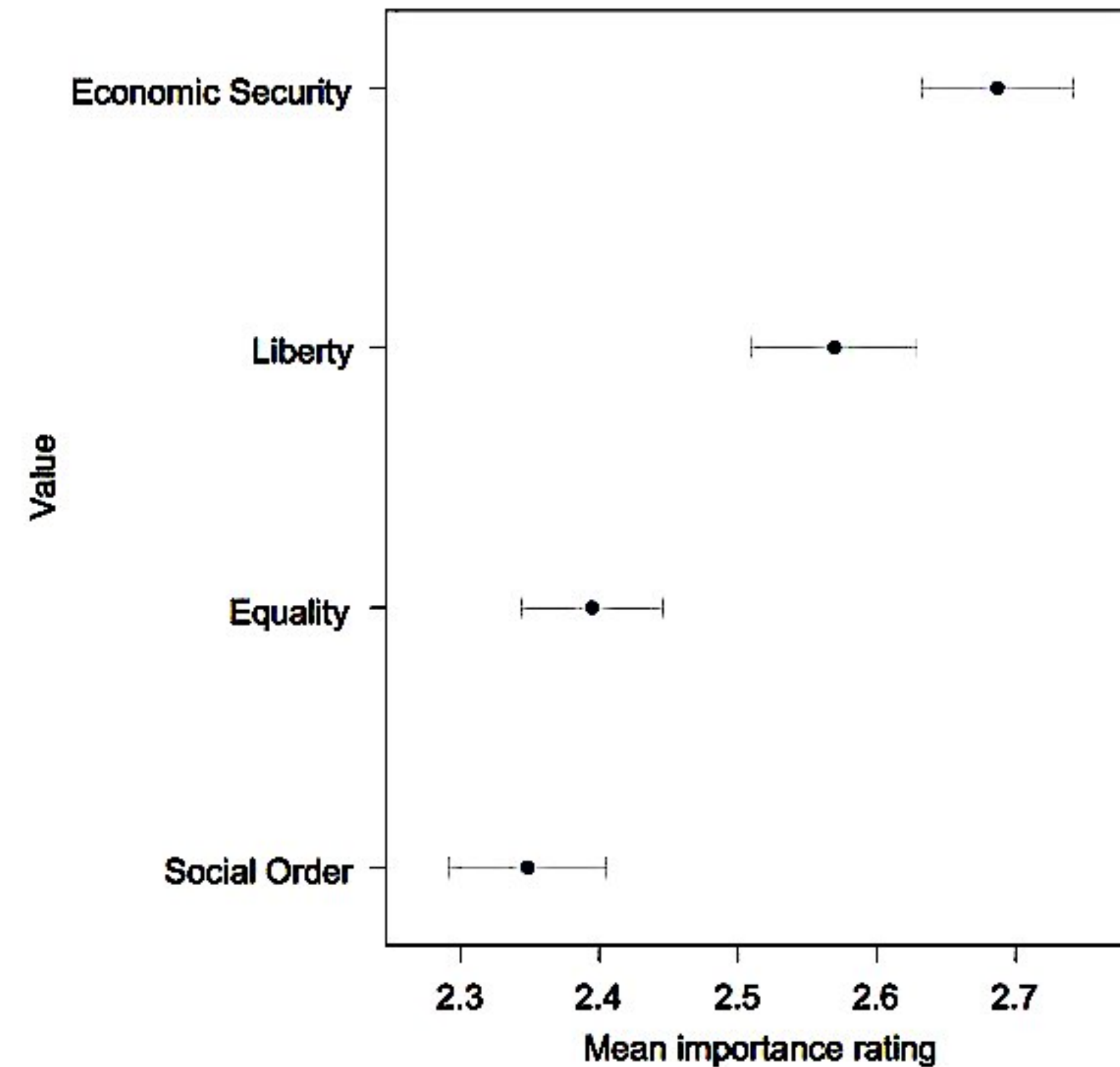
- Two-dimensional plot of data labels versus data values
 - Useful display when data values are associated with identifying information, such as a label or index number.
- Present a lot of information and are easy to interpret.
 - Can batch dot plots in useful ways to show data differently.



Dot Plots

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 - Can batch dot plots in useful ways to show data differently.
- Can also use dot plots in a variety of different ways, with different visual tweaks.

Value importance ratings in the American Public



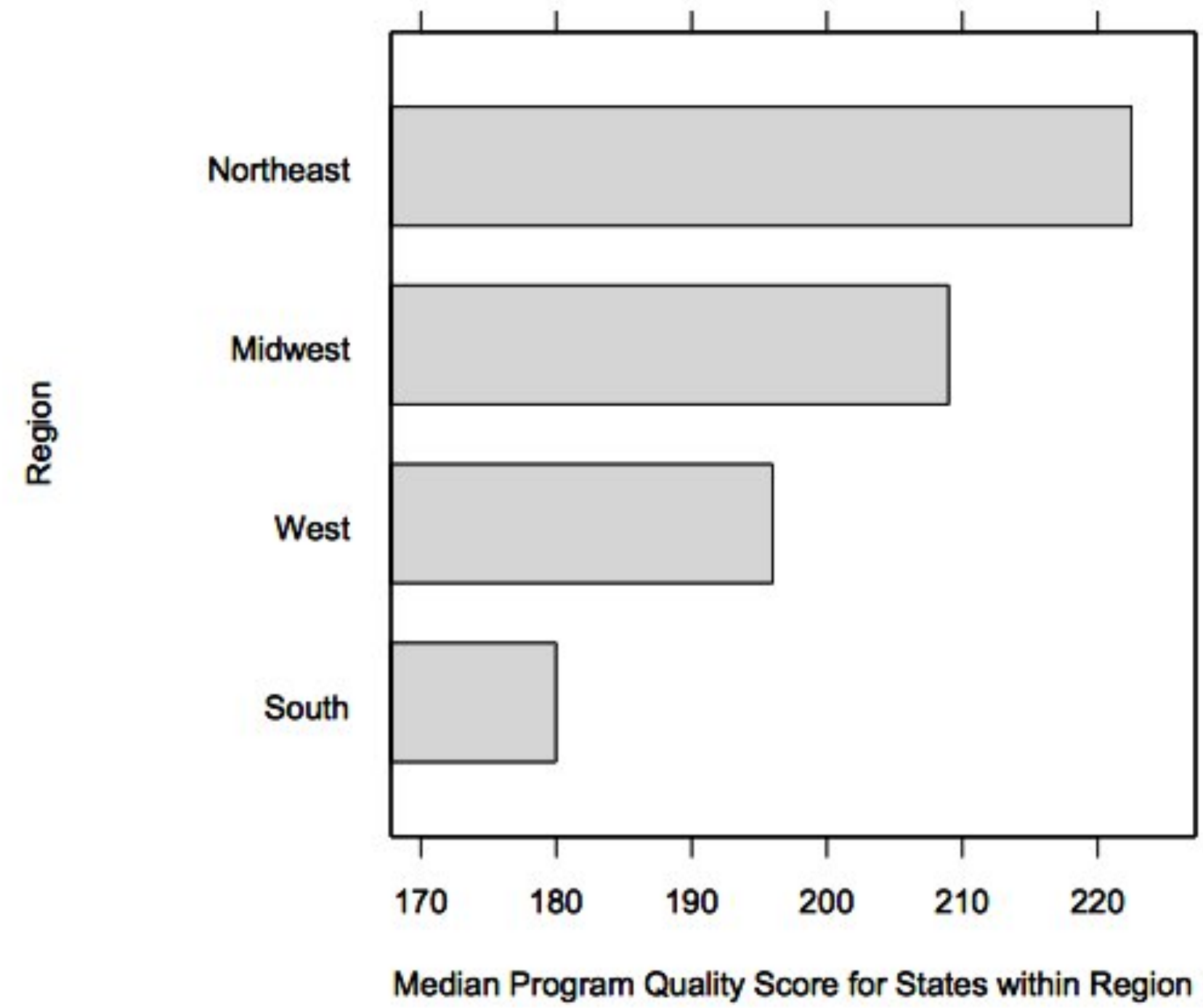
Note: The plotted points correspond to the mean importance rating assigned to each of the values, on a scale ranging from a minimum of zero to a maximum of three. The horizontal error bars show 95% confidence intervals for each of the means. Nonoverlapping confidence intervals imply that the means are reliably different from each other; that is, their difference is probably *not* merely due to sampling error.

Data Source: 1994 Multi-Investigator Study.

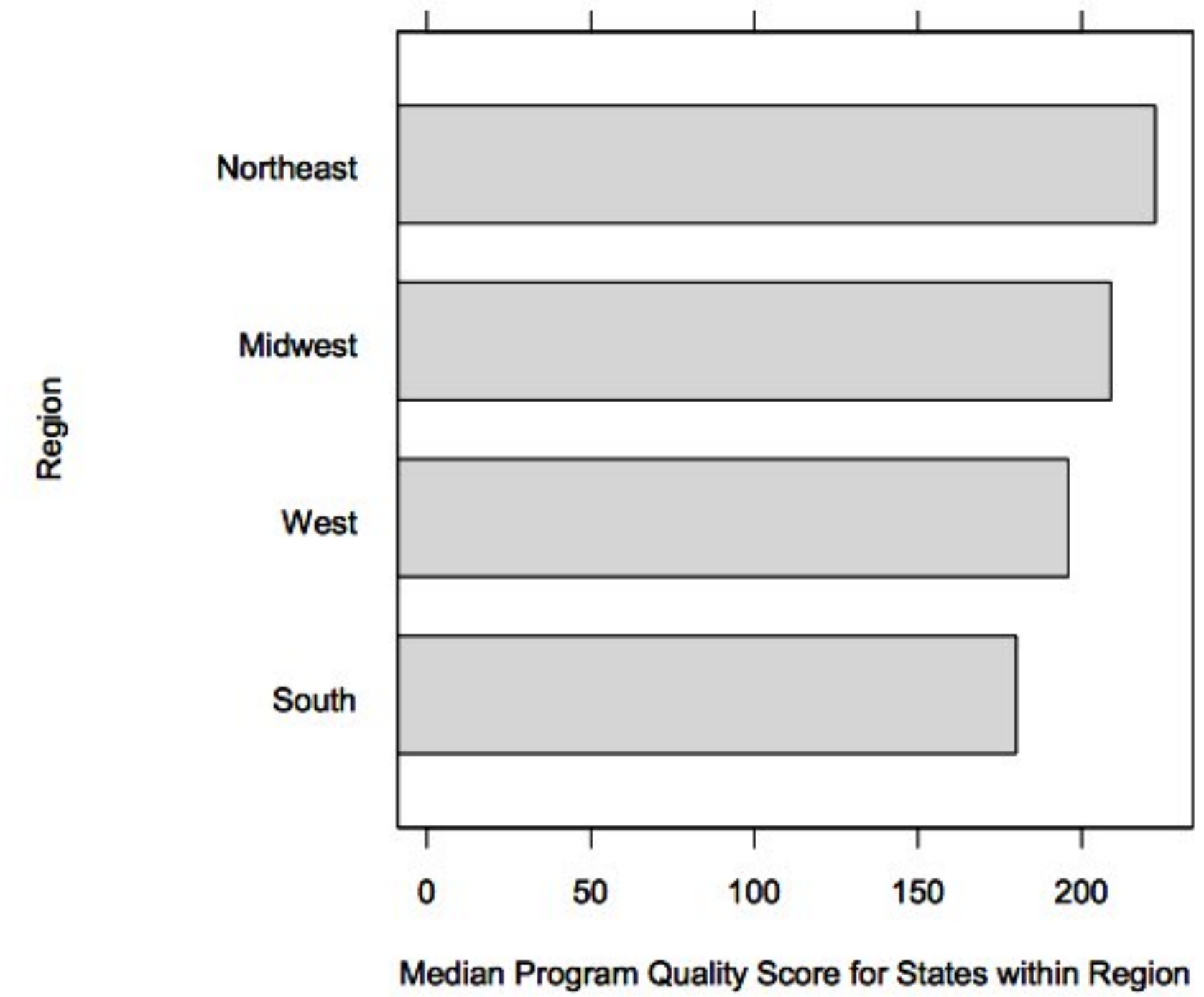
Dot Plots

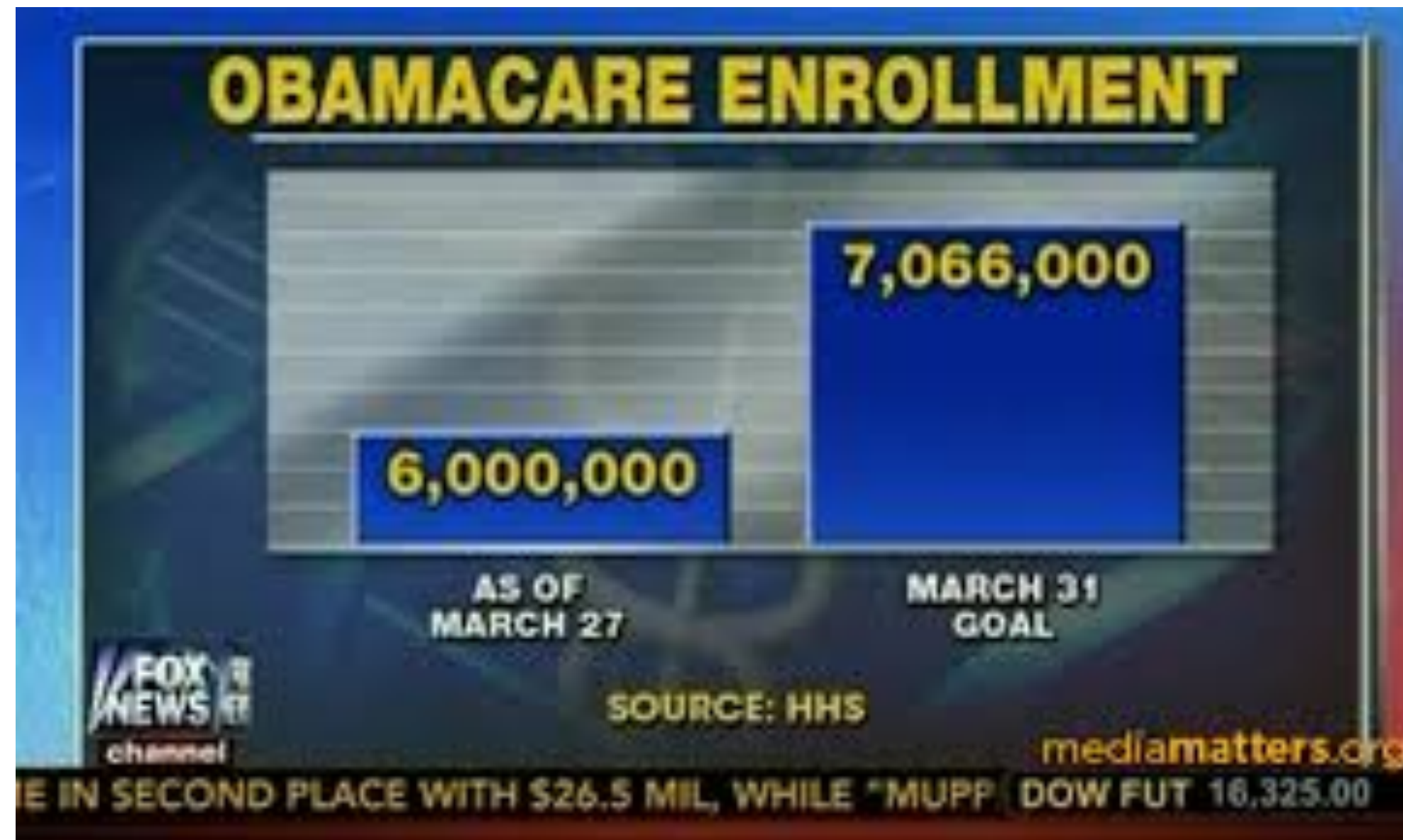
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- Present a lot of information and are easy to interpret.
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- Can also use dot plots in a variety of different ways, with different visual tweaks.
- The “zero” point of dot and bar plots should be paid attention to

A. Scale Minimum Value Set Arbitrarily



B. Minimum Scale Value Set to Zero





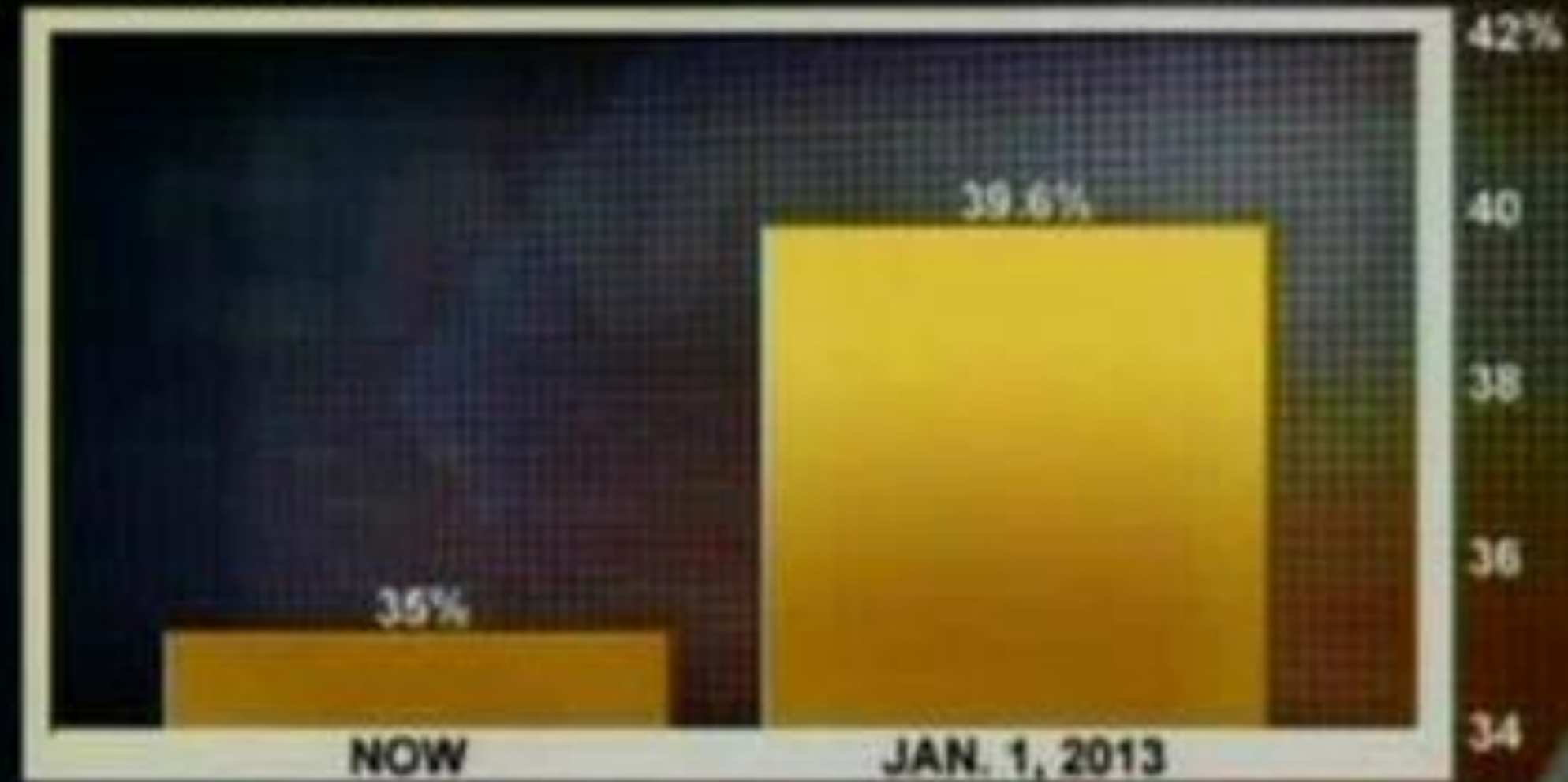
Original Graphic



With Noted Zero Point

IF BUSH TAX CUTS EXPIRE

TOP TAX RATE



8:01p ET

FOX
BUSINESS

TOP STORIES

TECHNOLOGY

CONSUMER

WITH THE JUSTICE DEPARTMENT AND ACQUIRES FULL T

DOW 13008.68 ▼ 64.33

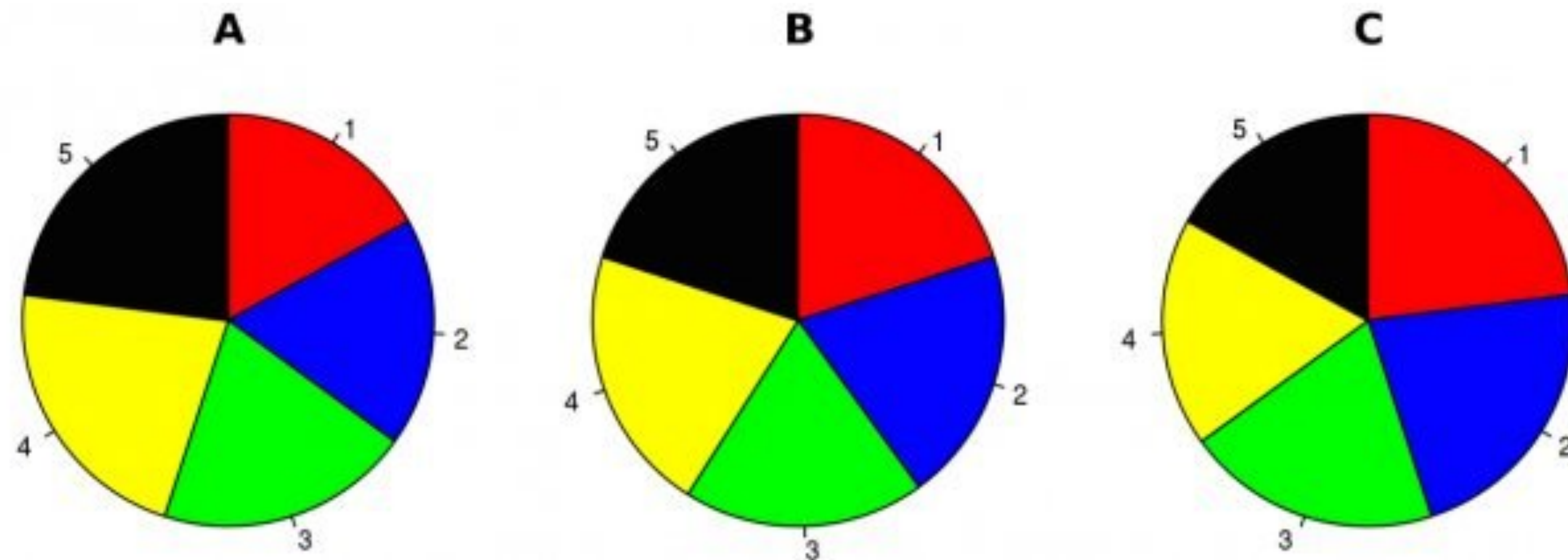
S&P 1379.32 ▼ 5.98

NASDAQ 2939.52 ▼ 6.32

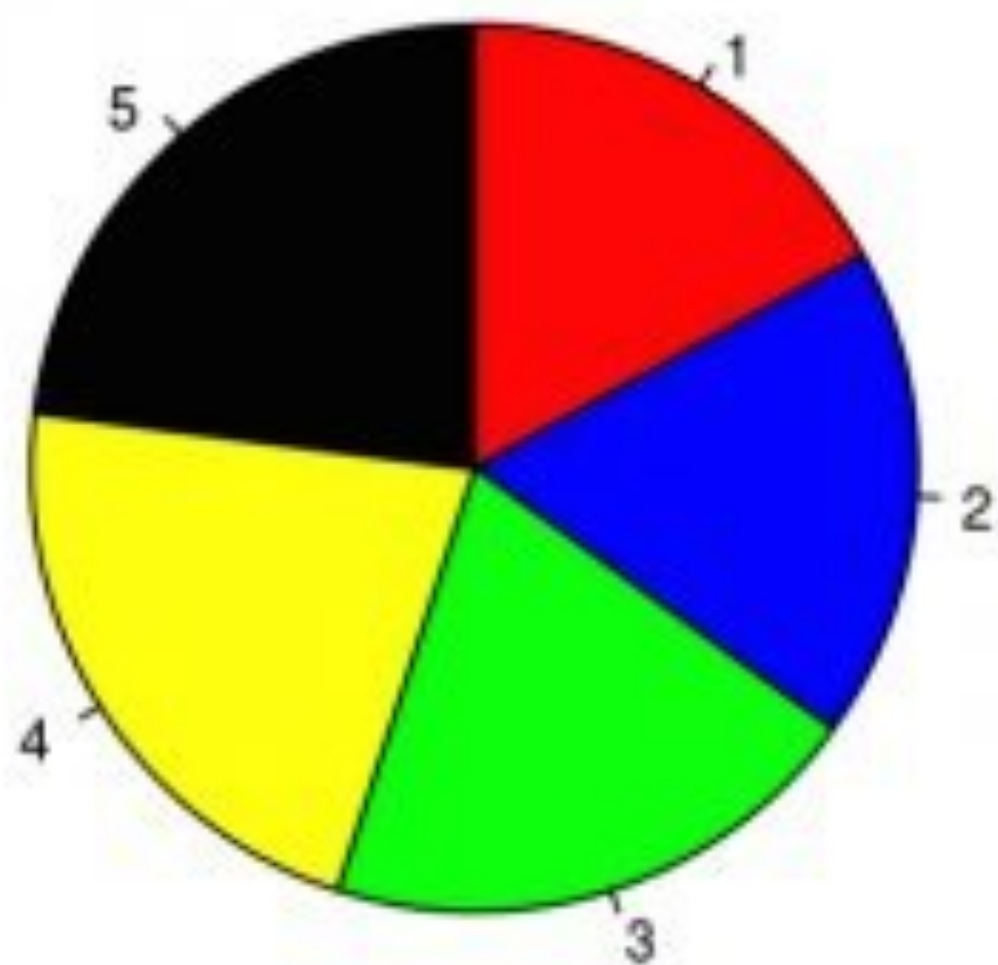
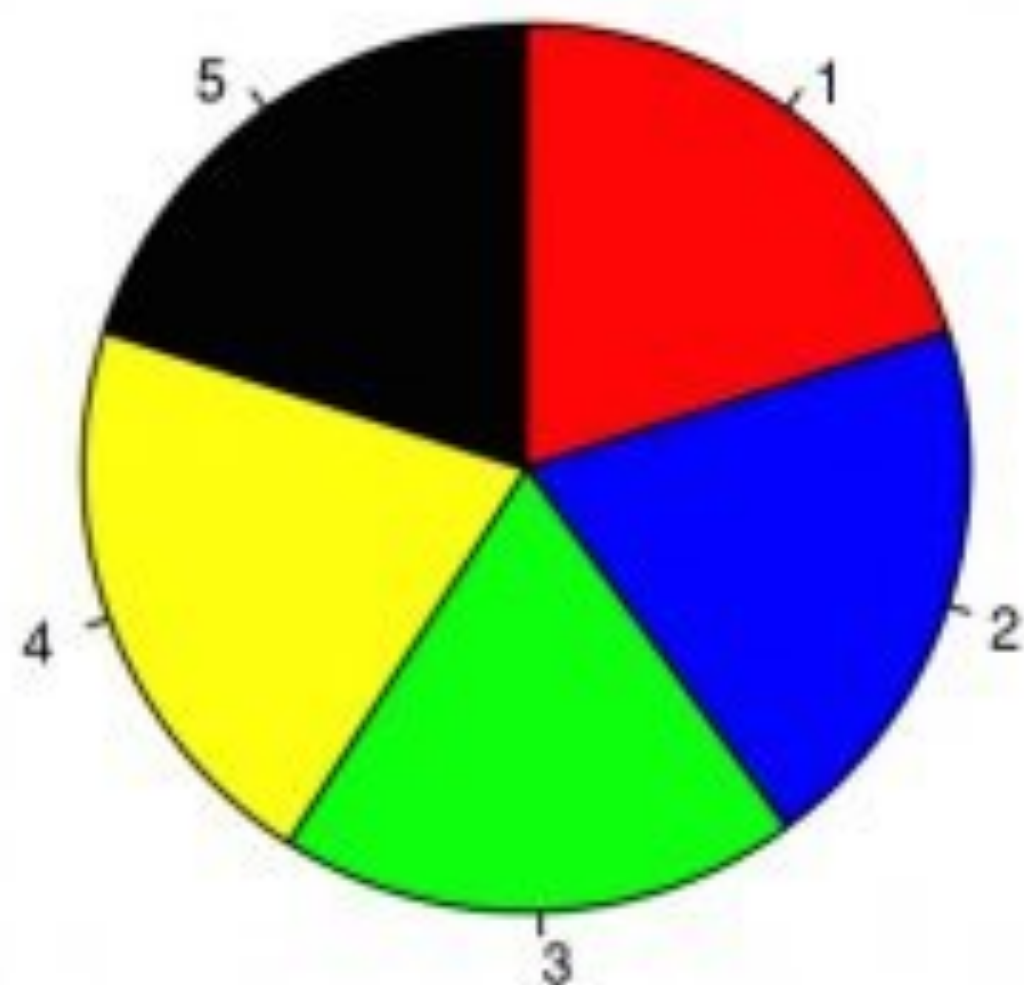
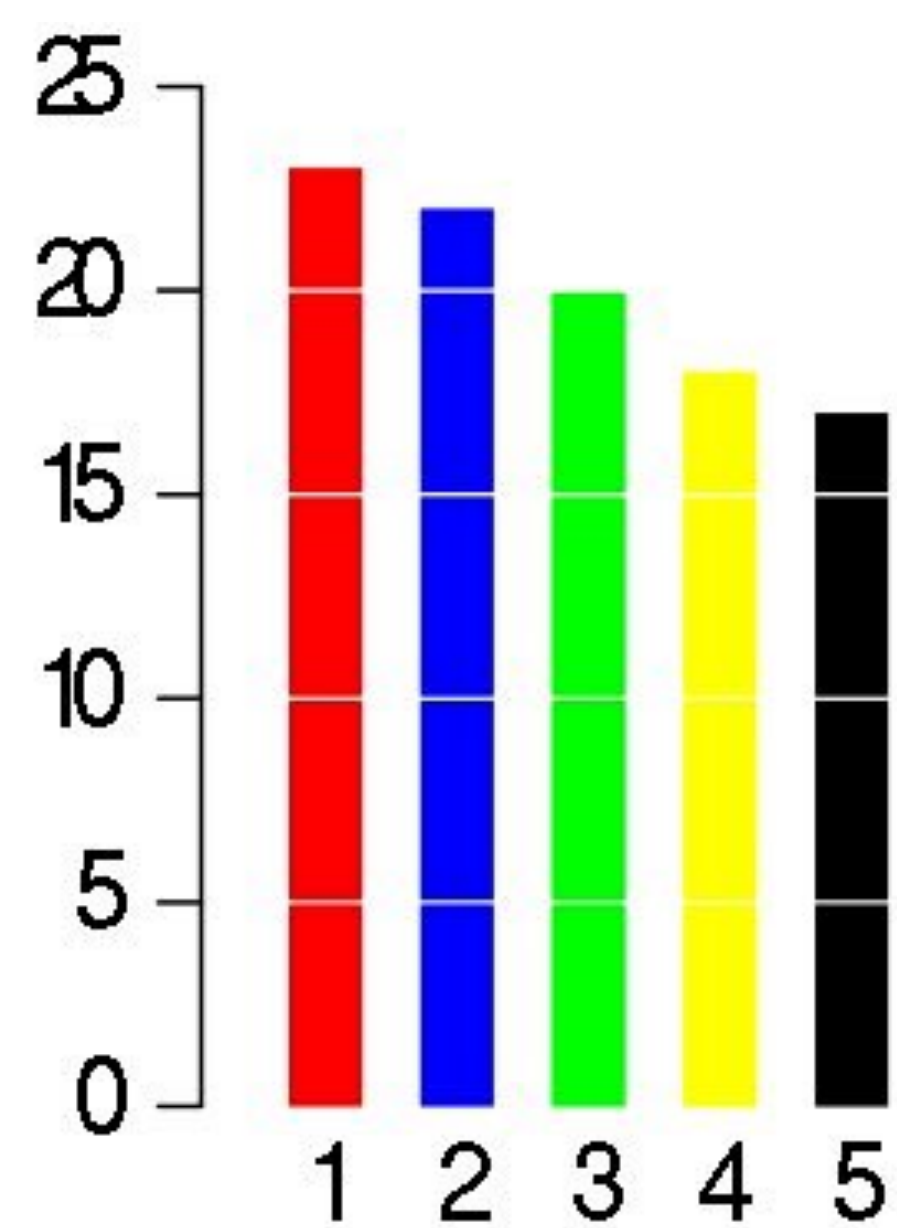
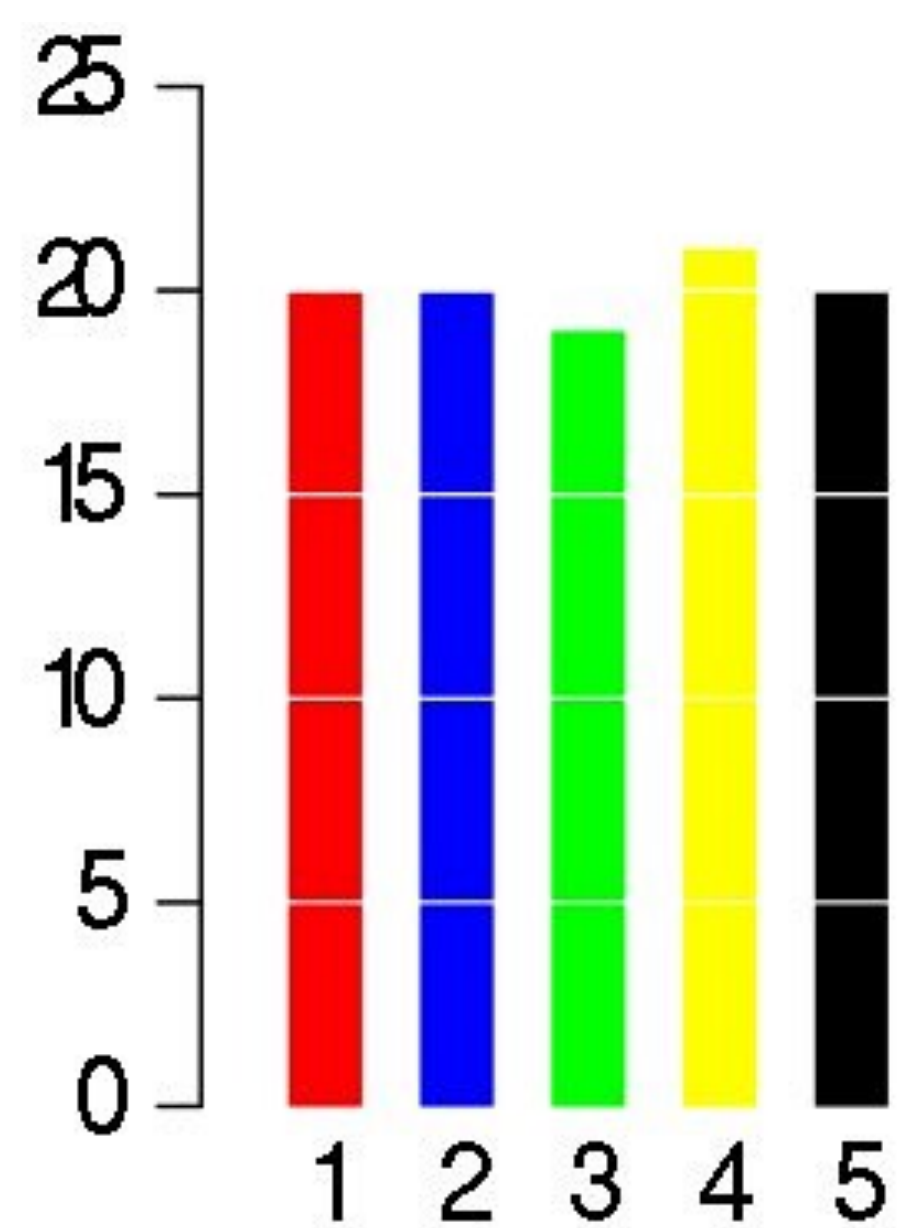
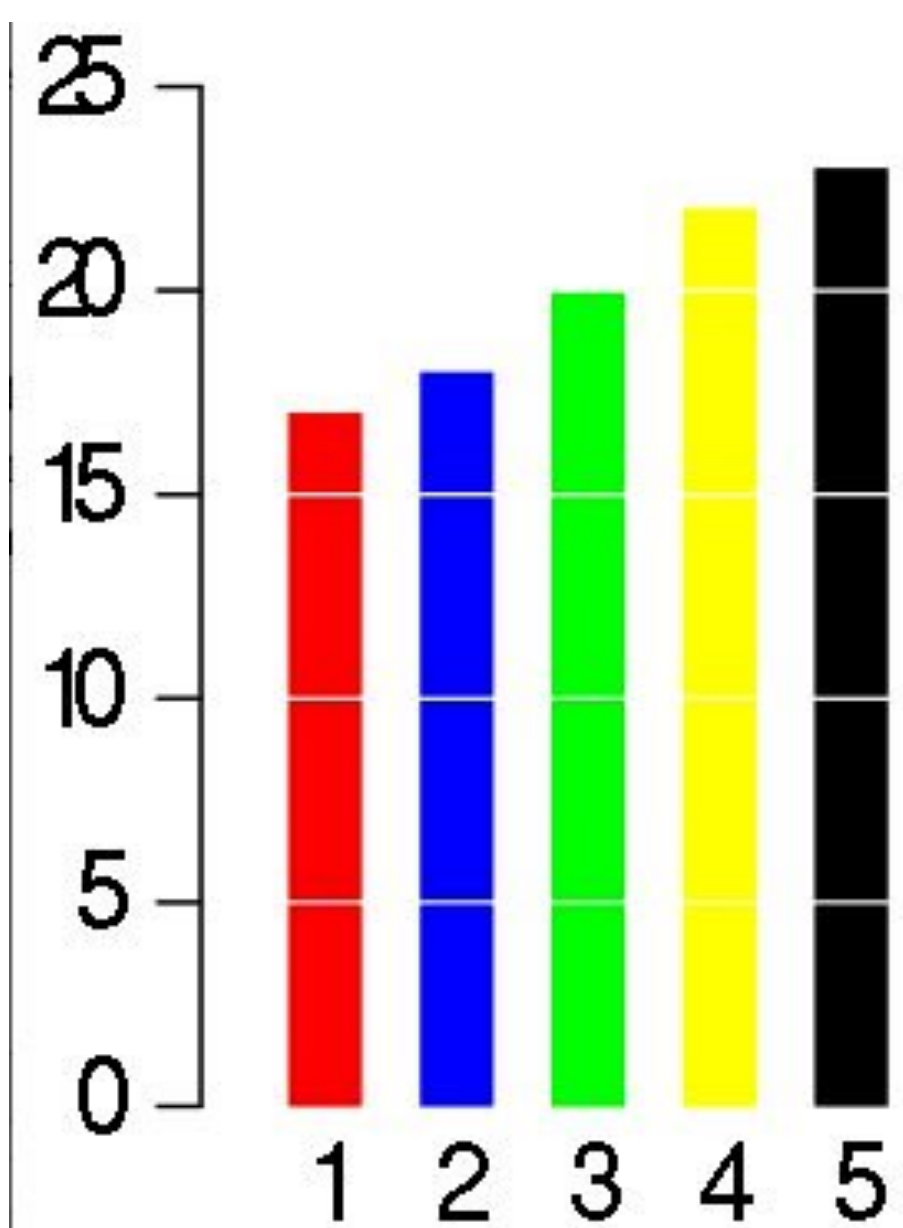
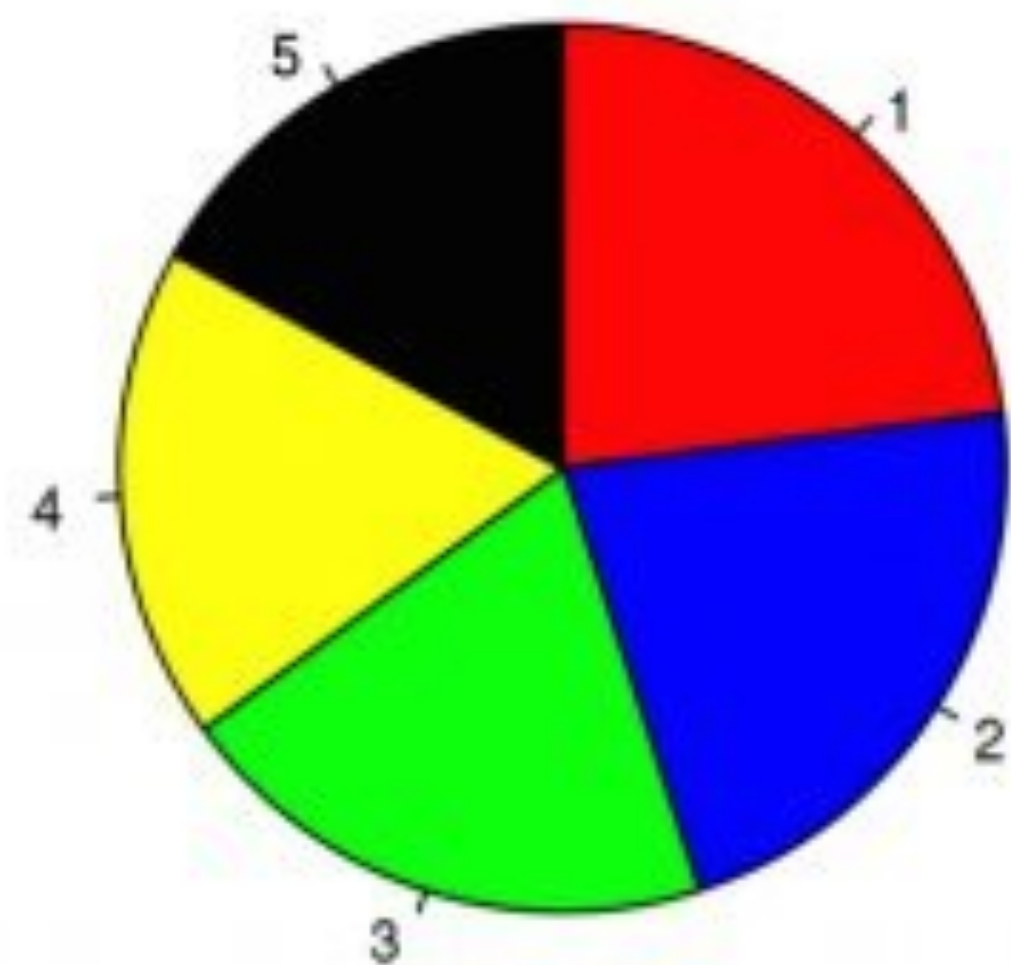
Bar and Pie Charts

- For the love of all that is holy, please do not use a pie chart.
 - The human eye is particularly poor at interpreting area, especially in fine differences.
- Bar charts, and especially dot plots, represent a much better graph.
 - (Although bar charts, including the last, sometimes suggest “area” to the eye when they shouldn’t . . . use a dot plot when in doubt.)

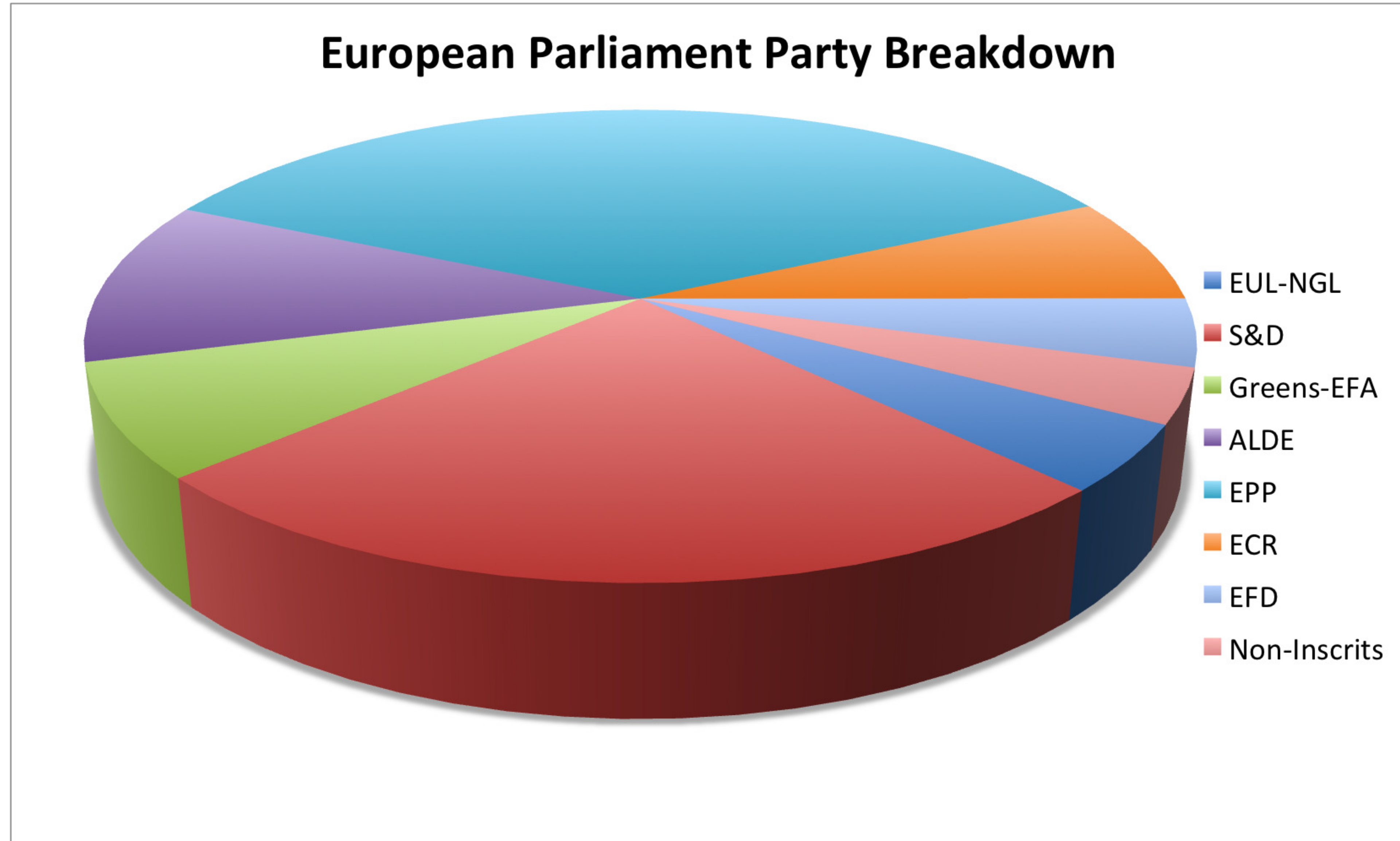
Five candidates are running in an election. We poll the election at three separate times, and come up with the following poll results:



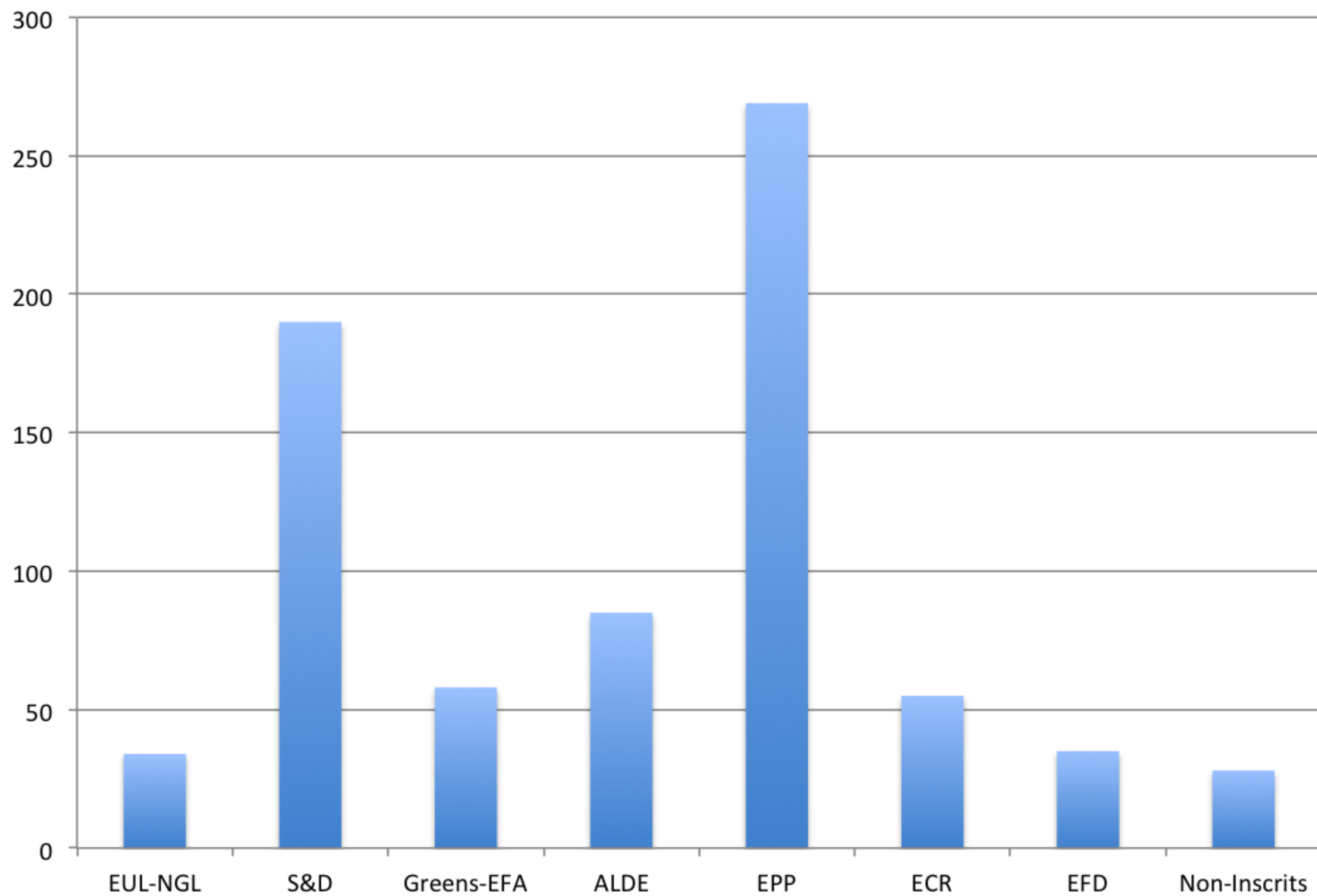
Which candidate is winning the election?

A**B****C**

Or, even better. What on earth is going on here?



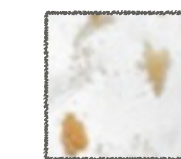
European Parliament Party Breakdown



The only good kind of pie chart



Pie I Have Not Eaten



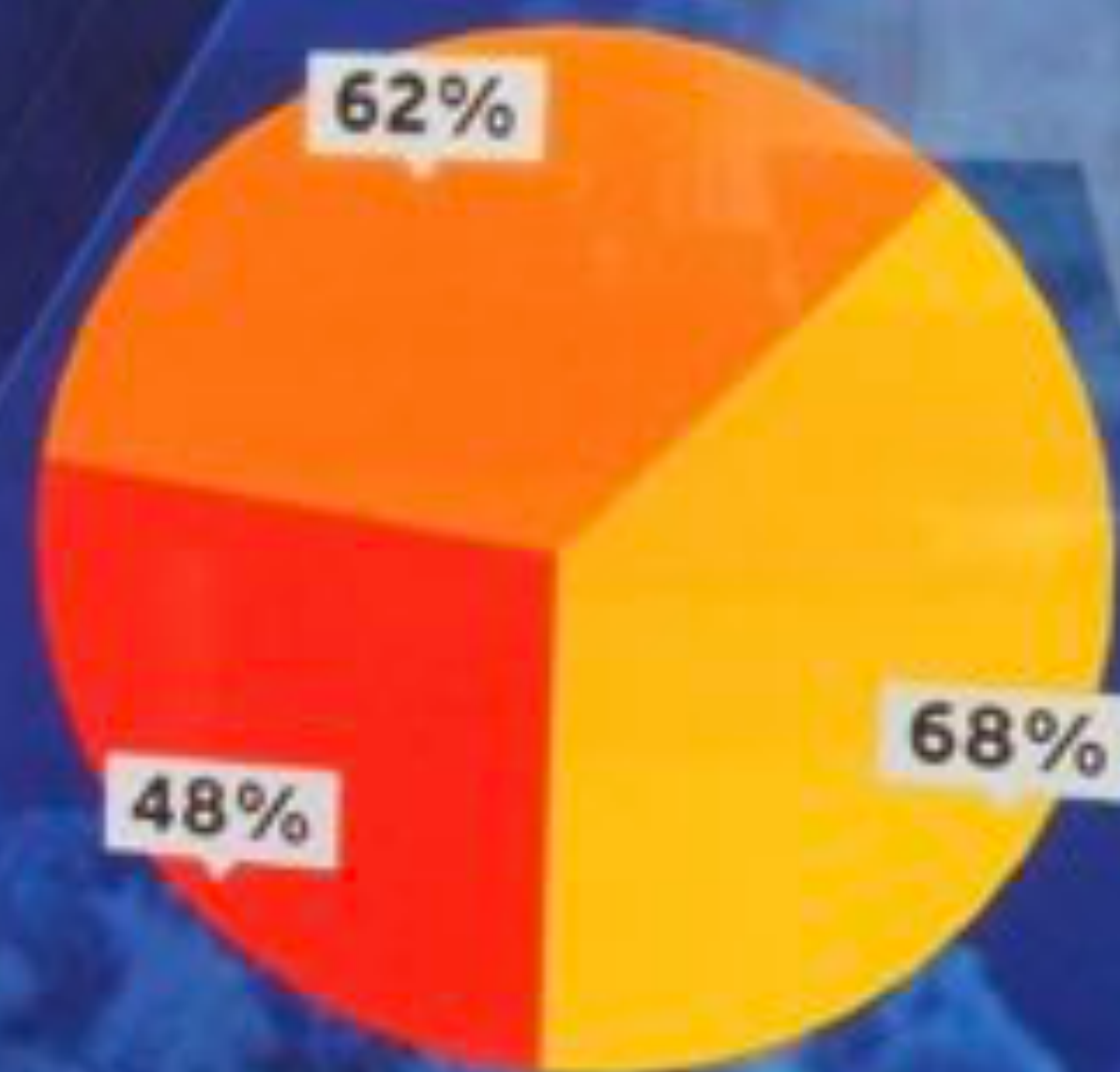
Pie I Have Eaten

Wrapping up

- **Keep graphs simple.** Focus on your data.
- OK, so . . . how do I pick which one to use?
 - Depends on your data
 - As well as your own tastes
 - Different kinds of displays represent different data more effectively
 - *Understand* the choices you're making with your graphs
- All bow to the histogram . . . it will probably continue to dominate univariate displays (for better or worse)

BIGGEST COVID-19 WORRIES

- GETTING IT
- FAMILY GETTING IT
- THE ECONOMY



CORONAVIRUS
IMPACT

3 CASES
IN DUKES & NANTUCKET CO.



#WCYB

43°
5:49